

CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers			Job No.	Sheet No.	Rev.
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					Member/Location		
Job Title	Structure, Member Design - Geotechnics Retaining Wall				Drg.		
Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Material Properties</b>							
Characteristic strength of concrete, $f_{cu}$ ( $\leq 60\text{N/mm}^2$ ; HSC N/A)					40	▼	N/mm <sup>2</sup> <b>OK</b>
Yield strength of longitudinal steel, $f_y$					460	▼	N/mm <sup>2</sup>
Yield strength of shear link steel, $f_{yv}$					460	▼	N/mm <sup>2</sup>
Type of concrete and density, $\rho_c$				Normal Weight	▼	24	kN/m <sup>3</sup>
Concrete modulus of elasticity, $E_c$				Cracked Long Term (Creep)	▼	7000	N/mm <sup>2</sup>
Steel sheet pile steel grade					S270GP	▼	
Steel sheet pile design strength, $p_y$					270		N/mm <sup>2</sup>
Steel sheet pile modulus of elasticity, $E_s$					205000		N/mm <sup>2</sup>
<b>Factor of Safety</b>							
Factor of safety method					FOS on Overall Effect	▼	
Factor of safety (soil strength), $FOS_1 = \{FOS_{c'}, FOS_{\tan\phi'}, FOS_{Su}, FOS_{\tan\delta'}\}$							
Factor of safety, $FOS_{c'} = 1.2$					1.0		BS8002
Factor of safety, $FOS_{\tan\phi'} = 1.2$					1.0		BS8002
Factor of safety, $FOS_{Su} = 1.5$					1.0		BS8002
Factor of safety, $FOS_{\tan\delta'} = 1.2$					1.0		BS8002
Factor of safety (overall net (effective) bearing), $FOS_2$ (usually)					2.5		
Factor of safety (overall sliding resistance), $FOS_3$ (usually)					1.4		
Factor of safety (overall uplift resistance), $FOS_4$ (usually)					1.0		
Factor of safety (overall overturning resistance for conc), $FOS_5$ (usually)					1.4		
Factor of safety (base heave instability), $FOS_6$ (usually)					1.2		Kohsaka & Ishizaka
Loading factor, K (between 1.20 and 1.40)					1.40		BS8110
<i>Note loading factor K multiplies SLS loads for ULS loads for section (reinforcement) design; cl. 2.4.3.1.1</i>							
<b>Soil Description</b>							
Water unit weight, $\gamma_w = 9.81\text{kN/m}^3$					9.8		kN/m <sup>3</sup>
Soil name					User Defined	▼	
Dry bulk unit weight, $\gamma_{dry}$					18.0		kN/m <sup>3</sup>
Saturated bulk unit weight, $\gamma_{sat}$					20.0		kN/m <sup>3</sup>
Undrained shear strength limit to adopt ?					Lower Limit	▼	
Undrained shear strength (lower limit) (factored), $S_{u,ll} / FOS_{Su}$					50.0		kPa
Undrained shear strength (upper limit) (factored), $S_{u,ul} / FOS_{Su}$					50.0		kPa
Undrained shear strength limit adopted (factored), $S_u / FOS_{Su} = \{S_{u,ll}/FOS_{Su}, S_{u,ul}/FOS_{Su}\}$					50.0		kPa
<i>Note that <math>S_u</math> can be obtained from SPT (Stroud) values; Tomlinson</i>							
Ignore effective cohesion (factored), $c' / FOS_{c'}$ ?					Exclude	▼	0.0 kPa
Effective angle of shear resistance (factored), $\tan^{-1}(\tan\phi' / FOS_{\tan\phi'})$					30.0		degrees
<i>Note that <math>\phi'</math> can be obtained from SPT (Peck) or CPT (Durgunoglu and Mitchell) values; Tomlinson</i>							
Effective angle of friction on 0.66 $\phi'$ (Insitu Concrete Active Zone - Soil Interface)					▼	19.8	degrees
Effective angle of friction on 0.50 $\phi'$ (Insitu Concrete Passive Zone - Soil Interface)					▼	15.0	degrees
Effective angle of friction on 1.00 $\phi'$ (Cast in Place Concrete - Soil Interface)					▼	30.0	degrees
<i>Note that for Coulomb (but not Rankine) theory, <math>\delta'</math> reduces <math>K_a</math> and increases <math>K_p</math>, conservatively ignored;</i>							
<i>Note that for both Coulomb and Rankine theories, <math>\delta'</math> considered on active wall, passive wall and base;</i>							
<b>Undrained, Drained or Empirical Overall (Effective) Bearing Capacity</b>							
Gross (effective) bearing capacity, $q_f$ or $q_f'$					250		kPa
<i>Note that the gross (effective) bearing capacity above is unfactored;</i>							



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<b>Executive Summary</b>				
Overall net (effective) bearing capacity		<b>15%</b>	<b>OK</b>	
Overall sliding resistance capacity		<b>97%</b>	<b>OK</b>	
Overall uplift resistance capacity		<b>96%</b>	<b>OK</b>	
Overall overturning resistance capacity		<b>80%</b>	<b>OK</b>	
<b>Concrete Gravity Retaining Wall</b>				
<i>Note concrete gravity retaining wall reinforcement design not required since there is no axial, shear or bending effects;</i>				
<b>Concrete Cantilever Retaining Wall</b>				
Bending moment in stem		<b>56%</b>	<b>OK</b>	
% Min longitudinal reinforcement in stem		<b>25%</b>	<b>OK</b>	
Ultimate shear stress in stem		<b>7%</b>	<b>OK</b>	
Shear design capacity in stem		<b>49%</b>	<b>OK</b>	
Bending moment in heel		<b>0%</b>	<b>OK</b>	
% Min longitudinal reinforcement in heel		<b>58%</b>	<b>OK</b>	
Ultimate shear stress in heel		<b>0%</b>	<b>OK</b>	
Shear design capacity in heel		<b>0%</b>	<b>OK</b>	
Bending moment in toe		<b>81%</b>	<b>OK</b>	
% Min longitudinal reinforcement in toe		<b>58%</b>	<b>OK</b>	
Ultimate shear stress in toe		<b>2%</b>	<b>OK</b>	
Shear design capacity in toe		<b>26%</b>	<b>OK</b>	
Deflection requirements in stem		<b>133%</b>	<b>NOT OK</b>	
Detailing requirements		<b>OK</b>		
<b>Concrete or Steel Cantilever Embedded Retaining Wall</b>				
Iteration for moment equilibrium calculation		<b>N/A</b>		
Bending moment in wall		<b>N/A</b>	<b>N/A</b>	
% Min longitudinal reinforcement in wall		<b>N/A</b>	<b>N/A</b>	
Ultimate shear stress in wall		<b>N/A</b>	<b>N/A</b>	
Shear design capacity in wall		<b>N/A</b>	<b>N/A</b>	
Deflection requirements in wall (first principles)		<b>N/A</b>	<b>N/A</b>	
Deflection requirements in wall (BS8110 method)		<b>N/A</b>	<b>N/A</b>	
Detailing requirements		<b>N/A</b>		
<b>Concrete Propped (Basement) Retaining Wall</b>				
Bending moment in stem		<b>N/A</b>	<b>N/A</b>	
% Min longitudinal reinforcement in stem		<b>N/A</b>	<b>N/A</b>	
Ultimate shear stress in stem		<b>N/A</b>	<b>N/A</b>	
Shear design capacity in stem		<b>N/A</b>	<b>N/A</b>	
Deflection requirements in stem		<b>N/A</b>	<b>N/A</b>	
Detailing requirements		<b>N/A</b>		
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall</b>				
Iteration for moment equilibrium calculation		<b>N/A</b>		
Bending moment in wall		<b>N/A</b>	<b>N/A</b>	
% Min longitudinal reinforcement in wall		<b>N/A</b>	<b>N/A</b>	
Ultimate shear stress in wall		<b>N/A</b>	<b>N/A</b>	
Shear design capacity in wall		<b>N/A</b>	<b>N/A</b>	
Deflection requirements in wall (first principles)		<b>N/A</b>	<b>N/A</b>	
Deflection requirements in wall (BS8110 method)		<b>N/A</b>	<b>N/A</b>	
Detailing requirements		<b>N/A</b>		



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**Factor of Safety Method for Retaining Walls**

Two approaches to the application of factor of safety are adopted in the calculations herein, i.e.

- FOS on soil strength, or
- FOS on overall effect;

Note that FOS on soil strength in lieu of FOS on overall effect effectively results in a double counting of FOS / load factor for ULS member design since the ULS design is subject to the loading factor, K. Although conservative, should economy be required, FOS on overall effect should be employed in lieu of FOS on soil strength for ULS member design, although both approaches should be investigated for the overall stability effects;

The former method i.e. the FOS on soil strength is described as the strength factor method,  $F_s$ ; Tomlinson

Method 2 is referred to as the factor of safety on shear strength ( $F_s$ ) method and is applied to embedded walls.

The strength factor method represents the Eurocode 7 approach where the value of  $F_s$  corresponds to the partial factors for materials ( $\gamma_m$ ). The characteristic soil strength could be taken as corresponding to the values in design approach A where the CIRIA  $F_s$  values are much the same as the partial factors in Eurocode 7 (see Table 2.2).

For the cantilever condition (Fig. 5.25(a)) the depth  $d_o$  must satisfy the equation

$$P_P L_P + P_{WP} L_{WP} = P_{A} L_A + P_{WA} L_{WA} \quad (5.1)$$

$$\text{Design depth } d = d_o \quad (5.2)$$

Then  $d$  is increased further by 20 per cent to allow for the simplifying assumption of the force  $R$ .

Table 2.2 Partial factors on material properties for conventional design situations for ultimate limit states

Material property	Partial factor $\gamma_m$
Tan $\phi$	(1.2–1.25)
$c', C_u$	(1.5–1.8)

When the wall is acting as a cantilever (Fig. 5.25(a)) a concentrated force  $R$  is applied at the toe to represent the passive resistance mobilized at the rear due to fixity at the toe (the method is also known as the fixed earth support method as given in the British Steel handbook for the design of sheet pile walls).

The latter method i.e. the FOS on overall effect is described as the factor on moments method,  $F_p$ ; Tomlinson

Method 3 is applicable to embedded and free-standing walls (Fig. 5.26). It is known as the factor of safety on moments ( $F_p$ ) method, and also as the CP2 method, the latter referring to the Institution of Structural Engineers' Code of Practice: *Earth-retaining Structures*. This was published in 1951, but its revision was long delayed because of lack of agreement on the many controversial aspects of retaining wall design.\*

The depth of embedment or the proportions of the wall stem and base are calculated, when taking moments about

the toe to satisfy the equation

$$F_p = \frac{\text{Restoring moments}}{\text{Overturning moments}} \quad (5.3)$$

Usually only net water pressures are included for overturning moments so that for embedded walls

$$F_p = \frac{P_P L_P}{P_A L_A + P_{WA} L_{WA} - P_{WL} W} \quad (5.4)$$

The design embedment  $d = d_o$  is increased by 20 per cent for cantilevered walls but not for propped walls.

For free-standing walls

$$F_p = \frac{P_P L_P + Wb}{P_A L_A + P_{WA} L_{WA} - P_{WP} L_{WP}} \quad (5.5)$$

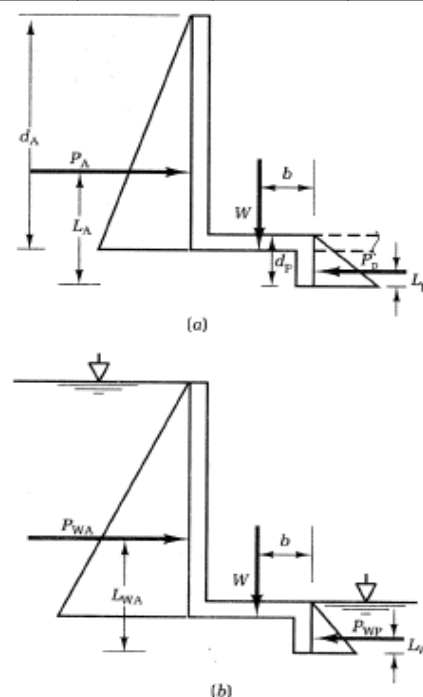


Fig. 5.26 Assumed soil and water pressure distribution on free-standing retaining walls. (a) Effective soil pressures. (b) Water pressure (no seepage).

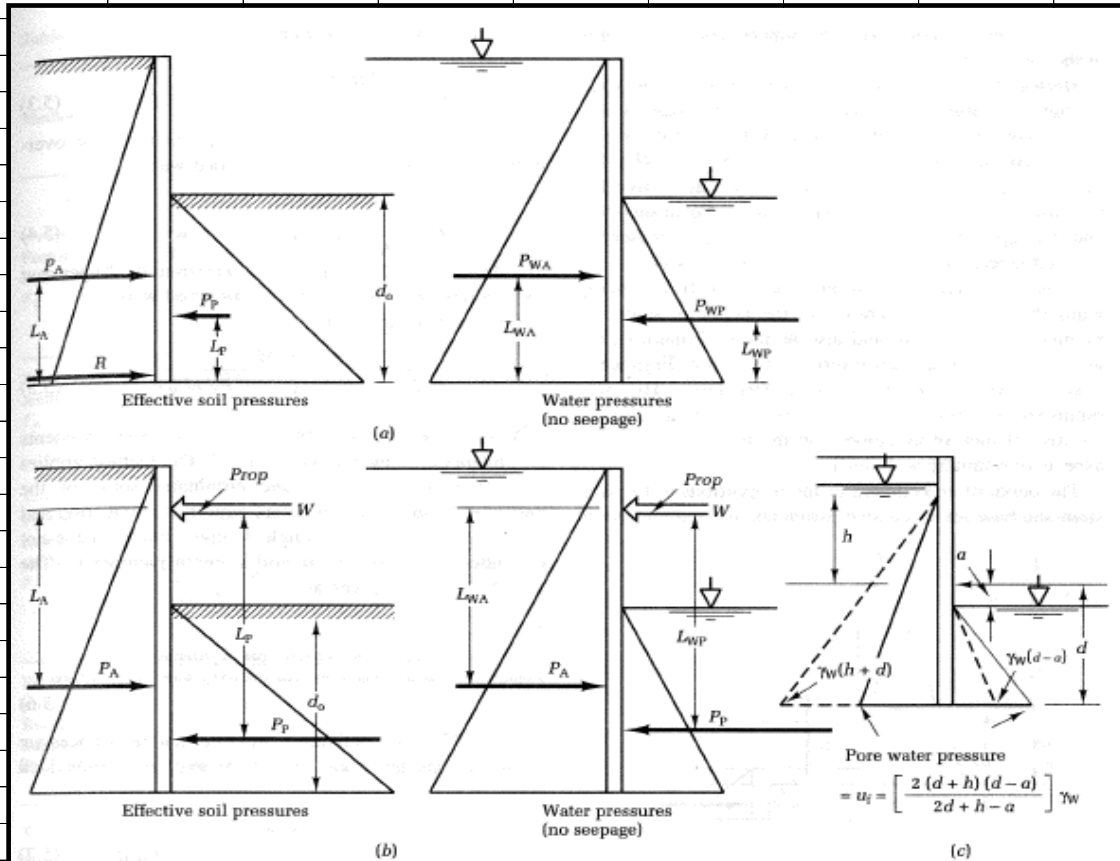


Fig. 5.25 Assumed soil and water pressure distribution on embedded retaining walls. (a) Cantilevered. (b) Propped. (c) Pore-water pressure distribution for seepage below toe of wall.

Table 5.2 Recommended factors of safety for determining a stable wall geometry in stiff clays (after Padfield and Mair<sup>5,18</sup>)

Method		Design approach A		Design approach B		Comments
		Recommended range for moderately conservative parameters ( $c'$ , $\phi'$ , or $c_u$ )		Recommended minimum values for worst credible parameters ( $c' = 0$ , $\phi'$ )		
		Temporary works	Permanent works	Temporary works	Permanent works	
Factor on embedment $F_d$	Effective stress	1.1–1.2 (usually 1.2)	1.2–1.6 (usually 1.5)	Not recommended	1.2	This method is empirical. It should always be checked against one of the other methods
	Total stress†	2.0	—	—	—	
Strength factor method $F_s$	Effective stress	1.1–1.2 (usually 1.2 except for $\phi' > 30^\circ$ when lower value may be used)	1.2–1.5 (usually 1.5 except for $\phi' > 30^\circ$ when lower value may be used)	1.0	1.2	The mobilized angle of wall friction $\delta_m$ , and wall adhesion, $C_{wm}$ , should also be reduced (see Section 7.3.2)‡
	Total stress†	1.5	—	—	—	
Factor on moments: CP2 method $F_p$	Effective stress	1.2–1.5	1.5–2.0	1.0	1.2–1.5	These recommended $F_p$ values vary with $\phi'$ to be generally consistent with usual values of $F_s$ and $F_r$
	$\phi' \geq 30^\circ$	1.5	2.0	1.0	1.5	
	$\phi' = 20-30^\circ$	1.2–1.5	1.5–2.0	1.0	1.2–1.5	
	$\phi' \leq 20^\circ$	1.2	1.5	1.0	1.2	
Factor on moments: Burland–Potts method $F_r$	Effective stress	1.3–1.5 (usually 1.5)	1.5–2.0 (usually 2.0)	1.0	1.5	Not yet tested for cantilevers. A relatively new method with which little design experience has been obtained
	Total stress†	2.0	—	—	—	

† Total stress factors are speculative, and they should be treated with caution. ‡ of CIRIA report 104.

Notes

- (1) In any situation where significant uncertainty exists, whether design approach A or B is adopted, a sensitivity study is always recommended, so that an appreciation of the importance of various parameters can be gained.
- (2) Only a few of the factors of safety recommended in Table 5.1 are based on extensive practical experience, and even this experience is recent. At present, there is no well-documented evidence of the long-term performance of walls constructed in stiff clays, particularly in relation to serviceability and movements. However, the factors recommended in the table are based on the present framework of current knowledge and good practice.
- (3) Of the four factors of safety recommended, only  $F_p$  depends on the value of  $\phi'$ .

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## Scheme Design

### Preliminary sizing of retaining walls

**Gravity retaining walls** – Typically have a base width of about 60–80 per cent of the retained height.

**Propped embedded retaining walls** – There are 16 methods for the design of these walls depending on whether they are considered flexible (sheet piling) or rigid (concrete diaphragm). A reasonable approach is to use BS 8002 Free Earth Support Method which takes moments about the prop position, followed by the Burland & Potts Method as a check. Any tension crack height is limited to the position of the prop.

**Embedded retaining walls** – Must be designed for fixed earth support: where passive pressures are generated on the rear of the wall, at the toe. An approximate design method is to design the wall with free earth support by the same method as the propped wall but with moments taken at the foot of the embedded wall, before adding 20 per cent extra depth as an estimate of the extra depth required for the fixed earth condition.

### Retaining walls

Rankine's theory on lateral earth pressure is most commonly used for retaining wall design, but Coulomb's theory is easier to apply for complex loading conditions. The most difficult part of Rankine's theory is the appropriate selection of the coefficient of lateral earth pressure, which depends on whether the wall is able to move. Typically where sufficient movement of a retaining wall is likely and acceptable, 'active' and 'passive' pressures can be assumed, but where movement is unlikely or unacceptable, the earth pressures should be considered 'at rest'. Active pressure will be mobilized if the wall moves 0.25–1 per cent of the wall height, while passive pressure will require movements of 2–4 per cent in dense sand or 10–15 per cent in loose sand. As it is normally difficult to assume that passive pressure will be mobilized, unless it is absolutely necessary for stability (e.g. embedded walls), the restraining effects of passive pressures are often ignored in analysis. The main implications of Rankine's theory are that the engineer must predict the deflected shape, to be able to predict the forces which will be applied to the wall.

Rankine's theory assumes that movement occurs, that the wall has a smooth back, that the retained ground surface is horizontal and that the soil is cohesionless, so that:  $\sigma_h = k\sigma_v$

For soil at rest,  $k = k_o$ , for active pressure,  $k = k_a$  and for passive pressure,  $k = k_p$ .

$$k_o \approx 1 - \sin \phi \quad k_a = \frac{1 - \sin \phi}{1 + \sin \phi} \quad k_p = \frac{1}{k_a} = \frac{1 + \sin \phi}{1 - \sin \phi}$$

For cohesive soil,  $k_o$  should be factored by the overconsolidation ratio,

$$OCR = \sqrt{\frac{\text{pre-consolidation pressure}}{\text{effective overburden pressure}}}$$

Typical  $k_o$  values are 0.35 for dense sand, 0.6 for loose sand, 0.5 to 0.6 for normally consolidated clay and 1.0 to 2.8 for overconsolidated clays such as London clay. The value of  $k_o$  depends on the geological history of the soil and should be obtained from a geotechnical engineer.

Rankine's theory can be adapted for cohesive soils, which can shrink away from the wall and reduce active pressures at the top of the wall as a tension 'crack' forms. Theoretically the soil pressures over the height of the tension crack can be omitted from the design, but in practice the crack is likely to fill with water, rehydrate the clay and remobilize the lateral pressure of the soil. The height of crack is  $h_c = 2c' / (\gamma \sqrt{k_a})$  for drained conditions and  $h_c = 2C_u / \gamma$  for undrained conditions.

### Earth pressures greater than active

It is not normal to design the wall for stability for earth pressures exceeding active values (with factors of safety). In granular soils, the rotation needed to reduce earth pressures from  $K_o$  to active is only about  $10^{-3}$  radians (1mm per metre height) and it would be difficult to make a wall/foundation combination that will prevent this unless the wall is well propped.

Some walls may therefore be designed on the basis of active pressures only. However, earth pressures may creep up due to vibratory loads such as traffic and in these cases it is sensible to use  $K_o$  in the calculation of earth pressures for structural design. The Department of Transport require the wall stem to be designed for  $K_o$ , and apply a further load factor for ULS design. This seems rather 'over the top'.

If the fill is to be compacted behind the wall, the wall structure must be designed for compaction pressures, though it is again likely that rotation or flexure of the wall will, in reality, reduce these to some extent. If very heavy compaction is to be applied close to the wall, and displacement must be minimal, higher earth pressures should be used in the stability calculation, or a detailed displacement analysis should be carried out.

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**RULES OF THUMB**

**Minimum thickness**

Preferred minimum thickness of walls and slabs: 300mm  
Where thicker consider surface zones of 200mm each face for reinforcement to control shrinkage/thermal cracking.

**Reinforcement**

Typically for water resistant walls: T16 @ 200 c/c in both faces and in both directions  
or T12 @ 150 c/c in both faces and in both directions

**Standard cover**

Assumed concrete grade 35 (This should be a minimum)  
Put the horizontal reinforcement furthest from earth face.

Face	Cover (mm)
Earth face of walls where shuttered	50
Earth face of walls (cast against earth)	75
External exposed faces of walls	40
Bottom and sides to base	75
Internal faces	Greater of 25 or bar diameter

**Waterstops / waterbars**

- Required by BS 8102 for grade 1 basements with concrete design to BS 8110
- Give extra "comfort" at construction joints, otherwise total reliance on workmanship
- Not essential but often desirable
- Use external waterstop for basements (preferred)
- Can use centrestop in vertical construction if necessary (e.g. swimming pool), must be carefully supported/kept in place.

**3.2.2 Cover (BS 8110, Cl.3.3 - Tables 3.2 and 3.3; EC2, Cl.4.1)**

Horizontal bars are placed further from the earth face. Cover is measured to the outer layer of reinforcement.

Earth face: 50mm ) See Model Detail MRW1

External exposed face: 40mm )

Note: There may be particular requirements for concrete grade / mix in contaminated ground.

Internal face: 25mm or bar diameter, whichever is greater.

Note: This may be modified by particular internal environment.



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BARE ESSENTIALS RANKINE EXTN ORIENTED

- discontinuous  $\sigma'_a / \sigma'_p$  diagrams
- water pressure forces if drained analysis.
- factor passive resistance

(A) Continuous  $\sigma'_v$  diagram

$$\sigma'_v = \sigma_v - u \text{ (drained)} \quad \text{or} \quad \sigma'_v = \sigma_v \text{ (undrained)}$$

(B) Discontinuous  $\sigma'_a / \sigma'_p$  diagram computing above and below each interface

$$\sigma'_a = K_a \sigma'_v - 2c' \sqrt{K_a} \text{ (drained)} \quad \text{or} \quad \sigma'_a = \sigma_v - 2s_u \text{ (undrained)}$$

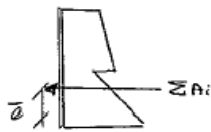
$$\sigma'_p = K_p \sigma'_v + 2c' \sqrt{K_p} \text{ (drained)} \quad \text{or} \quad \sigma'_p = \sigma_v + 2s_u \text{ (undrained)}$$

$$\text{where } K_a = \frac{1 - \sin \phi'}{1 + \sin \phi'}$$

$$K_p = \frac{1 + \sin \phi'}{1 - \sin \phi'} = \frac{1}{K_a}$$

} remember  $K_p > K_a$  always

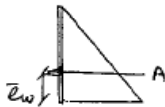
(C) Obtain earth force normal to wall from area under  $\sigma'_a / \sigma'_p$  diagram



$$\text{Force normal to wall} = \Sigma A_i$$

$$\text{Line of action } \bar{e} = (\Sigma A_i e_i) / \Sigma A_i$$

(D) Obtain force normal to wall due to water pressure  $u$  (for drained case only)

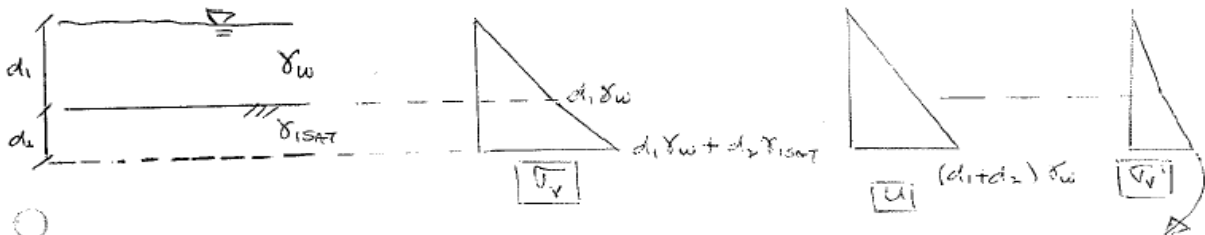


$$\text{Force normal to wall} = A$$

$$\text{Line of action } \bar{e}_w = \frac{1}{3} \text{ from base.}$$

Notes on computing  $\sigma'_v = \sigma_v - u$

It may be better to compute  $\sigma'_v$  by drawing  $\sigma_v$  then subtracting  $u$ . Consider



$$\sigma'_v = \sigma_v - u$$

$$= d_1 \gamma_w + d_2 \gamma_{sat} - (d_1 + d_2) \gamma_w$$

Whereas if we had used

$$\sigma'_v = d_1 \gamma_w + d_2 (\gamma_{sat} - \gamma_w) \text{ method, it is incorrect.}$$

This occurs when the water table is above all soil. The separation method is also more general in the case of seepage as  $\frac{du}{dz} \neq \gamma_w$  anymore.

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BARE ESSENTIALS COLUMN OR CAQUOT-KERSEL EXAM ORIENTED

- discontinuous  $\sigma_a' / \sigma_p'$  diagram
- water pressure forces if drained only
- factor passive resistance
- multiply  $K_a$  and  $K_p$  by  $(\sin \alpha \cos \delta)^{-1}$

(A) Continuous  $\sigma_v'$  diagram

$$\sigma_v' = \sigma_v - u \text{ (drained)} \quad \text{or} \quad \sigma_v' = \sigma_v \text{ (undrained)}$$

(B) Discontinuous  $\sigma_a' / \sigma_p'$  diagram comparing above and below each interface

$$\sigma_a' = \frac{K_a}{\sin \alpha \cos \delta} \sigma_v' \text{ (drained)} \quad \text{or} \quad \sigma_a = \sigma_v - 2Su \text{ (undrained)}$$

$$\sigma_p' = \frac{K_p}{\sin \alpha \cos \delta} \sigma_v' \text{ (drained)} \quad \text{or} \quad \sigma_p = \sigma_v + 2Su \text{ (undrained)}$$

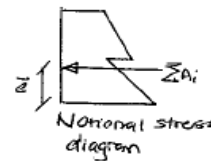
Note:- Cohesion  $c'$  in drained case has been ignored  $c' = 0$ .

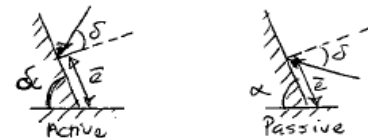
- Values of  $K_a$  and  $K_p$  quoted from lecture notes or past year papers differ from that of standard text books but are related by

$$(K_a \text{ or } K_p)_{\text{standard books}} = \frac{(K_a \text{ or } K_p)_{\text{lecture}}}{\sin \alpha \cos \delta}$$


Obtain  $K_a, K_p$  from tables or equation in notes.

(C) Obtain earth force at  $\delta$  to normal of wall from area under  $\sigma_a' / \sigma_p'$  diagram

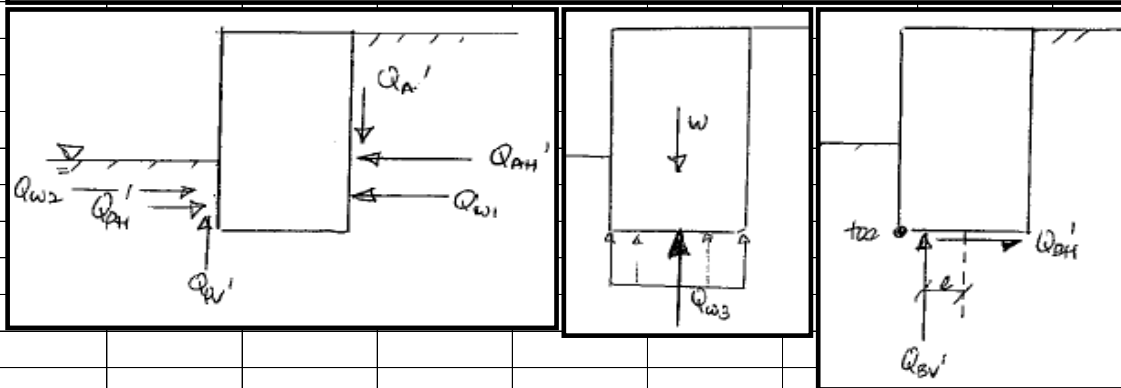
(i) Magnitude:  Force normal to wall =  $\sum A_i$   
Line of action  $\bar{e} = (\sum A_i e_i) / \sum A_i$  along wall along wall

(ii) Inclination:   $\alpha \neq \delta$  to normal to wall.

(D) Obtain force normal to wall due to water pressure  $u$  (for drained case only)

(i) Magnitude:  Force normal to wall =  $A$   
Line of action along wall  $\bar{e}_w = \frac{1}{3}$  from base along wall

(ii) Inclination:  Normal to wall.



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	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Relevant Retaining Wall Parameters</b>				
Relevant retaining wall type	<b>Concrete Cantilever Retaining Wall</b>			
			<b>ateral Earth Pressur</b>	
			<b>Angle, <math>\alpha</math></b>	<b>Angle, <math>\gamma</math></b>
			( $^{\circ}$ )	( $^{\circ}$ )
<b>Concrete Gravity Retaining Wall</b>			N/A	N/A
<b>Concrete Cantilever Retaining Wall</b>			90.0	90.0
<b>Concrete or Steel Cantilever Embedded Retaining Wall</b>			N/A	N/A
<b>Concrete Propped (Basement) Retaining Wall</b>			N/A	N/A
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall</b>			N/A	N/A
			<b>90.0</b>	<b>90.0</b>
Gross working pressure, $q_w$			<b>28</b>	kPa
<b>Overall Sliding Resistance Capacity</b>				
	<b><math>B_{width, base}</math></b>	<b>Vertical Load</b>	<b>(kN/m)</b>	<b>Horizontal Load</b>
	<b>(m)</b>			<b>(kN/m)</b>
<b>Concrete Gravity Retaining Wall</b>	N/A	$F_{concrete,gravity,v}$	N/A	$F_{concrete,gravity,h}$
<b>Concrete Cantilever Retaining Wall</b>	2.786	$F_{concrete,cantilever,v} - W_4$	48	$F_{concrete,cantilever,h}$
<b>Concrete or Steel Cantilever Embedded Retaining Wall</b>	N/A	N/A	N/A	N/A
<b>Concrete Propped (Basement) Retaining Wall</b>	N/A	N/A	N/A	N/A
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall</b>	N/A	N/A	N/A	N/A
	<b>2.786</b>	<b><math>F_v'</math></b>	<b>48</b>	<b><math>F_h</math></b>
<i>Note for concrete cantilever retaining wall, surcharge not included in calculation of vertical (downward) load as it cannot be guaranteed;</i>				
<i>Note negative <math>F_h</math> is effectively the additional passive resistance capacity over the active force;</i>				
<b>Overall Uplift Resistance Capacity</b>				
			<b><math>e_{eff}</math></b>	<b><math>e_{eff,limit}</math></b>
			<b>(m)</b>	<b>(m)</b>
<b>Concrete Gravity Retaining Wall</b>			N/A	N/A
<b>Concrete Cantilever Retaining Wall</b>			0.657	0.683
<b>Concrete or Steel Cantilever Embedded Retaining Wall</b>			N/A	N/A
<b>Concrete Propped (Basement) Retaining Wall</b>			N/A	N/A
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall</b>			N/A	N/A
			<b>0.657</b>	<b>0.683</b>
<b>Overall Overtuning Resistance</b>				
			<b><math>M_{ot}</math></b>	<b><math>M_{rt}</math></b>
			<b>(kNm/m)</b>	<b>(kNm/m)</b>
<b>Concrete Gravity Retaining Wall</b>			N/A	N/A
<b>Concrete Cantilever Retaining Wall</b>			89	111
<b>Concrete or Steel Cantilever Embedded Retaining Wall</b>			N/A	N/A
<b>Concrete Propped (Basement) Retaining Wall</b>			N/A	N/A
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall</b>			N/A	N/A
			<b>89</b>	<b>111</b>



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Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Drained Lateral Earth Pressure</b>							
Bulk unit weight, $\gamma = \gamma_{dry}$ OR $\gamma_{sat}$					20.0	kN/m <sup>3</sup>	
<b>Lateral (Active) Pressures of Retained Soil</b>				<b>At Surface</b>	<b>At WT</b>	<b>At Base</b>	
Vertical total stress, $\sigma_{va} = p_{s,a}$ to $\sigma_{va} = p_{s,a} + \gamma \cdot d_a$				10.0	58.0	88.0	kN/m <sup>2</sup>
Hydrostatic pressure, $u_a = 0.0$ to $0.0 + \gamma_w \cdot \text{MAX}(0.0, d_a - \dots)$				0.0	0.0	14.7	kN/m <sup>2</sup>
Vertical effective stress, $\sigma_{va}' = \sigma_{va} - u_a$				10.0	58.0	73.3	kN/m <sup>2</sup>
Active earth pressure coefficient, $K_a$				0.30	0.30	0.30	
<b>At Rest</b>							
$K_a = (1 - \sin\phi')$				0.50	0.50	0.50	
<b>Rankine Theory</b>							
<i>Note Rankine theory assumes <math>\delta = 0^\circ</math>, <math>\beta = 0^\circ</math> and <math>\alpha = 90^\circ</math>;</i>							
$K_a = (1 - \sin\phi') / (1 + \sin\phi')$				0.33	0.33	0.33	
<b>Coulomb Theory</b>							
$K_a$				0.30	0.30	0.30	
$K_a = \frac{\sin^2(\alpha + \phi')}{\sin^2 \alpha \sin(\alpha - \delta') \left[ 1 + \frac{\sin(\phi' + \delta') \sin(\phi' - \beta)}{\sin(\alpha - \delta') \sin(\alpha + \beta)} \right]^2}$							
Active effective pressure, $\sigma_{ha}' = K_a \cdot \sigma_{va}' - 2c' \sqrt{K_a}$				3.0	17.3	21.8	kN/m <sup>2</sup>
Active force, $F_a'$						<b>54</b>	kN/m
<i>Note if <math>d_{aw} &lt; d_a</math>, <math>F_a' = 0.5 \cdot (\sigma_{ha,surface}' + \sigma_{ha,wt}') \cdot d_{aw} + 0.5 \cdot (\sigma_{ha,wt}' + \sigma_{ha,base}') \cdot (d_a - d_{aw})</math>;</i>							
<i>Note if <math>d_{aw} \geq d_a</math>, <math>F_a' = 0.5 \cdot (\sigma_{ha,surface}' + \sigma_{ha,base}') \cdot d_a</math>;</i>							
<i>Note earth pressure acts normal to retaining face (Rankine theory), angle <math>\beta</math> ignored;</i>							
<i>Note earth pressure acts at <math>\delta'</math> to normal to retaining face (Coulomb theory), angle <math>\beta</math> ignored;</i>							
Horizontal component of $F_a'$ , $F_{ah}' = F_a' \cdot \cos(90^\circ - \alpha + \delta')$						<b>50</b>	kN/m
Vertical (downward) component of $F_a'$ , $F_{av}' = F_a' \cdot \sin(90^\circ - \alpha + \delta')$						<b>18</b>	kN/m
Centroid of $F_a'$ , $e_a$						1.490	m
<i>Note if <math>d_{aw} &lt; d_a</math>, <math>e_a = \{ [d_{aw} \cdot (2 \sigma_{ha,surface}' + \sigma_{ha,wt}') / [3 \cdot (\sigma_{ha,surface}' + \sigma_{ha,wt}')] + d_a - d_{aw}] \cdot [0.5 \cdot (\sigma_{ha,surface}' + \sigma_{ha,wt}') + (d_a - d_{aw}) \cdot (2 \sigma_{ha,wt}' + \sigma_{ha,base}') / [3 \cdot (\sigma_{ha,wt}' + \sigma_{ha,base}')]] \cdot [0.5 \cdot (\sigma_{ha,wt}' + \sigma_{ha,base}') \cdot (d_a - d_{aw})] \} / F_a'</math>;</i>							
<i>Note if <math>d_{aw} \geq d_a</math>, <math>e_a = d_a \cdot (2 \sigma_{ha,surface}' + \sigma_{ha,base}') / [3 \cdot (\sigma_{ha,surface}' + \sigma_{ha,base}')]</math>;</i>							
Hydrostatic force, $F_{ua} = 0.5 \cdot (u_{a,surface} + u_{a,base}) \cdot (d_a - d_{aw})$						<b>11</b>	kN/m
<i>Note hydrostatic pressure acts normal to retaining face;</i>							
Horizontal component of $F_{ua}$ , $F_{uah} = F_{ua} \cdot \sin\alpha$						<b>11</b>	kN/m
Vertical (downward) component of $F_{ua}$ , $F_{uav} = F_{ua} \cdot \cos\alpha$						<b>0</b>	kN/m
Centroid of $F_{ua}$ , $e_{ua} = (d_a - d_{aw}) \cdot (2u_{a,surface} + u_{a,base}) / [3 \cdot (u_{a,surface} + u_{a,base})]$						0.500	m

































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Structure, Member Design - Geotechnics Retaining Walls		Made by	XX	Date
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**Concrete Gravity Retaining Wall Dimensions**

**5.2.3 Gravity walls**

The stability of gravity retaining walls is illustrated in Figure 5.1. Active pressures are assessed and applied to the retaining wall and, if appropriate, passive pressures are assumed in front of the wall. Water pressures are added commensurate with the drainage and seepage regime around the wall. The resulting force  $R$  is then calculated and stability is achieved if  $R$  can be resisted by the soil beneath the toe. The ability of the soil to resist the force is calculated using conventional bearing capacity considerations.

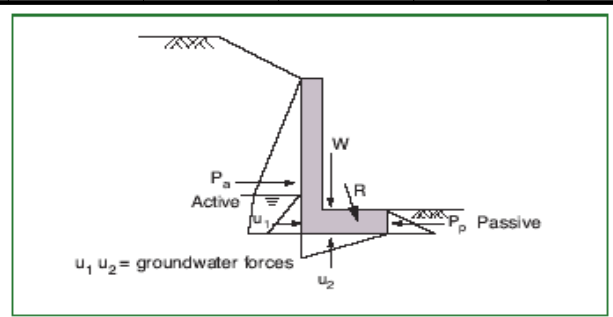


Fig 5.1 Typical gravity retaining wall

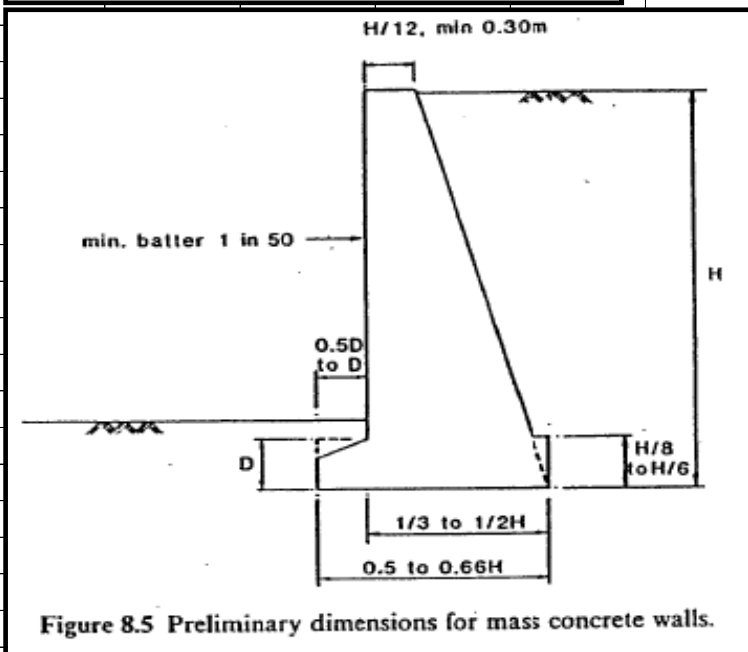
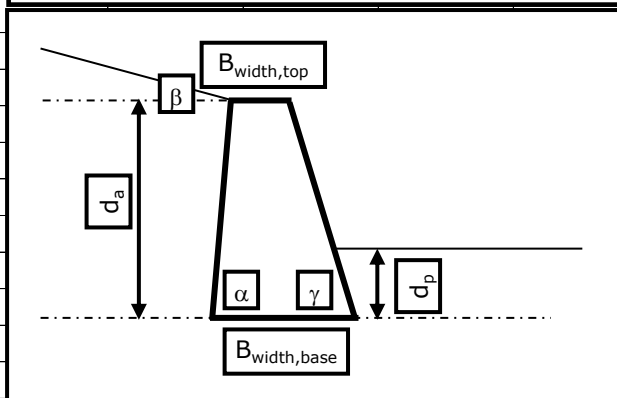


Figure 8.5 Preliminary dimensions for mass concrete walls.



Angle of retaining face from horizontal, $\alpha$ ( $\leq 90^\circ$ )	90.0	degrees	N/A
Angle of exposed face from horizontal, $\gamma$ ( $\leq 90^\circ$ )	80.0	degrees	N/A
Width of base, $B_{width,base}$ (usually $\approx 0.60$ to $0.80d_a$ )	3.120	m	
Width of top, $B_{width,top} = B_{width,base} - d_a/\tan\alpha - d_a/\tan\gamma$	N/A	m	N/A

**Concrete Gravity Retaining Wall Reinforcement**

Note no reinforcement other than for crack control required;

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Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021
<b>Concrete Gravity Retaining Wall SLS Loading</b>							
Retaining wall wall weight (left triangular portion), $W_1 = 0.5 \cdot (d_a / \tan \alpha) \cdot d_a \cdot \rho_c$						N/A	kN/m
Retaining wall wall weight (rectangular portion), $W_2 = B_{width,top} \cdot d_a \cdot \rho_c$						N/A	kN/m
Retaining wall wall weight (right triangular portion), $W_3 = 0.5 \cdot (d_a / \tan \gamma) \cdot d_a \cdot \rho_c$						N/A	kN/m
Water pressure at founding level (active side), $u_a = \gamma_w \cdot \text{MAX}(0.0, d_a - d_{aw})$						N/A	kPa
Water pressure at founding level (passive side), $u_p = \gamma_w \cdot \text{MAX}(0.0, d_p - d_{pw})$						N/A	kPa
Water pressure at founding level, $u = \text{AVERAGE}(u_a, u_p)$						N/A	kPa
Water uplift force at founding level, $F_{water} = u \cdot B_{width,base}$						N/A	kN/m
<b>Horizontal Load</b>				<b>Eccentricity from Base</b>			
$F_{ah} (F_{ah}')$	N/A	kN/m		$e_a$	N/A	m	
$F_{uah}$	N/A	kN/m		$e_{ua}$	N/A	m	
$F_{ph} (F_{ph}')$	N/A	kN/m		$e_p$	N/A	m	
$F_{uph}$	N/A	kN/m		$e_{up}$	N/A	m	
<b>Vertical (Downward) Load</b>				<b>Eccentricity from Base Centroid</b>			
$W_1$	N/A	kN/m	$d_a / \tan \alpha / 3 - B_{width,base} / 2$	N/A	m		
$W_2$	N/A	kN/m	$-B_{width,top} / 2 - B_{width,base} / 2$	N/A	m		
$W_3$	N/A	kN/m	$B_{width,base} / 2 - 2 \cdot (d_a / \tan \gamma) / 3$	N/A	m		
$F_{av} (F_{av}')$	N/A	kN/m	$= e_a / \tan \alpha - B_{width,base} / 2$	N/A	m		
$F_{uav}$	N/A	kN/m	$= e_{ua} / \tan \alpha - B_{width,base} / 2$	N/A	m		
$F_{pv} (F_{pv}')$	N/A	kN/m	$= B_{width,base} / 2 - e_p / \tan \gamma$	N/A	m		
$F_{upv}$	N/A	kN/m	$= B_{width,base} / 2 - e_{up} / \tan \gamma$	N/A	m		
$-F_{water}$	N/A	kN/m	$= B_{width,base} / [3 \cdot (u_a + u_p)]$	N/A	m		
Total retaining wall SLS vertical (downward) load, $F_{concrete,gravity,v}$						N/A	kN/m
Note $F_{concrete,gravity,v} = W_1 + W_2 + W_3 + F_{av} (F_{av}') + 0(F_{uav}) + F_{pv} (F_{pv}') + 0(F_{upv})$ ;							
Total retaining wall SLS effective vertical (downward) load, $F_{concrete,gravity,v}'$						N/A	kN/m
Note $F_{concrete,gravity,v}' = F_{concrete,gravity,v} - F_{water}$ ;							
Total retaining wall SLS horizontal load, $F_{concrete,gravity,h}$						N/A	kN/m
Note $F_{concrete,gravity,h} = F_{ah} (F_{ah}') + 0(F_{uah}) - F_{ph} (F_{ph}') - 0(F_{uph})$ ;							
Note $F_{concrete,gravity,h}$ is set to 0 if the sliding resistance capacity exceeds the sliding force;							
Total retaining wall SLS moment about base centroid, $M_{concrete,gravity}$						N/A	kNm/m
Note $M_{concrete,gravity} = F_{ah} (F_{ah}') \cdot e_a + 0(F_{uah}) \cdot e_{ua} - F_{ph} (F_{ph}') \cdot e_p - 0(F_{uph}) \cdot e_{up} + W_1 \cdot e_{w1} + W_2 \cdot e_{w2} + W_3 \cdot e_{w3} + F_{av} (F_{av}') \cdot e_{av} + 0(F_{uav}) \cdot e_{uav} + F_{pv} (F_{pv}') \cdot e_{pv} + 0(F_{upv}) \cdot e_{upv} - F_{water} \cdot e_{water}$ ;							
Note $M_{concrete,gravity}$ is set to 0 if the restoring moment capacity exceeds the overturning moment;							
Equivalent eccentricity, $e_{eff} = \text{MAX}(0, M_{concrete,gravity}) / F_{concrete,gravity,v}'$						N/A	m
Limiting eccentricity for no overall uplift (factored), $e_{eff,limit} = (B_{width,base} / 6) / F$						N/A	m
Total retaining wall SLS overturning moment, $M_{concrete,gravity,ot}$						N/A	kNm/m
Note $M_{concrete,gravity,ot} = F_{ah} (F_{ah}') \cdot e_a + 0(F_{uah}) \cdot e_{ua} - F_{av} (F_{av}') \cdot (B_{width,base} / 2 - e_{av}) - 0(F_{uav}) \cdot (B_{width,base} / 2 - e_{uav}) + F_{water} \cdot (B_{width,base} / 2 - e_{water})$ ;							
Total retaining wall SLS restoring moment, $M_{concrete,gravity,rt}$						N/A	kNm/m
Note $M_{concrete,gravity,rt} = [F_{ph} (F_{ph}') \cdot e_p + 0(F_{uph}) \cdot e_{up} + W_1 \cdot (B_{width,base} / 2 - e_{w1}) + W_2 \cdot (B_{width,base} / 2 - e_{w2}) + W_3 \cdot (B_{width,base} / 2 - e_{w3}) + F_{pv} (F_{pv}') \cdot (B_{width,base} / 2 - e_{pv}) + 0(F_{upv}) \cdot (B_{width,base} / 2 - e_{upv})] / F_{concrete,gravity,v}'$							
Note surcharge not included in calculation of restoring moment as it cannot be guaranteed;							
Maximum gross working pressure, $q_{w1} = F_{concrete,gravity,v}' / B_{width,base} + 6 \cdot M_{concrete,gravity,ot} / (B_{width,base}^2)$						N/A	kPa
Minimum gross working pressure, $q_{w2} = F_{concrete,gravity,v}' / B_{width,base} - 6 \cdot M_{concrete,gravity,rt} / (B_{width,base}^2)$						N/A	kPa
Equivalent width, $B_{width,base}' = B_{width,base} - 2e_{eff}$						N/A	m
Gross working pressure, $q_w = F_{concrete,gravity,v}' / B_{width,base}'$						N/A	kPa















































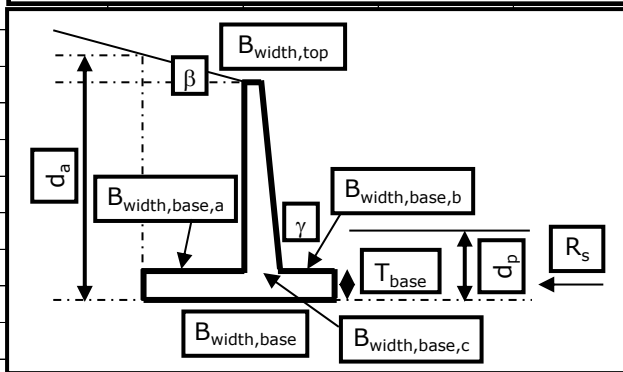
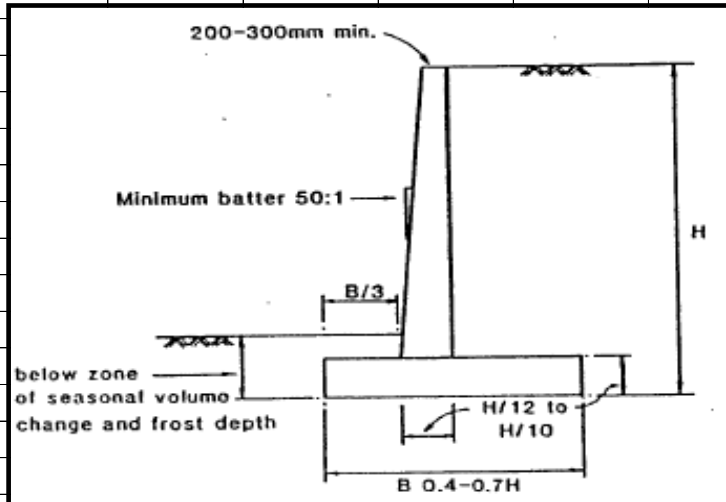


<b>undrained shear strength limit to adopt</b>							<b>1</b>
Lower Limit							
Middle Limit							
Upper Limit							
<b>ignore effective cohesion</b>							<b>2</b>
Include							
Exclude							
<b>effective angle of friction</b>							<b>1 7 5</b>
1.00 $\phi$ ' (Cast in Place Concrete - Soil Interface)							1.00
0.90 $\phi$ ' (Precast Concrete - Soil Interface)							0.90
0.85 $\phi$ ' (Timber - Soil Interface)							0.85
0.80 $\phi$ ' (Rough Corrugated Steel - Soil Interface)							0.80
0.66 $\phi$ ' (Insitu Concrete Active Zone - Soil Interface)							0.66
0.60 $\phi$ ' (Smooth Coated Steel - Soil Interface)							0.60
0.50 $\phi$ ' (Insitu Concrete Passive Zone - Soil Interface)							0.50
0.40 $\phi$ '							0.40
0.30 $\phi$ '							0.30
0.20 $\phi$ '							0.20
0.10 $\phi$ '							0.10
0.00 $\phi$ ' (No Friction Interface)							0.00
<b>method of analysis</b>							<b>2</b>
Undrained Analysis							
Drained Analysis							
<b>Active or At Rest <math>K_a</math> (for drained analysis only)</b>							<b>2</b>
At Rest							
Active							
<b>Rankine or Coulomb theory for <math>K_a</math> and <math>K_p</math> (for drained analysis only)</b>							<b>2</b>
Rankine Theory							
Coulomb Theory							
<b>evaluate overall uplift resistance</b>							<b>1</b>
Yes							
No							
<b>retaining wall type</b>							<b>2</b>
Concrete Gravity Retaining Wall							
Concrete Cantilever Retaining Wall							
Concrete or Steel Cantilever Embedded Retaining Wall							
Concrete Propped (Basement) Retaining Wall							
Concrete or Steel Propped (Basement) Embedded Retaining Wall							
<b>cantilever retaining wall position of application of <math>d_p</math></b>							<b>2</b>
Above Founding Level (as Drawn)							
Below Founding Level (i.e. on Shear Key)							
<b>dry or saturated soil bulk unit weight ?</b>							<b>2</b>
Dry Soil							
Saturated Soil							



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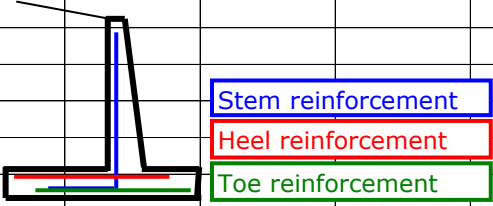
**Concrete Cantilever Retaining Wall Dimensions**



Note that for the concrete cantilever retaining wall, the toe may be used to provide the overall uplift resistance stability in lieu of the heel, however the overall sliding resistance stability must then be provided by an external sliding resistance passive reaction force,  $R_s$ ;

Note that for the concrete cantilever retaining wall, the depth of retained soil,  $d_a$  is measured at the "virtual back" as indicated herein;

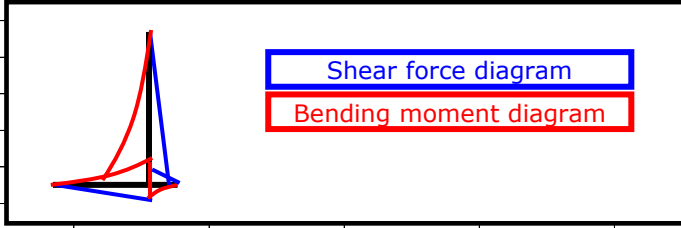
Angle of retaining face from horizontal, $\alpha = 90^\circ$	90.0	degrees	
Angle of exposed face from horizontal, $\gamma (<= 90^\circ)$	90.0	degrees	<b>OK</b>
Thickness of base, $T_{base}$	450	mm	
Width of base, $B_{width,base,a}$	0.000	m	
Width of base, $B_{width,base,b}$	3.800	m	
Width of base, $B_{width,base,c}$	300	mm	
Width of base, $B_{width,base} = B_{width,base,a} + B_{width,base,b} + B_{width,base,c}$	4.100	m	
Width of top, $B_{width,top} = B_{width,base,c} - (d_a - B_{width,base,a} \cdot \tan\beta - T_{base}) / \tan\gamma$	300	mm	<b>OK</b>
External sliding resistance passive reaction force, $R_s$	0	kN/m	
Position of application of $d_p$	Below Founding Level (i.e. on Shear Key)		

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Structure, Member Design - Geotechnics Retaining Walls			Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Concrete Cantilever Retaining Wall Reinforcement</b>					
					
Longitudinal steel reinforcement diameter in stem, $\phi_{stem}$			20	mm	
Longitudinal steel reinforcement pitch in stem, $p_{stem}$			200	mm	
Longitudinal steel area provided in stem, $A_{s,prov,stem} = (\pi \cdot \phi_{stem}^2 / 4) / p_{stem}$			1571	mm <sup>2</sup> /m	
Longitudinal steel reinforcement diameter in heel, $\phi_{heel}$			16	mm	
Longitudinal steel reinforcement pitch in heel, $p_{heel}$			200	mm	
Longitudinal steel area provided in heel, $A_{s,prov,heel} = (\pi \cdot \phi_{heel}^2 / 4) / p_{heel}$			1005	mm <sup>2</sup> /m	
Longitudinal steel reinforcement diameter in toe, $\phi_{toe}$			16	mm	
Longitudinal steel reinforcement pitch in toe, $p_{toe}$			200	mm	
Longitudinal steel area provided in toe, $A_{s,prov,toe} = (\pi \cdot \phi_{toe}^2 / 4) / p_{toe}$			1005	mm <sup>2</sup> /m	
Shear link diameter in stem, $\phi_{link,stem}$			None	mm	
Number of links per metre in stem, $n_{link,stem}$			5	/m	
Area provided by all links per metre in stem, $A_{sv,prov,stem} = n_{link,stem} \cdot \pi \cdot \phi_{link,stem}^2 / 4$			0	mm <sup>2</sup> /m	
Pitch of links in stem, $S_{stem}$			200	mm	
Shear link diameter in heel, $\phi_{link,heel}$			None	mm	
Number of links per metre in heel, $n_{link,heel}$			5	/m	
Area provided by all links per metre in heel, $A_{sv,prov,heel} = n_{link,heel} \cdot \pi \cdot \phi_{link,heel}^2 / 4$			0	mm <sup>2</sup> /m	
Pitch of links in heel, $S_{heel}$			200	mm	
Shear link diameter in toe, $\phi_{link,toe}$			None	mm	
Number of links per metre in toe, $n_{link,toe}$			5	/m	
Area provided by all links per metre in toe, $A_{sv,prov,toe} = n_{link,toe} \cdot \pi \cdot \phi_{link,toe}^2 / 4$			0	mm <sup>2</sup> /m	
Pitch of links in toe, $S_{toe}$			200	mm	
Effective depth to longitudinal steel in stem, $d_{stem} = B_{width,base,c} - cover_2 - \phi_{link,stem}$			240	mm	
Effective depth to longitudinal steel in heel, $d_{heel} = T_{base} - cover_4 - \phi_{link,heel} - \phi_{heel}$			392	mm	
Effective depth to longitudinal steel in toe, $d_{toe} = T_{base} - cover_3 - \phi_{link,heel} - \phi_{toe} / 2$			392	mm	
Estimated steel reinforcement quantity			38	kg/m <sup>3</sup>	
	stem	$[ 7.850 \cdot (A_{s,prov,stem}) / (B_{width,top} + B_{width,base,c}) / 2 ]$ ;	41	kg/m <sup>3</sup>	
	base	$[ 7.850 \cdot (A_{s,prov,heel} + A_{s,prov,toe}) / T_{base} ]$ ;	35	kg/m <sup>3</sup>	
No curtailment; No laps; Links ignored; Distribution steel ignored;					

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	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Concrete Cantilever Retaining Wall SLS Loading</b>				
Bulk unit weight, $\gamma = \gamma_{dry}$ or $\gamma_{sat}$			20.0	kN/m <sup>3</sup>
Retaining wall base weight, $W_1 = B_{width,base} \cdot T_{base} \cdot \rho_c$			<b>44</b>	kN/m
Retaining wall wall weight (rectangular portion), $W_2 = B_{width,top} \cdot (d_a - B_{width,base,a}) \cdot \gamma$			<b>25</b>	kN/m
Retaining wall wall weight (triangular portion), $W_3 = 0.5 \cdot (B_{width,base,c} - B_{width,top}) \cdot \gamma$			<b>0</b>	kN/m
Retaining wall surcharge, $W_4 = p_{s,a} \cdot B_{width,base,a}$			<b>0</b>	kN/m
Retaining wall earth backfill, $W_5 = B_{width,base,a} \cdot (d_a - (B_{width,base,a} \cdot \tan\beta) / 2 - T_{base}) \cdot \gamma$			<b>0</b>	kN/m
<i>Note weight of earth in front of wall over toe ignored, conservative for overall sliding resistance capacity;</i>				
Water pressure at founding level (active side), $u_a = \gamma_w \cdot \text{MAX}(0.0, d_a - d_{aw})$			15	kPa
Water pressure at founding level (passive side), $u_p = \gamma_w \cdot \text{MAX}(0.0, d_p - d_{pw})$			0	kPa
Water pressure at founding level, $u = \text{AVERAGE}(u_a, u_p)$			7	kPa
Water uplift force at founding level, $F_{water} = u \cdot B_{width,base}$			<b>30</b>	kN/m
<b>Horizontal Load</b>				
$F_{ah}$ ( $F_{ah}'$ )	<b>50</b>	kN/m	$e_a$	<b>1.490</b> m
$F_{uah}$	<b>11</b>	kN/m	$e_{ua}$	<b>0.500</b> m
$F_{ph}$ ( $F_{ph}'$ )	<b>35</b>	kN/m	$e_p$	<b>-0.800</b> m
$F_{uph}$	<b>7</b>	kN/m	$e_{up}$	<b>-0.800</b> m
<b>Vertical (Downward) Load</b>				
$W_1$	<b>44</b>	kN/m	$e_{w1} = 0.000$	<b>0.000</b> m
$W_2$	<b>25</b>	kN/m	$B_{width,base}/2 + B_{width,top}/2$	<b>-1.900</b> m
$W_3$	<b>0</b>	kN/m	$(B_{width,top} + B_{width,base,c})/3$	<b>-1.750</b> m
$W_4$	<b>0</b>	kN/m	$B_{width,base,a}/2 - B_{width,base}/2$	<b>-2.050</b> m
$W_5$	<b>0</b>	kN/m	$B_{width,base,a}/2 - B_{width,base}/2$	<b>-2.050</b> m
$F_{av}$ ( $F_{av}'$ )	<b>18</b>	kN/m	$B_{width,base,a} - B_{width,base}/2$	<b>-2.050</b> m
$F_{uav}$	<b>0</b>	kN/m	$B_{width,base,a} - B_{width,base}/2$	<b>-2.050</b> m
$F_{pv}$ ( $F_{pv}'$ )	<b>-9</b>	kN/m	$e_{pv} = B_{width,base}/2$	<b>2.050</b> m
$F_{upv}$	<b>0</b>	kN/m	$e_{upv} = B_{width,base}/2$	<b>2.050</b> m
$-F_{water}$	<b>-30</b>	kN/m	$B_{width,base}/[3 \cdot (u_a + u_p)]$	<b>-0.683</b> m
<i>Note eccentricity of vertical load from base centroid based upon the simplification that the active pressure acts entirely on the stem (<math>d_a - T_{base}</math>) and that the passive pressure acts entirely on the base <math>T_{base}</math>, where the shear key (if employed) is assumed to also be;</i>				
Total retaining wall SLS vertical (downward) load, $F_{concrete,cantilever,v}$			<b>78</b>	kN/m
<i>Note <math>F_{concrete,cantilever,v} = W_1 + W_2 + W_3 + W_4 + W_5 + F_{av}(F_{av}') + 0(F_{uav}) + F_{pv}(F_{pv}') + 0(F_{upv})</math>;</i>				
Total retaining wall SLS effective vertical (downward) load, $F_{concrete,cantilever,v}'$			<b>48</b>	kN/m
<i>Note <math>F_{concrete,cantilever,v}' = F_{concrete,cantilever,v} - F_{water}</math>;</i>				
Total retaining wall SLS horizontal load, $F_{concrete,cantilever,h}$			<b>19</b>	kN/m
<i>Note <math>F_{concrete,cantilever,h} = F_{ah}(F_{ah}') + 0(F_{uah}) - F_{ph}(F_{ph}') - 0(F_{uph}) - R_s</math>;</i>				
<i>Note <math>F_{concrete,cantilever,h}</math> is set to 0 if the sliding resistance capacity exceeds the sliding force;</i>				
Total retaining wall SLS moment about base centroid, $M_{concrete,cantilever}$			<b>31</b>	kNm/m
<i>Note <math>M_{concrete,cantilever} = F_{ah}(F_{ah}') \cdot e_a + 0(F_{uah}) \cdot e_{ua} - F_{ph}(F_{ph}') \cdot e_p - 0(F_{uph}) \cdot e_{up} + W_1 \cdot e_{w1} + W_2 \cdot e_{w2} + W_3 \cdot e_{w3} + W_4 \cdot e_{w4} + W_5 \cdot e_{w5} + F_{av}(F_{av}') \cdot e_{av} + 0(F_{uav}) \cdot e_{uav} + F_{pv}(F_{pv}') \cdot e_{pv} + 0(F_{upv}) \cdot e_{upv} - F_{water} \cdot e_{water}</math>;</i>				
<i>Note surcharge not included in calculation of restoring moment as it cannot be guaranteed;</i>				
<i>Note <math>M_{concrete,cantilever}</math> is set to 0 if the restoring moment capacity exceeds the overturning moment;</i>				
Equivalent eccentricity, $e_{eff} = \text{MAX}(0, M_{concrete,cantilever} / (F_{concrete,cantilever,v}' - W_4))$			0.657	m
<i>Note surcharge not included in calculation of restoring vertical (downward) load as it cannot be guaranteed;</i>				
Limiting eccentricity for no overall uplift (factored), $e_{eff,limit} = (B_{width,base} / 6) / F_{concrete,cantilever,v}'$			0.683	m





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Structure, Member Design - Geotechnics Retaining Walls		Made by	XX	Date	21/11/2021	Chd.
<b>Concrete Cantilever Retaining Wall Reinforcement Design</b>						
						
<b>Bending Moment Design in Stem</b>						
Moment at stem base per metre, M					87	kNm/m
$Note\ M = MAX [0, K.F_{ah}(K.F_{ah}') \cdot (e_a - T_{base} + B_{width,base,c}/2) + 0(K.F_{uah}) \cdot (e_{ua} - T_{base} + B_{width,base,c}/2) - K.F_{ph}(K.F_{ph}') \cdot (e_p - T_{base} + B_{width,base,c}/2) - 0(K.F_{uph}) \cdot (e_{up} - T_{base} + B_{width,base,c}/2)];$						
Concrete moment capacity per metre, $M_u = 0.156f_{cu} \cdot 1000 \cdot d_{stem}^2$					359	kNm/m
Bending stress, $[M/bd^2] = M / [(1000) \cdot d_{stem}^2]$					1.51	N/mm <sup>2</sup>
Bending stress ratio, $K = [M/bd^2] / f_{cu} \leq 0.156$					0.038	OK
Lever arm, $z = d_{stem} \cdot [0.5 + (0.25 - K/0.9)^{0.5}] \leq 0.95d_{stem}$					228	mm
Area of tension steel required, $A_s = M / [(0.95f_y) \cdot z]$					873	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,stem}$					1571	mm <sup>2</sup> /m
Bending moment in stem utilisation = $A_s / A_{s,prov,stem}$					56%	OK
% Min longitudinal reinforcement in stem ( $\geq 0.0024 \cdot 1000 \cdot B_{width,base,c}$ G250; )					0.52	%
% Min longitudinal reinforcement in stem utilisation					25%	OK
<b>Shear Design in Stem</b>						
Shear force at stem base per metre, $V_{ult} = MAX [0, K.F_{ah}(K.F_{ah}') + 0(K.F_{uah}) - K.F_{ph}(K.F_{ph}')]$					86	kN/m
Shear force at stem base per metre, $V = MAX [0, K.F_{ah}(K.F_{ah}') + 0(K.F_{uah}) - K.F_{ph}(K.F_{ph}')]$					86	kN/m
Ultimate shear stress in stem, $v_{ult} = V_{ult} / (1000 \cdot d_{stem})$ ( $< 0.8f_{cu}^{0.5}$ & 5N/mm <sup>2</sup> )					0.36	N/mm <sup>2</sup>
Ultimate shear stress in stem utilisation					7%	OK
Design shear stress in stem, $v_d = V / (1000 \cdot d_{stem})$					0.36	N/mm <sup>2</sup>
<i>(Conservatively, shear capacity enhancement by either calculating <math>v_d</math> at <math>d</math> from support and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 or calculating <math>v_d</math> at support and comparing against enhanced <math>v_c</math> within <math>2d</math> of the support as clause 3.4.5.8 BS8110 ignored;)</i>						
Area of tensile steel reinforcement provided, $A_{s,prov,stem}$					1571	mm <sup>2</sup> /m
$\rho_w = 100A_{s,prov,stem} / (1000 \cdot d_{stem})$					0.65	%
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d_{stem})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{stem})^{1/4} > 0.67$					0.73	N/mm <sup>2</sup>
<b>Check <math>v_d &lt; v_c</math> for no links</b>					VALID	
Concrete shear capacity $v_c \cdot (1000 \cdot d_{stem})$					175	kN/m
<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>					N/A	
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000) / (0.95f_{yv})$ i.e. $A_{sv} / S > 416$					0.92	mm <sup>2</sup> /mm/m
Concrete and nominal links shear capacity $(0.4 + v_c) \cdot (1000 \cdot d_{stem})$					271	kN/m
<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>					N/A	
Provide shear links $A_{sv} / S > 1000 \cdot (v_d - v_c) / (0.95f_{yv})$ i.e. $A_{sv} / S > 1000 \cdot (0.36 - 0.73) / (0.95 \cdot 475) = -1.0$					0.92	mm <sup>2</sup> /mm/m
Concrete and design links shear capacity $(A_{sv,prov,stem} / S_{stem}) \cdot (0.95f_{yv})$					175	kN/m
Area provided by all links per metre, $A_{sv,prov,stem}$					0	mm <sup>2</sup> /m
Tried $A_{sv,prov,stem} / S_{stem}$ value					0.00	mm <sup>2</sup> /mm/m
Design shear resistance in stem utilisation					49%	OK

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Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Bending Moment Design in Heel</b>							
Moment in heel (at stem) per metre, M					0	kNm/m	
$Note\ M = K.W_1 \cdot (B_{width,base,a} / B_{width,base}) \cdot (B_{width,base,a} + B_{width,base,c}) / 2 + K.W_4 \cdot (B_{width,base,a} + B_{width,base,c}) / 2$ $+ K.W_5 \cdot (B_{width,base,a} + B_{width,base,c}) / 2$ $- K.[2 \cdot q_{w2} + (q_{w1} - q_{w2}) \cdot (B_{width,base,a} + B_{width,base,c} / 2) / B_{width,base}] \cdot (B_{width,base,a} + B_{width,base,c} / 2) / 2$ $\cdot (B_{width,base,a} + B_{width,base,c} / 2) \cdot (2q_{w2} + q_{w3}) / [3 \cdot (q_{w2} + q_{w3})]$ $where\ q_{w3} = q_{w2} + (q_{w1} - q_{w2}) \cdot (B_{width,base,a} + B_{width,base,c} / 2) / B_{width,base}$							
Concrete moment capacity per metre, $M_u = 0.156f_{cu} \cdot 1000 \cdot d_{heel}^2$					959	kNm/m	
Bending stress, $[M/bd^2] = M / [(1000) \cdot d_{heel}^2]$					0.00	N/mm <sup>2</sup>	
Bending stress ratio, $K = [M/bd^2] / f_{cu} \leq 0.156$					0.000		OK
Lever arm, $z = d_{heel} \cdot [0.5 + (0.25 - K/0.9)^{0.5}] \leq 0.95d_{heel}$					372	mm	
Area of tension steel required, $A_s = M / [(0.95f_y) \cdot z]$					-1	mm <sup>2</sup> /m	
Area of tensile steel reinforcement provided, $A_{s,prov,heel}$					1005	mm <sup>2</sup> /m	
Bending moment in heel utilisation = $A_s / A_{s,prov,heel}$					0%		OK
% Min longitudinal reinforcement in heel ( $\geq 0.0024 \cdot 1000 \cdot T_{base}$ G250; $\geq 0.002$ )					0.22	%	
% Min longitudinal reinforcement in heel utilisation					58%		OK
<b>Shear Design in Heel</b>							
Shear force in heel (at stem) per metre, $V_{ult}$					0	kN/m	
Shear force in heel (at stem) per metre, V					0	kN/m	
$Note\ V_{ult}\ and\ V = K.W_1 \cdot B_{width,base,a} / B_{width,base} + K.W_4 + K.W_5 - K.[2 \cdot q_{w2} + (q_{w1} - q_{w2}) \cdot B_{width,base,a} / B_{width,base}] \cdot B_{width,base,a} / 2;$							
Ultimate shear stress in heel, $v_{ult} = V_{ult} / (1000 \cdot d_{heel})$ ( $< 0.8f_{cu}^{0.5}$ & 5N/mm <sup>2</sup> )					0.00	N/mm <sup>2</sup>	
Ultimate shear stress in heel utilisation					0%		OK
Design shear stress in heel, $v_d = V / (1000 \cdot d_{heel})$					0.00	N/mm <sup>2</sup>	
<i>(Conservatively, shear capacity enhancement by either calculating <math>v_d</math> at <math>d</math> from support and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 or calculating <math>v_d</math> at support and comparing against enhanced <math>v_c</math> within <math>2d</math> of the support as clause 3.4.5.8 BS8110 ignored;)</i>							
Area of tensile steel reinforcement provided, $A_{s,prov,heel}$					1005	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,heel} / (1000 \cdot d_{heel})$					0.26	%	
$v_c = (0.79/1.25)(\rho_w f_{cu} / 25)^{1/3} (400/d_{heel})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{heel})^{1/4} > 0.67$					0.47	N/mm <sup>2</sup>	
<b>Check <math>v_d &lt; v_c</math> for no links</b>					VALID		
Concrete shear capacity $v_c \cdot (1000 \cdot d_{heel})$					185	kN/m	
<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>					N/A		
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000) / (0.95f_{yv})$ i.e. $A_{sv} / S > 416$					0.92	mm <sup>2</sup> /mm/m	
Concrete and nominal links shear capacity $(0.4 + v_c) \cdot (1000 \cdot d_{heel})$					342	kN/m	
<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>					N/A		
Provide shear links $A_{sv} / S > 1000 \cdot (v_d - v_c) / (0.95f_{yv})$ i.e. $A_{sv} / S > 416$					0.92	mm <sup>2</sup> /mm/m	
Concrete and design links shear capacity $(A_{sv,prov,heel} / S_{heel}) \cdot (0.95f_{yv})$					185	kN/m	
Area provided by all links per metre, $A_{sv,prov,heel}$					0	mm <sup>2</sup> /m	
Tried $A_{sv,prov,heel} / S_{heel}$ value					0.00	mm <sup>2</sup> /mm/m	
Design shear resistance in heel utilisation					0%		OK

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Structure, Member Design - Geotechnics Retaining Walls						Made by	XX	Date	21/11/2021	Chd.
<b>Bending Moment Design in Toe</b>										
Moment in toe (at stem) per metre, M						133	kNm/m			
$Note\ M = K.[2.q_{w1} - (q_{w1} - q_{w2}).(B_{width,base,b} + B_{width,base,c}/2)/B_{width,base}].(B_{width,base,b} + B_{width,base,c}/2)/2$ $.(B_{width,base,b} + B_{width,base,c}/2).(2q_{w1} + q_{w3}) / [3.(q_{w1} + q_{w3})]$ $-K.W_1.(B_{width,base,b}/B_{width,base}).(B_{width,base,b} + B_{width,base,c})/2$ $where\ q_{w3} = q_{w2} + (q_{w1} - q_{w2}).(B_{width,base,a} + B_{width,base,c}/2)/B_{width,base}$										
Note weight of earth in front of wall over toe conservatively ignored;										
Concrete moment capacity per metre, $M_u = 0.156f_{cu}.1000.d_{toe}^2$						959	kNm/m			
Bending stress, $[M/bd^2] = M / [(1000).d_{toe}^2]$						0.87	N/mm <sup>2</sup>			
Bending stress ratio, $K = [M/bd^2] / f_{cu} <= 0.156$						0.022		OK		
Lever arm, $z = d_{toe} . [0.5 + (0.25-K/0.9)^{0.5}] <= 0.95d_{toe}$						372	mm			
Area of tension steel required, $A_s = M / [(0.95f_y).z]$						818	mm <sup>2</sup> /m			
Area of tensile steel reinforcement provided, $A_{s,prov,toe}$						1005	mm <sup>2</sup> /m			
Bending moment in toe utilisation = $A_s / A_{s,prov,toe}$						81%		OK		
% Min longitudinal reinforcement in toe ( $>= 0.0024.1000.T_{base}$ G250; $>= 0.0$ )						0.22	%			
% Min longitudinal reinforcement in toe utilisation						58%		OK		
<b>Shear Design in Toe</b>										
Shear force in toe (at stem) per metre, $V_{ult}$						48	kN/m			
Shear force in toe (at stem) per metre, V						48	kN/m			
$Note\ V_{ult}\ and\ V = K.[2.q_{w1} - (q_{w1} - q_{w2}).B_{width,base,b}/B_{width,base}].B_{width,base,b}/2 - K.W_1.B_{width,base,b}/B_{width,base}$										
Note weight of earth in front of wall over toe conservatively ignored;										
Ultimate shear stress in toe, $v_{ult} = V_{ult}/(1000.d_{toe}) (< 0.8f_{cu}^{0.5} \& 5N/mm^2)$						0.12	N/mm <sup>2</sup>			
Ultimate shear stress in toe utilisation						2%		OK		
Design shear stress in toe, $v_d = V/(1000.d_{toe})$						0.12	N/mm <sup>2</sup>			
(Conservatively, shear capacity enhancement by either calculating $v_d$ at d from support and comparing against unenhanced $v_c$ as clause 3.4.5.10 BS8110 or calculating $v_d$ at support and comparing against enhanced $v_c$ within 2d of the support as clause 3.4.5.8 BS8110 ignored;)										
Area of tensile steel reinforcement provided, $A_{s,prov,toe}$						1005	mm <sup>2</sup> /m			
$\rho_w = 100A_{s,prov,toe}/(1000.d_{toe})$						0.26	%			
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{toe})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{toe})^{1/4} > 0.67$						0.47	N/mm <sup>2</sup>			
<b>Check <math>v_d &lt; v_c</math> for no links</b>						VALID				
Concrete shear capacity $v_c.(1000.d_{toe})$						185	kN/m			
<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>						N/A				
Provide nominal links such that $A_{sv} / S > 0.4.(1000)/(0.95f_{yv})$ i.e. $A_{sv} / S >$						0.92	mm <sup>2</sup> /mm/m			
Concrete and nominal links shear capacity $(0.4 + v_c).(1000.d_{toe})$						342	kN/m			
<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>						N/A				
Provide shear links $A_{sv} / S > 1000.(v_d - v_c)/(0.95f_{yv})$ i.e. $A_{sv} / S >$						0.92	mm <sup>2</sup> /mm/m			
Concrete and design links shear capacity $(A_{sv,prov,toe}/S_{toe}).(0.95f_{yv}).(1000.d_{toe})$						185	kN/m			
Area provided by all links per metre, $A_{sv,prov,toe}$						0	mm <sup>2</sup> /m			
Tried $A_{sv,prov,toe} / S_{toe}$ value						0.00	mm <sup>2</sup> /mm/m			
Design shear resistance in toe utilisation						26%		OK		

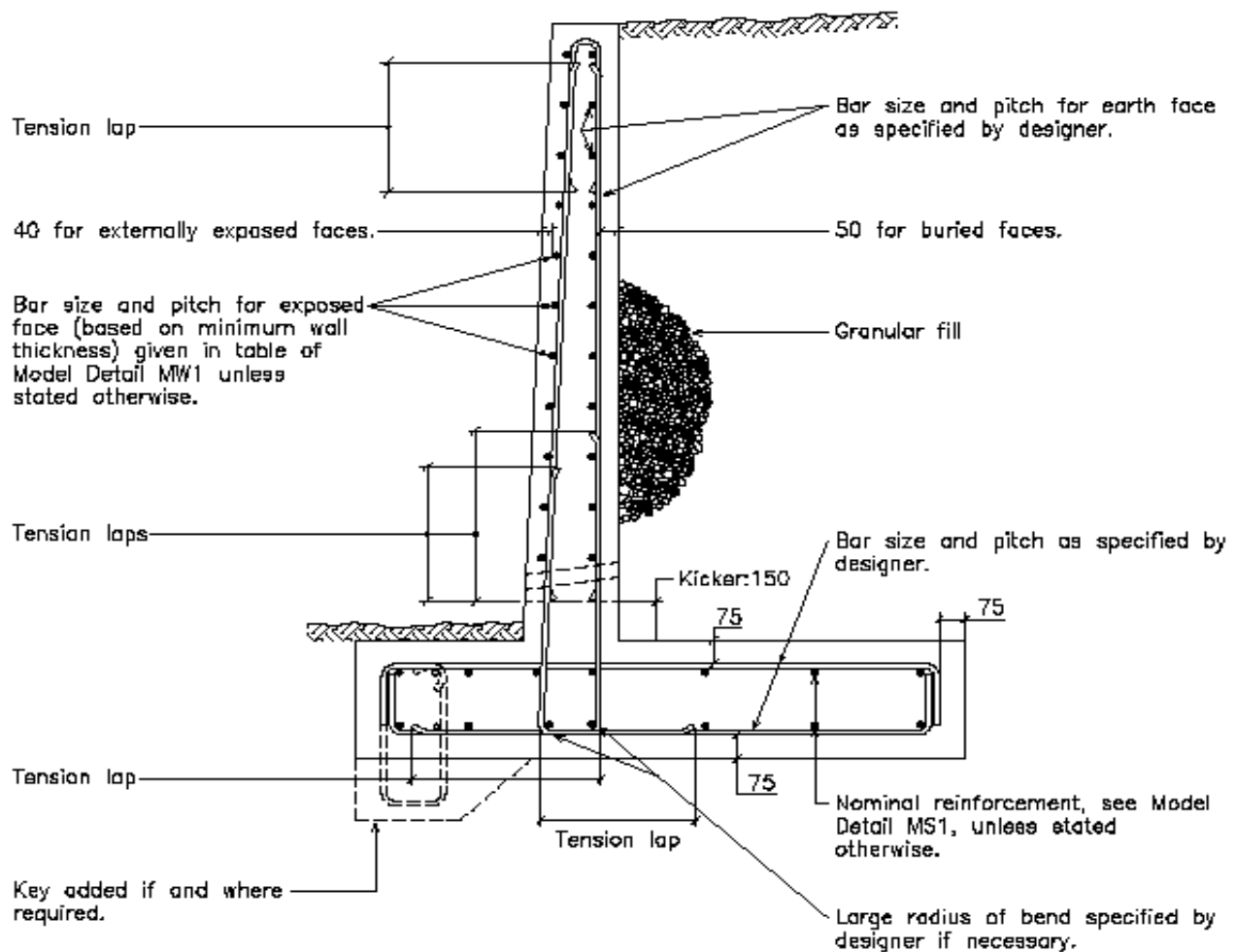
CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers				Job No.	Sheet No.	Rev.	
						jXXX	58		
					Member/Location				
Job Title	Structure, Member Design - Geotechnics Retaining Wall				Drg.				
Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date	21/11/2021	Chd.
<b>Detailing Requirements</b>									
All detailing requirements met ?						<b>OK</b>			
Max longitudinal steel reinforcement pitch in stem ( $<3d_{stem}$ , $<750\text{mm}$ )						200	mm	<b>OK</b>	
Max longitudinal steel reinforcement pitch in heel ( $<3d_{heel}$ , $<750\text{mm}$ )						200	mm	<b>OK</b>	
Max longitudinal steel reinforcement pitch in toe ( $<3d_{toe}$ , $<750\text{mm}$ )						200	mm	<b>OK</b>	
<div style="border: 1px solid black; padding: 5px; width: fit-content; margin: auto;">           Maximum spacing:    0.5% Ast or less - 300mm                                          Between 0.5% and 1.0% - 225mm                                          1.0% Ast or greater - 175mm         </div>									
Max longitudinal steel reinforcement pitch in stem						200	mm	<b>OK</b>	
Max longitudinal steel reinforcement pitch in heel						200	mm	<b>OK</b>	
Max longitudinal steel reinforcement pitch in toe						200	mm	<b>OK</b>	
Min longitudinal steel reinforcement pitch in stem ( $>75\text{mm} + \phi_{stem}$ , $>100\text{mm} + \phi_{stem}$ )						200	mm	<b>OK</b>	
Min longitudinal steel reinforcement pitch in heel ( $>75\text{mm} + \phi_{heel}$ , $>100\text{mm} + \phi_{heel}$ )						200	mm	<b>OK</b>	
Min longitudinal steel reinforcement pitch in toe ( $>75\text{mm} + \phi_{toe}$ , $>100\text{mm} + \phi_{toe}$ )						200	mm	<b>OK</b>	
<i>Note an allowance has been made for laps in the min pitch by increasing the criteria by the bar diameter.</i>									
% Max longitudinal reinforcement in stem ( $\leq 0.04 \cdot 1000 \cdot B_{width,base,c}$ )						0.34	%	<b>OK</b>	
% Max longitudinal reinforcement in heel ( $\leq 0.04 \cdot 1000 \cdot T_{base}$ )						0.22	%	<b>OK</b>	
% Max longitudinal reinforcement in toe ( $\leq 0.04 \cdot 1000 \cdot T_{base}$ )						0.22	%	<b>OK</b>	
Longitudinal steel reinforcement diameter in stem, $\phi_{stem}$ ( $\geq 12\text{mm}$ )						20	mm	<b>OK</b>	
Longitudinal steel reinforcement diameter in heel, $\phi_{heel}$ ( $\geq 12\text{mm}$ )						16	mm	<b>OK</b>	
Longitudinal steel reinforcement diameter in toe, $\phi_{toe}$ ( $\geq 12\text{mm}$ )						16	mm	<b>OK</b>	
<b>Deflection Criteria in Stem</b>									
Span, $l = d_a - T_{base} + B_{width,base,c}/2$						3.600	m		
Span, $l$ / effective depth, $d_{stem}$ ratio						<b>15.0</b>			
Basic span / effective depth ratio criteria (7 cantilever)						7.0			
<i>Note multiplier <math>C_{1,span}</math> more or less than 10m not applicable;</i>									
Modification factor for tension $C_2$									
$M/bd_{stem}^2$						1.51	N/mm <sup>2</sup>		
<div style="border: 1px solid black; padding: 5px; display: inline-block;"> <math>f_s = \frac{2f_y A_{s,req}}{3A_{s,prov}} \times \frac{1}{\beta_b}</math> </div> ( $\beta_b = 1.0$ )						171	N/mm <sup>2</sup>		
Modification						<div style="border: 1px solid black; padding: 5px; display: inline-block;"> <math>0.55 + \frac{(477 - f_s)}{120 \left(0.9 + \frac{M}{bd^2}\right)} \leq 2.0</math> </div>		1.61	
Modified span / effective depth ratio criteria						<b>11.3</b>			
Deflection in stem utilisation						<b>133%</b>		<b>NOT OK</b>	

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Structure, Member Design - Geotechnics Retaining Walls		Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Standard Concrete Cantilever Retaining Wall Reinforcement Details</b>				

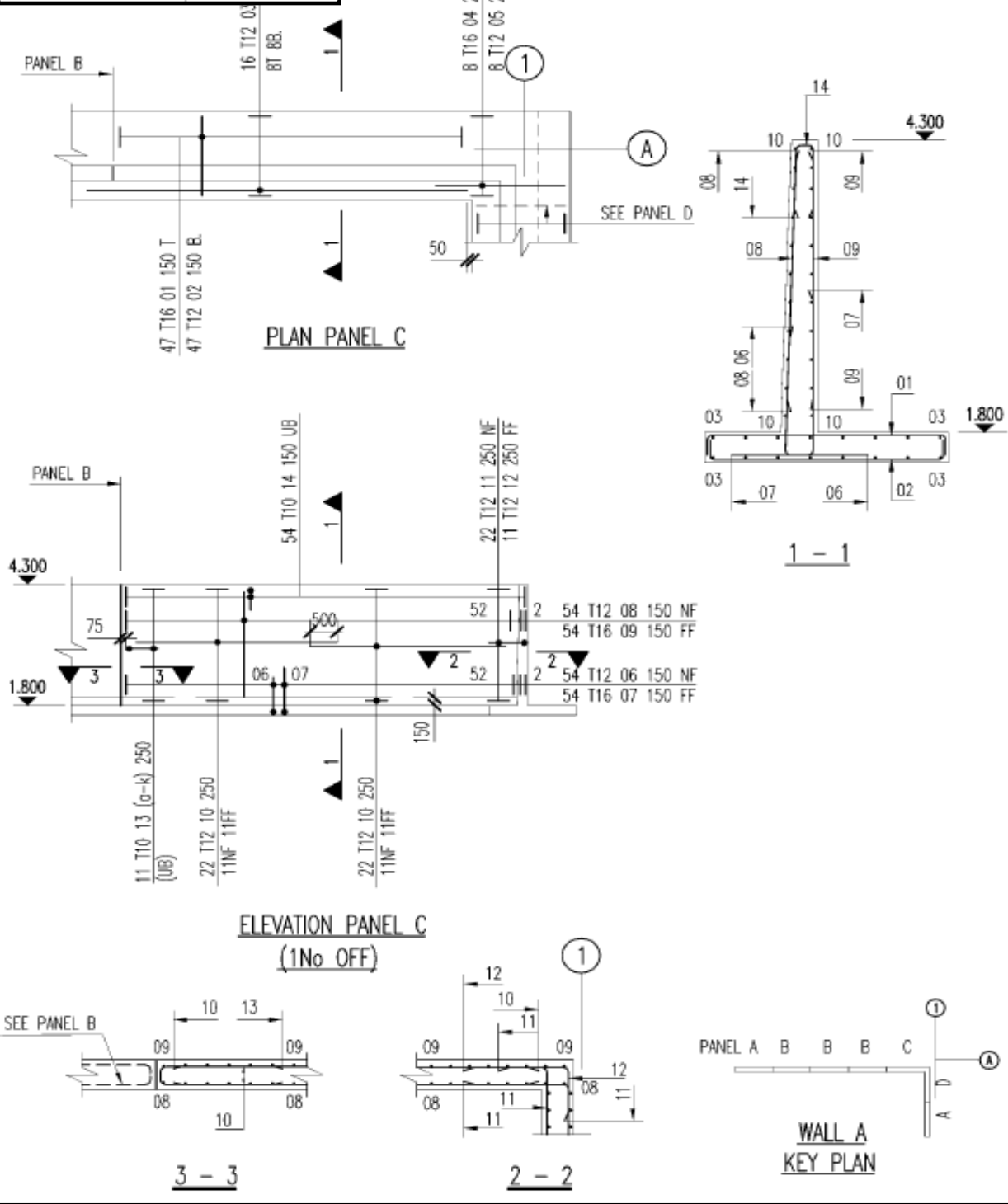
## RETAINING WALLS MRW1

### External cantilever wall.

Vertical bars placed on outside for earth faces.  
Horizontal bars placed on outside for exposed faces.



**Free Standing Retaining Wall**

































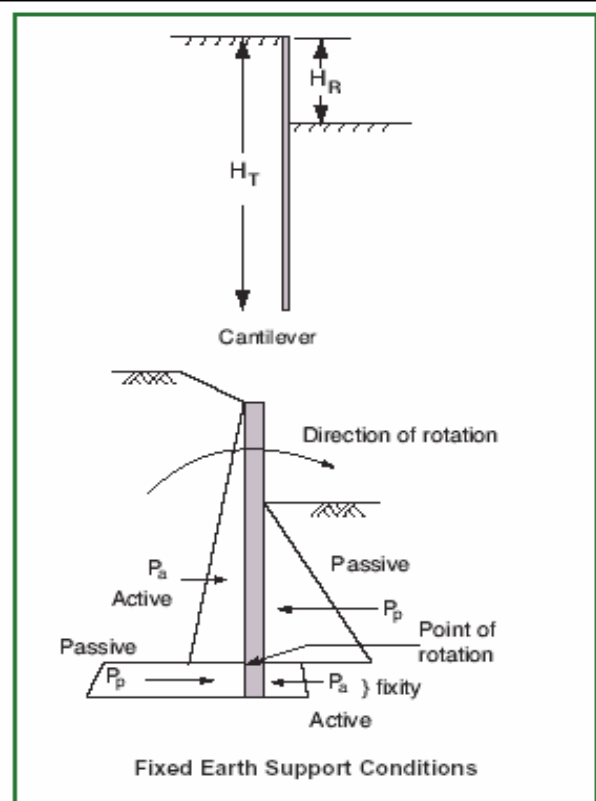




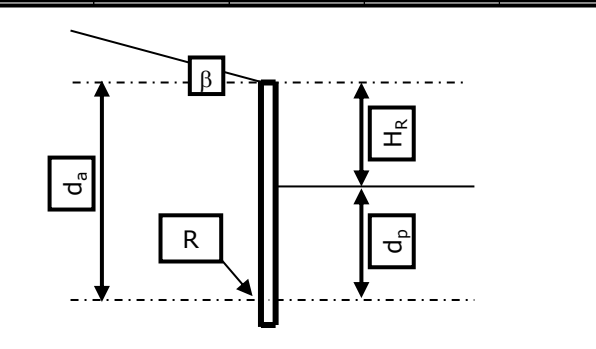
**Concrete or Steel Cantilever Embedded Retaining Wall Dimensions and Reinforcement**

**5.2.4 Cantilever walls**

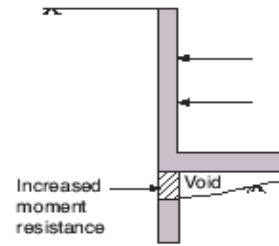
The stability of cantilever walls is illustrated in Figure 5.2. The mode of failure of the wall is by rotation about a point near the toe and the resulting active and passive pressures are shown in the Figure. This is a statically determinate system and, for any given active and passive pressure limits, there is only one depth of wall where a solution can be found<sup>5.2</sup>.



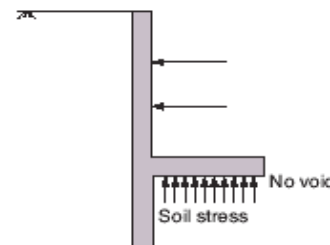
**Fig 5.2** Cantilever wall stability



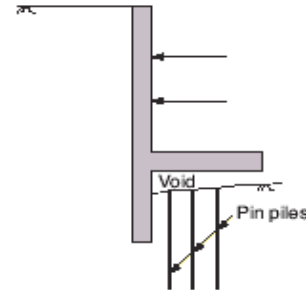
(a) Increase strength of toe of wall



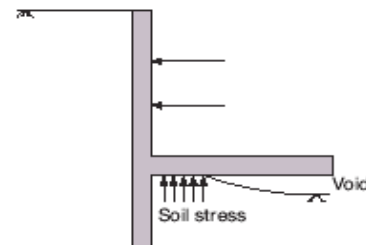
(b) No void



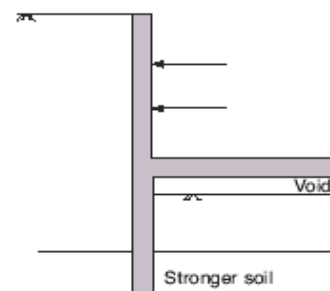
(c) Pin piles



(d) Partial soil bearing slab



(e) Extend into stronger soil



**Fig 5.5** Methods for dealing with potential toe instability

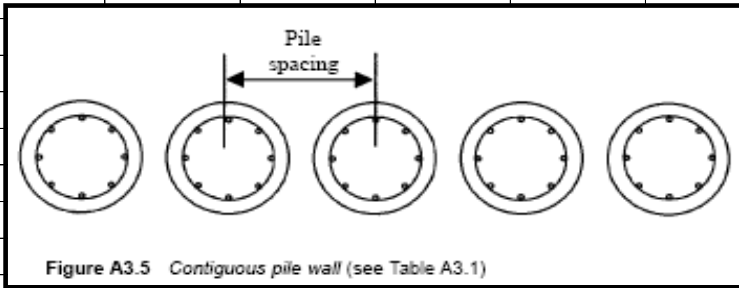


Figure A3.5 Contiguous pile wall (see Table A3.1)

Table A3.1 Contiguous pile wall – typical diameters and spacing

Diameter mm	Spacing mm	Diameter mm	Spacing mm	Diameter mm	Spacing mm
300	400	900	1000	1800	1900
450	550	1050	1150	2100	2200
600	700	1200	1300	2400	2500
750	850	1500	1600		

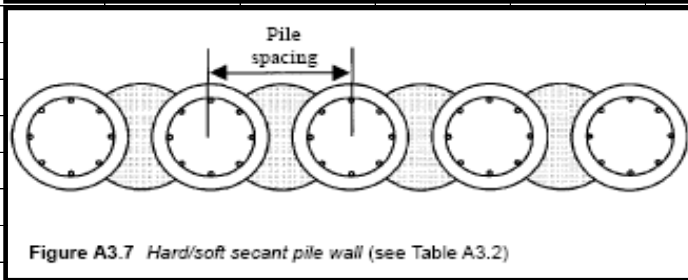


Figure A3.7 Hard/soft secant pile wall (see Table A3.2)

Table A3.2 Hard/soft secant pile wall – typical diameters and spacing

Diameter mm		Spacing <sup>(1)</sup> mm	Diameter mm		Spacing <sup>(1)</sup> mm
Male	Female		Male	Female	
450	450	600	900	600	1100
600	600	800	1200	600	1400
750	750	1000	1200	750	1450

**Note**

1. The gap between the male piles should not exceed 40 per cent of the diameter of the soft piles.

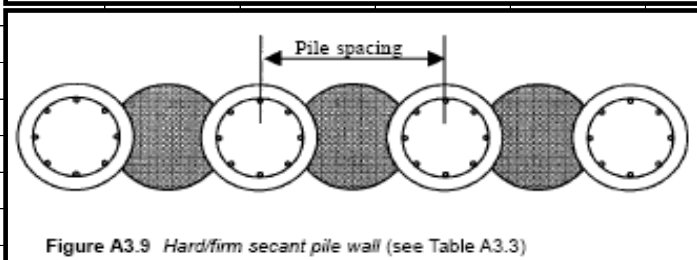


Figure A3.9 Hard/firm secant pile wall (see Table A3.3)

Table A3.3 Hard/firm secant pile wall – typical diameters and spacing

Diameter mm male and female	Spacing mm
600	900
750	1150

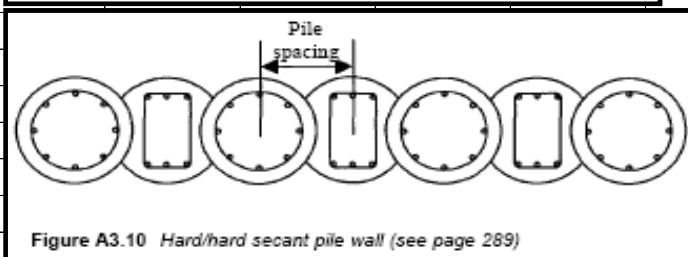


Figure A3.10 Hard/hard secant pile wall (see page 289)

Diameter mm Male and female	Spacing mm
750	650
880	760
1180	1025

Table A3.4 Hard/hard secant pile wall – typical diameters and spacing

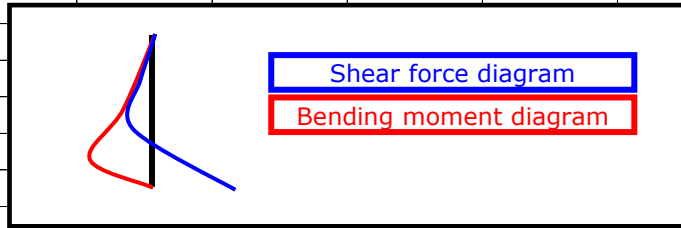




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		jXXX	77	
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	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Concrete or Steel Cantilever Embedded Retaining Wall SLS Loading</b>				
<b>Horizontal Load</b>			<b>Eccentricity from Base</b>	
$F_{ah}$ ( $F_{ah}'$ )	<b>N/A</b>	kN/m	$e_a$	<b>N/A</b> m
$F_{uah}$	<b>N/A</b>	kN/m	$e_{ua}$	<b>N/A</b> m
$F_{ph}$ ( $F_{ph}'$ )	<b>N/A</b>	kN/m	$e_p$	<b>N/A</b> m
$F_{uph}$	<b>N/A</b>	kN/m	$e_{up}$	<b>N/A</b> m
Total retaining wall SLS horizontal load, $F_{cantilever,h}$			<b>N/A</b>	kN/m
Note $F_{cantilever,h} = F_{ah}(F_{ah}') + 0(F_{uah}) - F_{ph}(F_{ph}') / FOS_5 - 0(F_{uph})$ ;				
Note negative $F_{cantilever,h}$ is effectively the additional passive resistance capacity over the active force;				
Goal seek $M_{cantilever}$ to 0.0 by changing $d_a$ and $d_p$ (fixed earth method) (click multiple times until convergence to the practical solution)				BS8002
Total retaining wall SLS moment about point of rotation, $M_{cantilever}$			<b>N/A</b>	kNm/m
Note $M_{cantilever} = F_{ah}(F_{ah}') \cdot e_a + 0(F_{uah}) \cdot e_{ua} - F_{ph}(F_{ph}') / FOS_5 \cdot e_p - 0(F_{uph}) \cdot e_{up}$ ;				
Anticipated maximum value of $d_a$ for commencement of iteration			<b>30.000</b>	m
Employ factor on embedment ?		Yes, Factor 1.2		
Note that the factor on embedment should be employed if the other FOS methods are not employed;				
Design embedment of embedded retaining wall, $L_0 = (1.2 \text{ or } 1.0) \cdot d_p$			<b>N/A</b>	m
Design total length of embedded retaining wall, $L_T = L_0 + H_R$			<b>N/A</b>	m
<b>Concrete or Steel Cantilever Embedded Retaining Wall ULS Loading</b>				
<b>ULS Horizontal Load</b>			Note it is assumed that the ULS loads act at the same eccentricities as the SLS loads;	
$K \cdot F_{ah}$ ( $K \cdot F_{ah}'$ )	<b>N/A</b>	kN/m		
$K \cdot F_{uah}$	<b>N/A</b>	kN/m		
$K \cdot F_{ph}$ ( $K \cdot F_{ph}'$ )	<b>N/A</b>	kN/m		
$K \cdot F_{uph}$	<b>N/A</b>	kN/m		

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		jXXX	78	
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Structure, Member Design - Geotechnics Retaining Walls		Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.

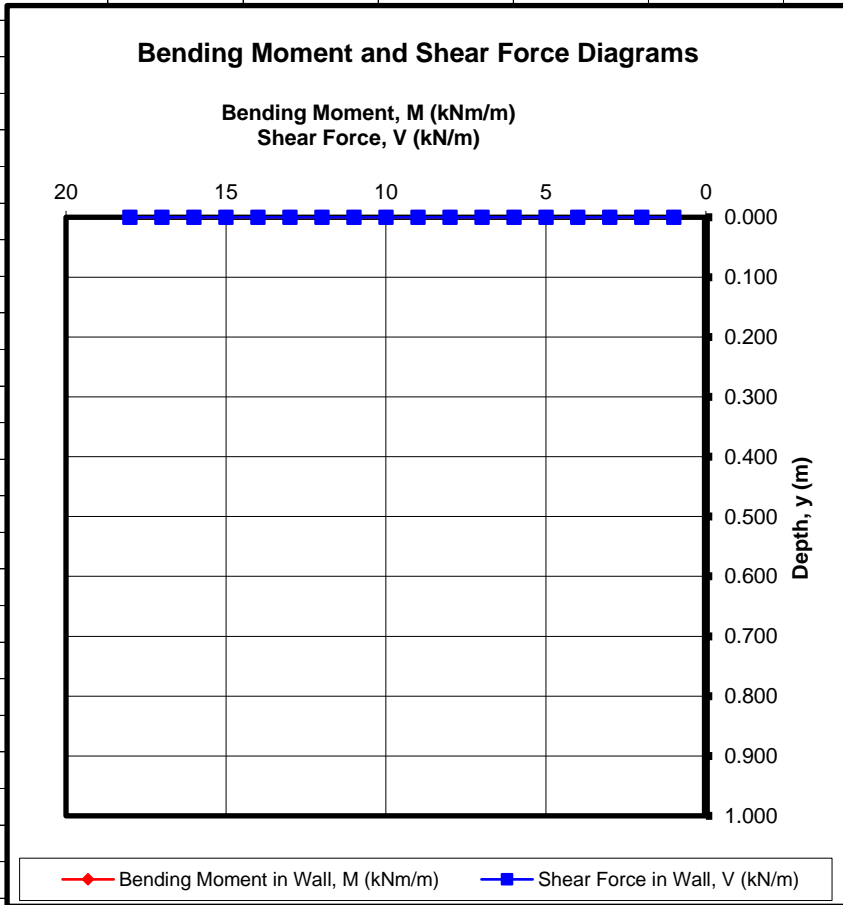
**Concrete or Steel Cantilever Embedded Retaining Wall Section Design**



**Bending Moment Design in Wall, Shear Design in Wall and Detailing Requirements**

Point	Depth, y (m)	Bending Moment in Wall, M (kNm/m)	Shear Force in Wall, V (kN/m)
1	N/A	N/A	N/A
2	N/A	N/A	N/A
3	N/A	N/A	N/A
4	N/A	N/A	N/A
5	N/A	N/A	N/A
6	N/A	N/A	N/A
7	N/A	N/A	N/A
8	N/A	N/A	N/A
9	N/A	N/A	N/A
10	N/A	N/A	N/A
11	N/A	N/A	N/A
12	N/A	N/A	N/A
13	N/A	N/A	N/A
14	N/A	N/A	N/A
15	N/A	N/A	N/A
16	N/A	N/A	N/A
17	N/A	N/A	N/A
18	N/A	N/A	N/A
<b>Σ</b>		<b>N/A</b>	<b>N/A</b>
<i>Note M = K.F<sub>ah,y</sub>(K.F<sub>ah,y</sub>')·e<sub>a,y</sub> - K.F<sub>ph,y</sub>(K.F<sub>ph,y</sub>')/FOS<sub>s</sub>·e<sub>p,y</sub> + 0(K.F<sub>uah,y</sub>)·e<sub>ua,y</sub> - 0(K.F<sub>uph,y</sub>)·e<sub>up,y</sub>;</i>			
<i>Note V = K.F<sub>ah,y</sub>(K.F<sub>ah,y</sub>') - K.F<sub>ph,y</sub>(K.F<sub>ph,y</sub>')/FOS<sub>s</sub> + 0(K.F<sub>uah,y</sub>) - 0(K.F<sub>uph,y</sub>);</i>			
<i>where for undrained analysis</i>		<i>and for drained analysis</i>	
$\sigma_{va,surface} = p_{s,a}$		$\sigma_{va,surface}' = p_{s,a} - 0.0$	
$\sigma_{va,y} = p_{s,a} + \gamma \cdot y$		$\sigma_{va,y}' = p_{s,a} + \gamma \cdot y - \gamma_w \cdot \text{MAX}(0.0, y - d_{aw})$	
$\sigma_{ha,surface} = \text{MAX}(0, \sigma_{va,surface} - 2S_u)$		$\sigma_{ha,surface}' = K_a \cdot \sigma_{va,surface}' - 2c' \sqrt{K_a}$	
$\sigma_{ha,y} = \text{MAX}(4.8y, \sigma_{va,y} - 2S_u)$		$\sigma_{ha,y}' = K_a \cdot \sigma_{va,y}' - 2c' \sqrt{K_a}$	
$F_{ah,y} = 0.5 \cdot (\sigma_{ha,surface} + \sigma_{ha,y}) \cdot y \cdot \sin \alpha$		$F_{ah,y}' = 0.5 \cdot (\sigma_{ha,surface}' + \sigma_{ha,y}') \cdot y \cdot \cos(90^\circ - \alpha)$	
$e_{a,y} = y \cdot (2 \sigma_{ha,surface} + \sigma_{ha,y}) / [3 \cdot (\sigma_{ha,surface} + \sigma_{ha,y})]$		$e_{a,y} = y \cdot (2 \sigma_{ha,surface}' + \sigma_{ha,y}') / [3 \cdot (\sigma_{ha,surface}' + \sigma_{ha,y}')] $	
$\sigma_{vp,surface} = p_{s,p}$		$u_{a,surface} = 0.0$	
$\sigma_{vp,y} = p_{s,p} + \gamma \cdot (y - H_R)$		$u_{a,y} = 0.0 + \gamma_w \cdot \text{MAX}(0.0, y - d_{aw})$	
$\sigma_{hp,surface} = \sigma_{vp,surface} + 2S_u$		$F_{uah,y} = 0.5 \cdot (u_{a,surface} + u_{a,y}) \cdot \text{MAX}(0.0, y - d_{aw})$	
$\sigma_{hp,y} = \sigma_{vp,y} + 2S_u$		$e_{ua,y} = (y - d_{aw}) \cdot (2u_{a,surface} + u_{a,y}) / [3 \cdot (u_{a,surface} + u_{a,y})]$	
$F_{ph,y} = 0.5 \cdot (\sigma_{hp,surface} + \sigma_{hp,y}) \cdot \text{MAX}(0.0, y - H_R) \cdot \sin \gamma$		$\sigma_{vp,surface}' = p_{s,p} - 0.0$	
$e_{p,y} = (y - H_R) \cdot (2 \sigma_{hp,surface} + \sigma_{hp,y}) / [3 \cdot (\sigma_{hp,surface} + \sigma_{hp,y})]$		$\sigma_{vp,y}' = p_{s,p} + \gamma \cdot \text{MAX}(0.0, y - H_R) - \gamma_w \cdot \text{MAX}(0.0, y - d_{pw})$	
		$\sigma_{hp,surface}' = K_p \cdot \sigma_{vp,surface}' + 2c' \sqrt{K_p}$	
		$\sigma_{hp,y}' = K_p \cdot \sigma_{vp,y}' + 2c' \sqrt{K_p}$	
		$F_{ph,y}' = 0.5 \cdot (\sigma_{hp,surface}' + \sigma_{hp,y}') \cdot \text{MAX}(0.0, y - H_R) \cdot \sin \gamma$	
		$e_{p,y} = \text{MAX}(0.0, y - H_R) \cdot (2 \sigma_{hp,surface}' + \sigma_{hp,y}') / [3 \cdot (\sigma_{hp,surface}' + \sigma_{hp,y}')] $	
		$u_{p,surface} = 0.0$	
		$u_{p,y} = 0.0 + \gamma_w \cdot \text{MAX}(0.0, y - H_R - d_{pw})$	
		$F_{uph,y} = 0.5 \cdot (u_{p,surface} + u_{p,y}) \cdot \text{MAX}(0.0, y - H_R)$	
		$e_{up,y} = (y - H_R - d_{pw}) \cdot (2u_{p,surface} + u_{p,y}) / [3 \cdot (u_{p,surface} + u_{p,y})]$	

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Moment in wall per metre, M		N/A	kNm/m
Shear force in wall per metre, $V_{ult}$ or V		N/A	kN/m
<b>Concrete Contiguous / Interlocking / Secant Pile Wall</b>			
Ratio $h_s/D$		N/A	
Bending stress, $M.p/D^3$		N/A	N/mm <sup>2</sup>
From interaction charts, $100A_s/A_{ps}$		2.0	%
Area of tensile steel required, $A_s = (100A_s/A_{ps})/100.A_{ps}$		N/A	mm <sup>2</sup> /pile
Area of tensile steel reinforcement provided, $A_{s,prov,pile}$		N/A	mm <sup>2</sup> /pile
$+ \delta)$ Bending moment in wall utilisation = $A_s / A_{s,prov,pile}$		N/A	N/A
$(\sigma_{ha,y} ')]$			
<i>Note that pile shear design to be performed as per column design;</i>			
$) . \sin \alpha$	All detailing requirements met ?	N/A	
$e + u_{a,y} ')]$			
	Min longitudinal steel reinforcement number, $n_{pile}$ ( $\geq 6$ circular)	N/A	N/A
$0, \gamma - H_R - d_p$	Min longitudinal steel reinforcement diameter, $\phi_{pile}$ ( $\geq 12$ mm)	N/A	mm
	Percentage of reinforcement $A_{s,prov,pile}/A_{ps} \times 100\%$ ( $> 0.4\%$ and $< 6\%$ )	N/A	%
	Longitudinal steel reinforcement pitch ( $\geq 75$ mm but $\geq 100$ mm for circular)	N/A	mm
$(H_R) . \cos(90^\circ - \gamma - \delta)$	Circular pile bar pitch = $\pi(D - 2 \cdot \text{MAX}(\text{cover}_1, \text{cover}_2) - \phi_{pile})$	N/A	mm
$([3. (\sigma_{hp,surf}$	Min link diameter, $\phi_{link,pile}$ ( $\geq 0.25\phi_{pile}$ ; $\geq 8$ mm)	N/A	mm
	Max link pitch, $S_{pile}$ ( $\leq 12\phi_{pile}$ , $\leq 300$ mm, $\leq D$ for circular)	N/A	mm
	<i>Require an overall enclosing link.</i>		
$-d_{pw} ) . \sin \gamma$			
$surface + u_{p,y} ')]$			

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Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Concrete Diaphragm Wall</b>							
Concrete moment capacity per metre, $M_u = 0.156f_{cu} \cdot 1000 \cdot d_{wall}^2$					N/A	kNm/m	
Bending stress, $[M/bd^2] = M / [(1000) \cdot d_{wall}^2]$					N/A	N/mm <sup>2</sup>	
Bending stress ratio, $K = [M/bd^2] / f_{cu}$					N/A		N/A
Lever arm, $z = d_{wall} \cdot [0.5 + (0.25 - K/0.9)^{0.5}] \leq 0.95d_{wall}$					N/A	mm	
Area of tension steel required, $A_s = M / [(0.95f_y) \cdot z]$					N/A	mm <sup>2</sup> /m	
Area of tensile steel reinforcement provided, $A_{s,prov,wall}$					N/A	mm <sup>2</sup> /m	
Bending moment in wall utilisation = $A_s / A_{s,prov,wall}$					N/A		N/A
% Min longitudinal reinforcement in wall ( $\geq 0.0024 \cdot 1000 \cdot t$ G250;					N/A	%	
% Min longitudinal reinforcement in wall utilisation					N/A		N/A
Ultimate shear stress in wall, $v_{ult} = V_{ult} / (1000 \cdot d_{wall})$ ( $< 0.8f_{cu}^{0.5}$ & $5N/mm^2$ )					N/A	N/mm <sup>2</sup>	
Ultimate shear stress in wall utilisation					N/A		N/A
Design shear stress in wall, $v_d = V / (1000 \cdot d_{wall})$					N/A	N/mm <sup>2</sup>	
<i>(Conservatively, shear capacity enhancement by either calculating <math>v_d</math> at <math>d</math> from support and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 or calculating <math>v_d</math> at support and comparing against enhanced <math>v_c</math> within <math>2d</math> of the support as clause 3.4.5.8 BS8110 ignored;)</i>							
Area of tensile steel reinforcement provided, $A_{s,prov,wall}$					N/A	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,wall} / (1000 \cdot d_{wall})$					N/A	%	
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{wall})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{wall})^{1/4} < 1.25$					N/A	N/mm <sup>2</sup>	
<b>Check <math>v_d &lt; v_c</math> for no links</b>					N/A		
Concrete shear capacity $v_c \cdot (1000 \cdot d_{wall})$					N/A	kN/m	
<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>					N/A		
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000) / (0.4 + v_c) \cdot d_{wall}$					N/A	mm <sup>2</sup> /mm/m	
Concrete and nominal links shear capacity $(0.4 + v_c) \cdot (1000 \cdot d_{wall})$					N/A	kN/m	
<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>					N/A		
Provide shear links $A_{sv} / S > 1000 \cdot (v_d - v_c) / (0.95f_{yv})$ i.e. $> 1000 \cdot (v_d - v_c) / (0.95 \cdot 460)$					N/A	mm <sup>2</sup> /mm/m	
Concrete and design links shear capacity $(A_{sv,prov,wall} / S_{wall}) \cdot (1000 \cdot d_{wall})$					N/A	kN/m	
Area provided by all links per metre, $A_{sv,prov,wall}$					N/A	mm <sup>2</sup> /m	
Tried $A_{sv,prov,wall} / S_{wall}$ value					N/A	mm <sup>2</sup> /mm/m	
Design shear resistance in wall utilisation					N/A		N/A
All detailing requirements met ?					N/A		
Max longitudinal steel reinforcement pitch in wall ( $< 3d_{wall,r}$ & $< 750mm$ )					N/A	mm	N/A
Max longitudinal steel reinforcement pitch in wall					N/A	mm	N/A
<div style="border: 1px solid black; padding: 5px; width: fit-content; margin: auto;">           Maximum spacing:    0.5% Ast or less - 300mm                                          Between 0.5% and 1.0% - 225mm                                          1.0% Ast or greater - 175mm         </div>							
Min longitudinal steel reinforcement pitch in wall ( $> 75mm + \phi_{wall,r}$ & $> 100mm$ )					N/A	mm	N/A
<i>Note an allowance has been made for laps in the min pitch by increasing the criteria by the bar diam</i>							
% Max longitudinal reinforcement in wall ( $\leq 0.04 \cdot 1000 \cdot t$ )					N/A	%	N/A
Longitudinal steel reinforcement diameter in wall, $\phi_{wall}$ ( $\geq 12mm$ )					N/A	mm	N/A



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Job Title	Structure, Member Design - Geotechnics Retaining Wall				Drg.				
Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>		
<b>Deflection Criteria in Wall</b>									
Span, l = depth, y to zero shear force, V					N/A			m	
SLS moment in wall per metre, M <sub>SLS</sub> = M/K					N/A			kNm/m	
Equivalent back-calculated triangular distributed loading, W = 3M <sub>SLS</sub> /l					N/A			kN/m	
<b>Concrete Contiguous / Interlocking / Secant Pile Wall</b>									
Maximum deflection in wall, $\delta_{max} = W.l^3/(15E_c.I)$					N/A			mm	
Deflection in wall (first principles) utilisation = $\delta_{max}/(l/250)$					N/A			N/A	
Span, l / pile shaft diameter, D ratio					N/A				
Basic span / effective depth ratio criteria (7 cantilever)					N/A				
<i>Note multiplier C<sub>1,span more or less than 10m</sub> not applicable;</i>									
Modification factor for tension C <sub>2</sub>					N/A			N/mm <sup>2</sup>	
		$f_s = \frac{2f_y A_s req}{3A_s prov} \times \frac{1}{\beta_b}$		<i>Note A<sub>s,prov,pile</sub>/2 as circular section;</i> $(\beta_b = 1.0)$				N/A	N/mm <sup>2</sup>
		Modification		$0.55 + \frac{(477 - f_s)}{120 \left(0.9 + \frac{M}{bd^2}\right)} \leq 2.0$		N/A			
Modified span / effective depth ratio criteria					N/A				
Deflection in wall (BS8110 method) utilisation					N/A			N/A	
<b>Concrete Diaphragm Wall</b>									
Maximum deflection in wall, $\delta_{max} = W.l^3/(15E_c.I)$					N/A			mm	
Deflection in wall (first principles) utilisation = $\delta_{max}/(l/250)$					N/A			N/A	
Span, l / effective depth, d <sub>wall</sub> ratio					N/A				
Basic span / effective depth ratio criteria (7 cantilever)					N/A				
<i>Note multiplier C<sub>1,span more or less than 10m</sub> not applicable;</i>									
Modification factor for tension C <sub>2</sub>					N/A			N/mm <sup>2</sup>	
		$f_s = \frac{2f_y A_s req}{3A_s prov} \times \frac{1}{\beta_b}$		$(\beta_b = 1.0)$				N/A	N/mm <sup>2</sup>
		Modification		$0.55 + \frac{(477 - f_s)}{120 \left(0.9 + \frac{M}{bd^2}\right)} \leq 2.0$		N/A			
Modified span / effective depth ratio criteria					N/A				
Deflection in wall (BS8110 method) utilisation					N/A			N/A	
<b>Steel Sheet Pile Wall</b>									
Maximum deflection in wall, $\delta_{max} = W.l^3/(15E_s.I)$					N/A			mm	
Deflection in wall (first principles) utilisation = $\delta_{max}/(l/250)$					N/A			N/A	

































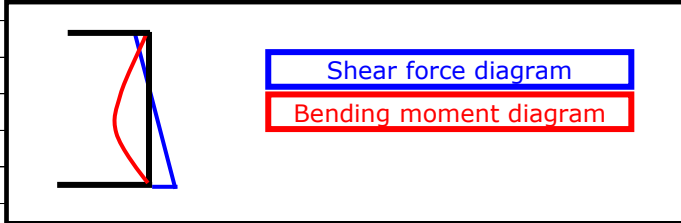




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Job Title	Structure, Member Design - Geotechnics Retaining Wall				Drg.		
Structure, Member Design - Geotechnics Retaining Walls		Made by	XX	Date	21/11/2021	Chd.	
<b>Concrete Propped (Basement) Retaining Wall Dimensions</b>							
<p>Note should the retaining wall also be subject to axial compressive forces from the superstructure above as well as bending moments and shears calculated herein, a column design check should be undertaken over a metre strip of the retaining wall accounting for both axial and bending effects.</p> <p>Usually for retaining walls subject to low axial stresses (<math>\leq 5\text{N/mm}^2</math>), this being the case for retaining walls supporting its self weight and a suspended deck, the axial compressive force only serves to reduce the steel area requirement. However for retaining walls subject to high axial stresses, this being the case for retaining walls supporting column loads from superstructure above or in the case of core walls, the axial compressive force will increase the steel area requirement. This phenomenon is apparent when the column interaction chart is studied.</p> <p>The base of the retaining wall should also be designed as for a strip or a pile foundation to resist this vertical load;</p>							
Angle of retaining face from horizontal, $\alpha = 90^\circ$					90.0	degrees	
Angle of exposed face from horizontal, $\gamma = 90^\circ$					90.0	degrees	N/A
Thickness of prop, $T_{prop}$					250	mm	
Thickness of base, $T_{base}$					250	mm	
<p>Note that the physical thickness of the prop and base has not been considered in effectively reducing the effective span of the simply supported retaining wall, instead the full defined depth dimension, <math>d_a</math> is adopted as the effective span;</p>							
Width, $B_{width}$					350	mm	N/A
<b>Concrete Propped (Basement) Retaining Wall Reinforcement</b>							
Longitudinal steel reinforcement diameter in stem, $\phi_{stem}$					20	mm	
Longitudinal steel reinforcement pitch in stem, $p_{stem}$					200	mm	
Longitudinal steel area provided in stem, $A_{s,prov,stem} = (\pi \cdot \phi_{stem}^2 / 4) / p_{stem}$					N/A	mm <sup>2</sup> /m	
Shear link diameter in stem, $\phi_{link,stem}$					None	mm	
Number of links per metre in stem, $n_{link,stem}$					5	/m	
Area provided by all links per metre in stem, $A_{sv,prov,stem} = n_{link,stem} \cdot \pi \cdot \phi_{link,stem}^2 / 4$					N/A	mm <sup>2</sup> /m	
Pitch of links in stem, $S_{stem}$					200	mm	
Effective depth to longitudinal steel in stem, $d_{stem} = B_{width} - cover_1 - \phi_{link,stem} - c$					N/A	mm	
Estimated steel reinforcement quantity					N/A	kg/m <sup>3</sup>	
stem $[ 7.850 \cdot (A_{s,prov,stem}) / B_{width} ]$ ;					N/A	kg/m <sup>3</sup>	
No curtailment; No laps; Links ignored; Distribution steel ignored;							

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	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Concrete Propped (Basement) Retaining Wall SLS Loading</b>				
<b>Horizontal Load</b>			<b>Eccentricity from Base</b>	
	$F_{ah} (F_{ah}')$	<b>N/A</b>	kN/m	$e_a$ <b>N/A</b> m
	$\sigma_{ha,surface} \cdot \sin\alpha (\sigma_{ha,surface}' \cdot \cos(90^\circ - \alpha + \delta))$	<b>N/A</b>	kN/m <sup>2</sup>	
	$\sigma_{ha,base} \cdot \sin\alpha (\sigma_{ha,base}' \cdot \cos(90^\circ - \alpha + \delta))$	<b>N/A</b>	kN/m <sup>2</sup>	
	$F_{uah}$	<b>N/A</b>	kN/m	$e_{ua}$ <b>N/A</b> m
	$u_{a,surface} \cdot \sin\alpha$	<b>N/A</b>	kN/m <sup>2</sup>	
	$u_{a,base} \cdot \sin\alpha$	<b>N/A</b>	kN/m <sup>2</sup>	
<i>Note that expressions above are simplified in that the change of slope on the vertical and horizontal effective stress diagrams due to the water table are unaccounted for;</i>				
Prop uniformly distributed SLS compression load, $F_{concrete,propped,h}$			<b>N/A</b>	kN/m
<i>Note <math>F_{concrete,propped,h} = (F_{ah} (F_{ah}') \cdot e_a + 0(F_{uah}) \cdot e_{ua}) / d_a</math>;</i>				
<b>Concrete Propped (Basement) Retaining Wall ULS Loading</b>				
<b>ULS Horizontal Load</b>			<i>Note it is assumed that the ULS loads act at same eccentricities as the SLS loads;</i>	
	$K \cdot F_{ah} (K \cdot F_{ah}')$	<b>N/A</b>	kN/m	
	$K \cdot \sigma_{ha,surface} \cdot \sin\alpha (K \cdot \sigma_{ha,surface}' \cdot \cos(90^\circ - \alpha + \delta))$	<b>N/A</b>	kN/m <sup>2</sup>	
	$K \cdot \sigma_{ha,base} \cdot \sin\alpha (K \cdot \sigma_{ha,base}' \cdot \cos(90^\circ - \alpha + \delta))$	<b>N/A</b>	kN/m <sup>2</sup>	
	$K \cdot F_{uah}$	<b>N/A</b>	kN/m	
	$K \cdot u_{a,surface} \cdot \sin\alpha$	<b>N/A</b>	kN/m <sup>2</sup>	
	$K \cdot u_{a,base} \cdot \sin\alpha$	<b>N/A</b>	kN/m <sup>2</sup>	
<i>Note that expressions above are simplified in that the change of slope on the vertical and horizontal effective stress diagrams due to the water table are unaccounted for;</i>				
Prop uniformly distributed ULS compression load, $K \cdot F_{concrete,propped,h}$			<b>N/A</b>	kN/m



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	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Concrete Propped (Basement) Retaining Wall Reinforcement Design</b>				
				
<b>Bending Moment Design in Stem</b>				
Moment in stem (near midspan) per metre, M			<b>N/A</b>	kNm/m
<i>Note</i> $M = [K \cdot \sigma_{ha,surface} \cdot \sin \alpha (K \cdot \sigma_{ha,surface} \cdot \cos(90^\circ - \alpha + \delta))] \cdot 0.125 \cdot d_a^2$ $+ 0.5 \cdot [K \cdot \sigma_{ha,base} \cdot \sin \alpha (K \cdot \sigma_{ha,base} \cdot \cos(90^\circ - \alpha + \delta)) - K \cdot \sigma_{ha,surface} \cdot \sin \alpha (K \cdot \sigma_{ha,surface} \cdot \cos(90^\circ - \alpha + \delta))] \cdot 0.125 \cdot d_a^2$ $+ [0(K \cdot u_{a,surface} \cdot \sin \alpha)] \cdot 0.125 \cdot d_a^2 + 0.5 \cdot [0(K \cdot u_{a,base} \cdot \sin \alpha) - 0(K \cdot u_{a,surface} \cdot \sin \alpha)] \cdot 0.128 \cdot d_a^2$ ;				
<i>Note for simplicity, the maximum bending moments from both the uniform and the triangular load distributions are added although they occur at slightly different locations;</i>				
Concrete moment capacity per metre, $M_u = 0.156 f_{cu} \cdot 1000 \cdot d_{stem}^2$			<b>N/A</b>	kNm/m
Bending stress, $[M/bd^2] = M / [(1000) \cdot d_{stem}^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K = [M/bd^2] / f_{cu} \leq 0.156$			N/A	<b>N/A</b>
Lever arm, $z = d_{stem} \cdot [0.5 + (0.25 - K/0.9)^{0.5}] \leq 0.95 d_{stem}$			N/A	mm
Area of tension steel required, $A_s = M / [(0.95 f_y) \cdot z]$			<b>N/A</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,stem}$			N/A	mm <sup>2</sup> /m
Bending moment in stem utilisation = $A_s / A_{s,prov,stem}$			<b>N/A</b>	<b>N/A</b>
% Min longitudinal reinforcement in stem ( $\geq 0.0024 \cdot 1000 \cdot B_{width}$ G250; $\geq 0$ )			N/A	%
% Min longitudinal reinforcement in stem utilisation			<b>N/A</b>	<b>N/A</b>

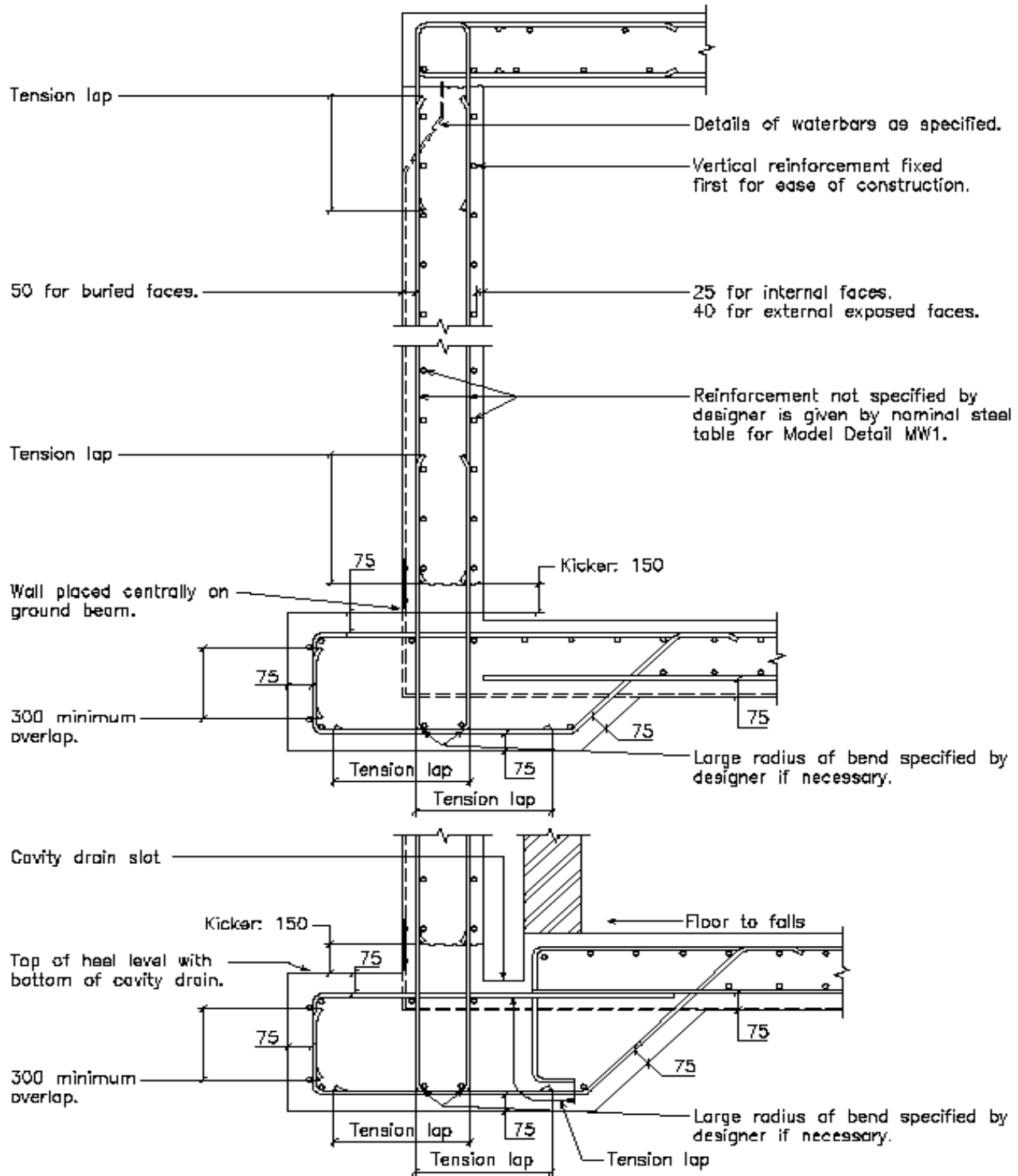
<b>CONSULTING ENGINEERS</b>	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	100	
		Member/Location		
Job Title	Structure, Member Design - Geotechnics Retaining Wall	Drg.		
	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Shear Design in Stem</b>				
	Shear force at stem base per metre, $V_{ult}$		<b>N/A</b>	kN/m
	Shear force at stem base per metre, $V$		<b>N/A</b>	kN/m
	Note $V_{ult}$ and $V = [K \cdot \sigma_{ha,surface} \cdot \sin \alpha (K \cdot \sigma_{ha,surface} \cdot \cos(90^\circ - \alpha + \delta))] \cdot d_a / 2$ $+ 0.5 \cdot [K \cdot \sigma_{ha,base} \cdot \sin \alpha (K \cdot \sigma_{ha,base} \cdot \cos(90^\circ - \alpha + \delta))] - K \cdot \sigma_{ha,surface} \cdot \sin \alpha (K \cdot \sigma_{ha,surface} \cdot \cos(90^\circ - \alpha + \delta))$ $+ [0(K \cdot u_{a,surface} \cdot \sin \alpha)] \cdot d_a / 2 + 0.5 \cdot [0(K \cdot u_{a,base} \cdot \sin \alpha) - 0(K \cdot u_{a,surface} \cdot \sin \alpha)] \cdot 2 \cdot d_a / 3;$			
	Ultimate shear stress in stem, $v_{ult} = V_{ult} / (1000 \cdot d_{stem})$ ( $< 0.8f_{cu}^{0.5}$ & $5N/mm^2$ )		<b>N/A</b>	N/mm <sup>2</sup>
	Ultimate shear stress in stem utilisation		<b>N/A</b>	<b>N/A</b>
	$8 \cdot d_a^2$			
	Design shear stress in stem, $v_d = V / (1000 \cdot d_{stem})$		<b>N/A</b>	N/mm <sup>2</sup>
	<i>(Conservatively, shear capacity enhancement by either calculating <math>v_d</math> at <math>d</math> from support and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 or calculating <math>v_d</math> at support and comparing against enhanced <math>v_c</math> within <math>2d</math> of the support as clause 3.4.5.8 BS8110 ignored;)</i>			
	Area of tensile steel reinforcement provided, $A_{s,prov,stem}$		<b>N/A</b>	mm <sup>2</sup> /m
	$\rho_w = 100A_{s,prov,stem} / (1000 \cdot d_{stem})$		<b>N/A</b>	%
	$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{stem})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{stem})^{1/4} > 0.67$		<b>N/A</b>	N/mm <sup>2</sup>
	<b>Check <math>v_d &lt; v_c</math> for no links</b>		<b>N/A</b>	
	Concrete shear capacity $v_c \cdot (1000 \cdot d_{stem})$		<b>N/A</b>	kN/m
	<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>		<b>N/A</b>	
	Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000) / (0.95f_{yv})$ i.e. $A_{sv} / S > 416$		<b>N/A</b>	mm <sup>2</sup> /mm/m
	Concrete and nominal links shear capacity $(0.4 + v_c) \cdot (1000 \cdot d_{stem})$		<b>N/A</b>	kN/m
	<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>		<b>N/A</b>	
	Provide shear links $A_{sv} / S > 1000 \cdot (v_d - v_c) / (0.95f_{yv})$ i.e. $A_{sv} / S > 1000 \cdot (v_d - v_c) / (0.95f_{yv})$		<b>N/A</b>	mm <sup>2</sup> /mm/m
	Concrete and design links shear capacity $(A_{sv,prov,stem} / S_{stem}) \cdot (0.95f_{yv})$		<b>N/A</b>	kN/m
	Area provided by all links per metre, $A_{sv,prov,stem}$		<b>N/A</b>	mm <sup>2</sup> /m
	Tried $A_{sv,prov,stem} / S_{stem}$ value		<b>N/A</b>	mm <sup>2</sup> /mm/m
	Design shear resistance in stem utilisation		<b>N/A</b>	<b>N/A</b>

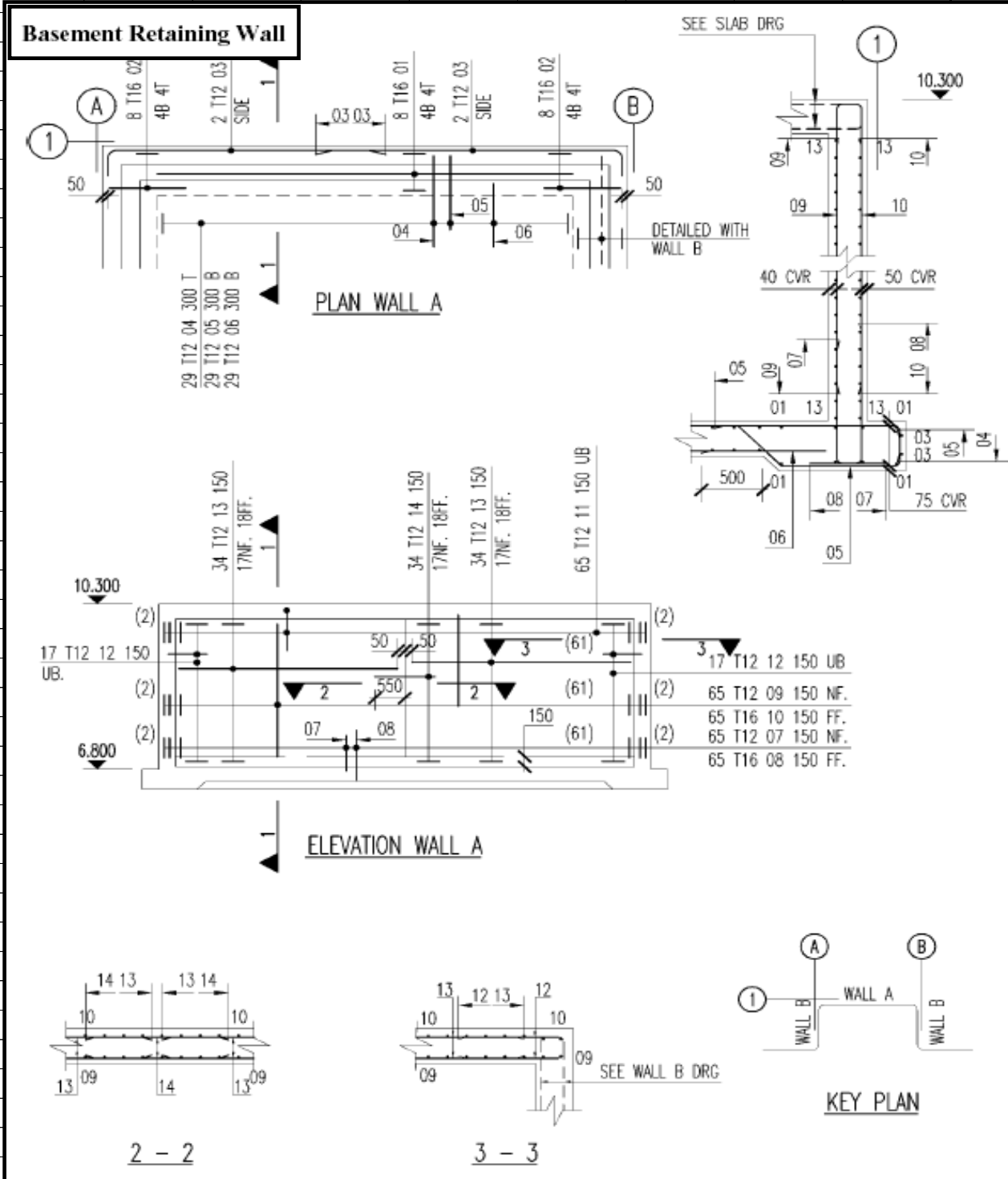
CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers				Job No.	Sheet No.	Rev.
						jXXX	101	
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Job Title	Structure, Member Design - Geotechnics Retaining Wall				Drg.			
Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>	
<b>Detailing Requirements</b>								
All detailing requirements met ?						N/A		
Max longitudinal steel reinforcement pitch in stem ( $<3d_{stem}, <750\text{mm}$ )						N/A	mm	N/A
<div style="border: 1px solid black; padding: 5px; width: fit-content;">           Maximum spacing: 0.5% Ast or less - 300mm            Between 0.5% and 1.0% - 225mm            1.0% Ast or greater - 175mm         </div>								
Max longitudinal steel reinforcement pitch in stem						N/A	mm	N/A
Min longitudinal steel reinforcement pitch in stem ( $>75\text{mm} + \phi_{stem}, >100\text{mm} + \phi$ )						N/A	mm	N/A
<i>Note an allowance has been made for laps in the min pitch by increasing the criteria by the bar diameter.</i>								
% Max longitudinal reinforcement in stem ( $\leq 0.04 \cdot 1000 \cdot B_{width}$ )						N/A	%	N/A
Longitudinal steel reinforcement diameter in stem, $\phi_{stem}$ ( $\geq 12\text{mm}$ )						N/A	mm	N/A
<b>Deflection Criteria in Stem</b>								
Span, $l = d_a$						N/A	m	
Span, $l$ / effective depth, $d_{stem}$ ratio						N/A		
Basic span / effective depth ratio criteria (20 simply supported)						N/A		
<i>Note multiplier <math>C_{1,span}</math> more or less than 10m not applicable;</i>								
Modification factor for tension $C_2$								
$M/bd_{stem}^2$						N/A	N/mm <sup>2</sup>	
<div style="border: 1px solid black; padding: 5px; width: fit-content;"> <math display="block">f_s = \frac{2f_y A_{s, req}}{3A_{s, prov}} \times \frac{1}{\beta_b} \quad (\beta_b = 1.0)</math> </div>						N/A	N/mm <sup>2</sup>	
Modification								
<div style="border: 1px solid black; padding: 5px; width: fit-content;"> <math display="block">0.55 + \frac{(477 - f_s)}{120 \left(0.9 + \frac{M}{bd^2}\right)} \leq 2.0</math> </div>						N/A		
Modified span / effective depth ratio criteria						N/A		
Deflection in stem utilisation						N/A		N/A

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		jXXX	102	
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Job Title	Structure, Member Design - Geotechnics Retaining Wall	Drg.		
	Structure, Member Design - Geotechnics Retaining Walls	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Standard Concrete Propped (Basement) Retaining Wall Reinforcement Details</b>				

## RETAINING WALLS MRW2

### Basement retaining wall.

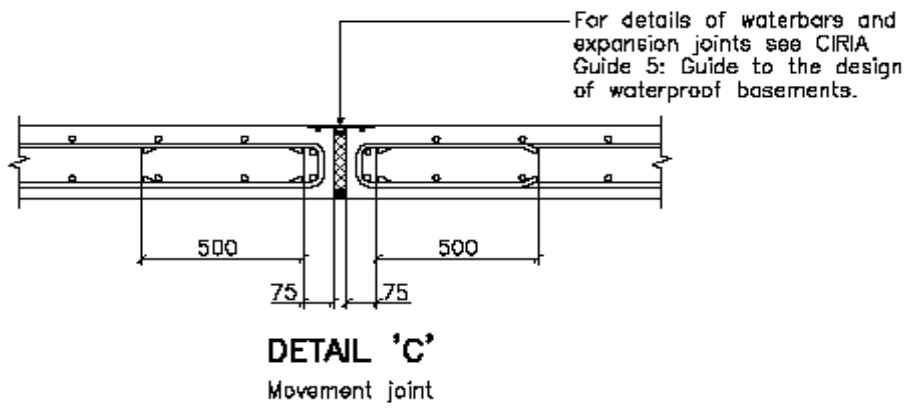
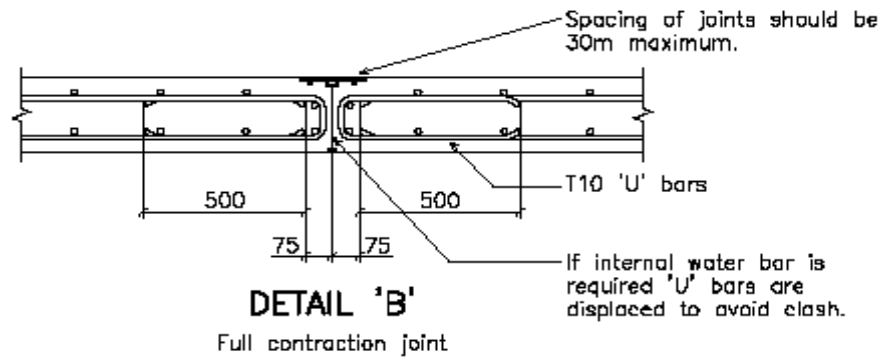
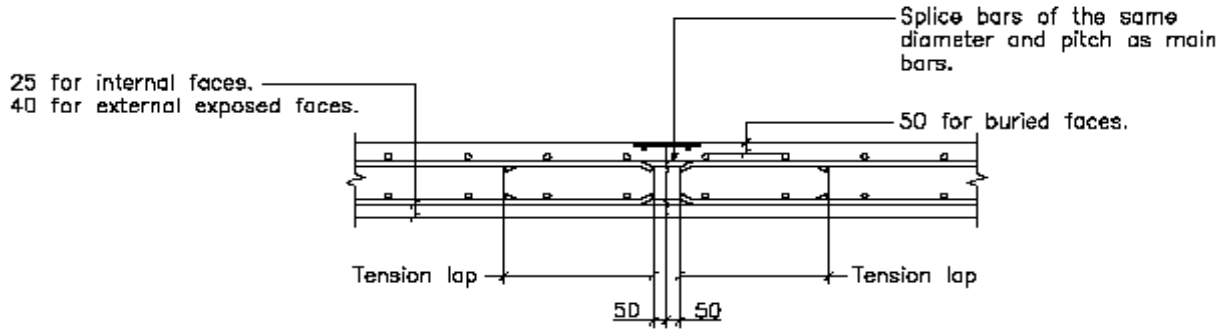




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		jXXX	104	
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Job Title	Structure, Member Design - Geotechnics Retaining Wall	Drg.		
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## RETAINING WALLS MRW3

### Vertical construction joints.





























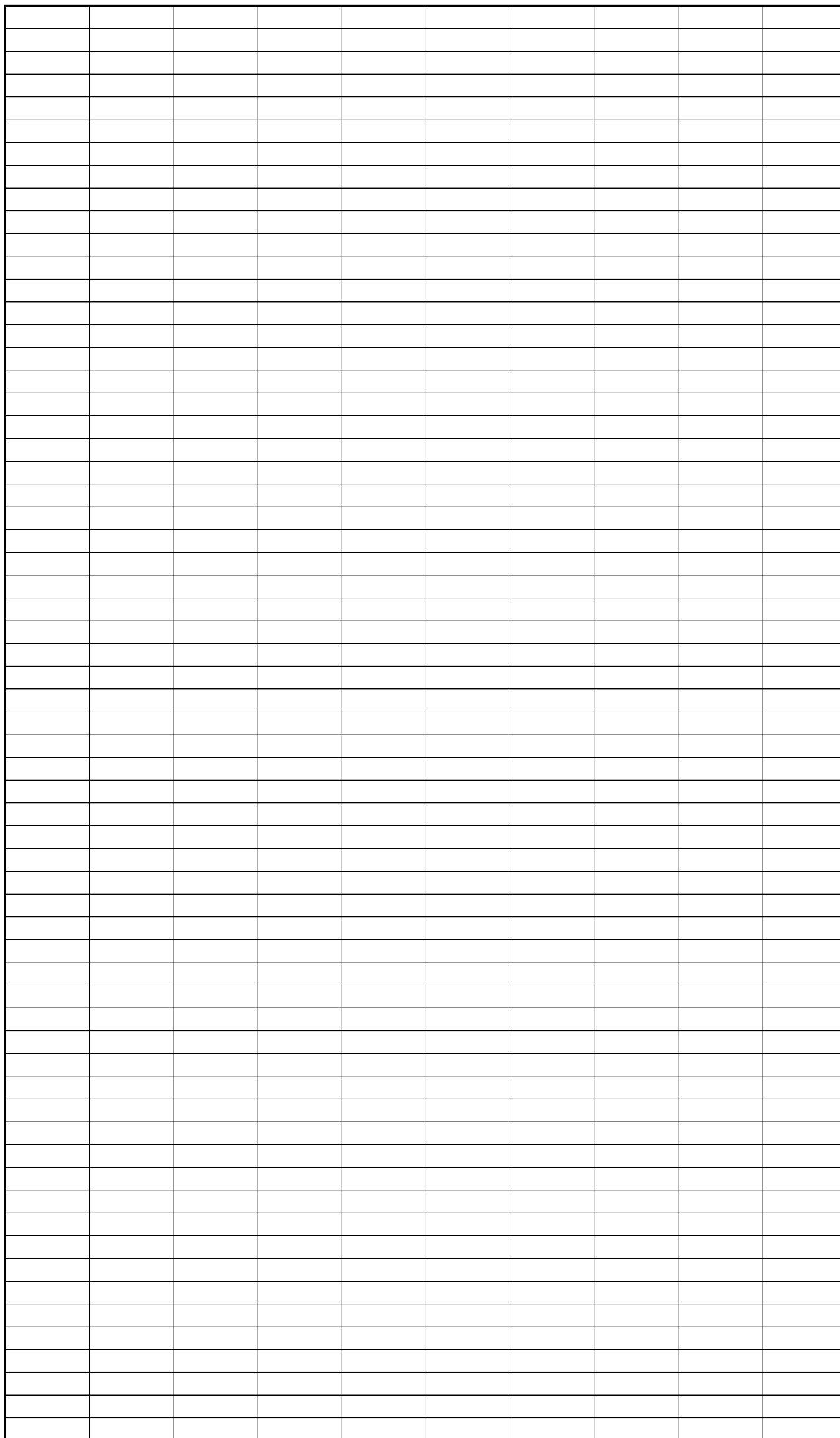












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		jXXX	120	
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Structure, Member Design - Geotechnics Retaining Walls		Made by	XX	Date
				21/11/2021 <sup>Chd.</sup>

**Concrete or Steel Propped (Basement) Embedded Retaining Wall Dimensions and Reinforcement**

**5.2.5 Singly-propped walls**

The stability of singly-propped walls is similar to cantilever walls and is illustrated in Figure 5.3. Here the failure is by rotation of wall about the prop level. Again, this is a statically determinate problem<sup>5.2</sup>.

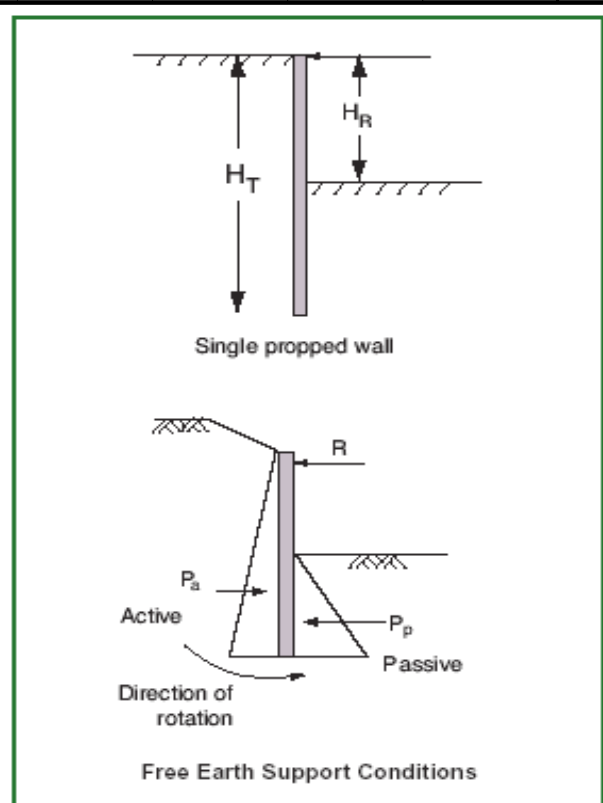
**5.2.6 Multi-propped walls**

Instability of the wall can arise in the cases of cantilever and singly-propped walls. Overall instability is unlikely to arise in the cases of multi-propped/anchored walls because of the redundant nature of the structure. However, local instability may arise as the result of local overstressing and the formation of a hinge where, for example, the multi-propped/anchored wall terminates in clay and where a void is left at the bottom of the excavation (see Figure 5.4). The amount by which the toe of a wall extends below excavation level may be due to a temporary

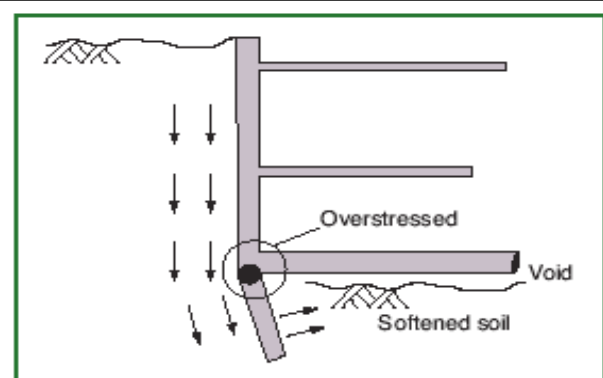
works stability requirement or to limit seepage; see Chapter 3. As the clay softens, movement will occur towards the excavation, with soil moving into the void. The toe of the wall will be pushed in this direction and, if sufficient strength is not provided, the toe could be overstressed. Although this is unlikely to result in general instability, it is highly undesirable as it could allow water ingress and is almost certain to promote movement in the soil at the sides of the excavation. This could have detrimental effects on the foundations of any adjacent structures or on nearby services. There are no generally accepted methods for analysing such failure by way of hand calculations.

Some of the approaches that are available to overcome such a problem are listed below;

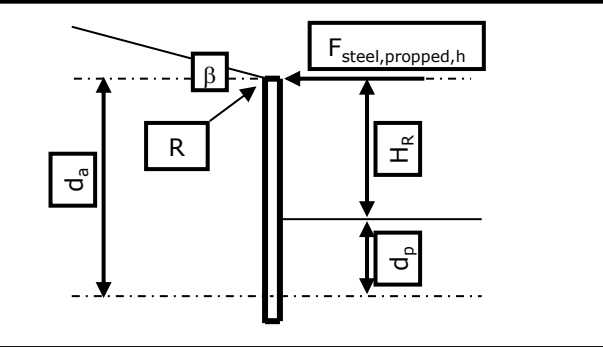
- Increase the strength of the toe of the wall especially where it connects to the base slab. This may be expensive (see Figure 5.5a).
- Do away with the void under the base slab. This will result in a build-up of pressure on the base slab, which must be accounted for in the slab design (see Figure 5.5b).
- Increase the vertical effective stress in the soil immediately in front of the toe of the wall. This can be achieved by installing pin piles<sup>5.7</sup> or by using a partial soil-bearing base slab (see Figures 5.5c and 5.5d). Extend walls deeper into stronger soil if such soil is present (see Figure 5.5e).



**Fig 5.3** Stability of singly-propped walls



**Fig 5.4** Multi-propped wall stability



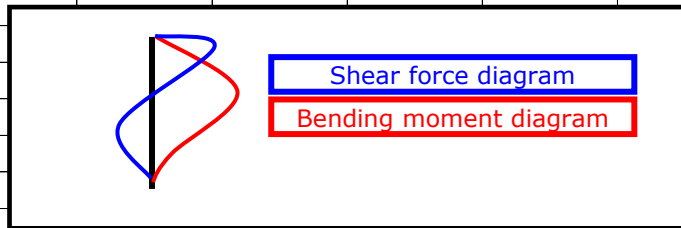


CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers			Job No.	Sheet No.	Rev.
					jXXX	121	
					Member/Location		
Job Title	Structure, Member Design - Geotechnics Retaining Wall				Drg.		
Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
Angle of retaining face from horizontal, $\alpha = 90^\circ$					90.0	degrees	
Angle of exposed face from horizontal, $\gamma = 90^\circ$					90.0	degrees	
Height of exposed face, $H_R$					6.500	m	
<p><i>Note that <math>H_R</math> should be specified in anticipation of possible unplanned excavation to the minimum of the larger of 0.5m and 0.10 of the original retained height, this increasing the value of <math>H_R</math>;</i></p> <p><i>Note that <math>H_R</math> should also be specified accounting for the fact that the prop location may not be at the very top of the wall, but instead stepped down, this decreasing the value of <math>H_R</math> by the step down;</i></p>							
Type of embedded retaining wall		Concrete Diaphragm Wall			▼		
<b>Concrete Contiguous / Interlocking / Secant Pile Wall</b>							
<i>Note that pile below refers to the hard reinforced pile;</i>							
Pile shaft diameter, D					1200mm	▼	
Pile clearance spacing, s (usually 50 to 75)					50	mm	
Pile pitch, $p = D+s$					N/A	mm	
Pile shaft second moment of area, $I = [\pi D^4/64]/p$					N/A	cm <sup>4</sup> /m	
Pile shaft cross sectional area, $A_{ps} = \pi D^2/4$					N/A	mm <sup>2</sup> /pile	
Longitudinal steel reinforcement diameter in pile, $\phi_{pile}$					25	▼ mm	
Longitudinal steel reinforcement number in pile, $n_{pile}$					21	/pile	
Longitudinal steel area provided in pile, $A_{s,prov,pile} = n_{pile} \cdot \phi_{pile}^2/4$					N/A	mm <sup>2</sup> /pile	
Shear link diameter in pile, $\phi_{link,pile}$					10	▼ mm	
Number of links in a cross section in pile, i.e. number of					2	/pile	
Area provided by all links in a cross-section in pile, $A_{sv,pile}$					N/A	mm <sup>2</sup> /pile	
Pitch of links in pile, $S_{pile}$					200	mm	
Ratio $h_s/D = (D - 2 \cdot \text{MAX}(\text{cover}_1, \text{cover}_2) - 2 \cdot \phi_{link,pile} - \phi_{pile})/D$					N/A		
Estimated steel reinforcement quantity					N/A	kg/m <sup>3</sup>	
[ $7850 \cdot A_{s,prov,pile} / (\pi \cdot D^2 / 4)$ ]; No laps; Links ignored;							
<b>Concrete Diaphragm Wall</b>							
Wall thickness, t (usually 600 to 1500)					1000	mm	
Wall second moment of area, $I = 100 \cdot t^3/12$					N/A	cm <sup>4</sup> /m	
Longitudinal steel reinforcement diameter in wall, $\phi_{wall}$					20	▼ mm	
Longitudinal steel reinforcement pitch in wall, $p_{wall}$					200	mm	
Longitudinal steel area provided in wall, $A_{s,prov,wall} = (\pi \cdot \phi_{wall}^2/4) \cdot n_{link,wall}$					N/A	mm <sup>2</sup> /m	
Shear link diameter in wall, $\phi_{link,wall}$					8	▼ mm	
Number of links per metre in wall, $n_{link,wall}$					5	/m	
Area provided by all links per metre in wall, $A_{sv,prov,wall} = n_{link,wall} \cdot \phi_{link,wall}^2/4$					N/A	mm <sup>2</sup> /m	
Pitch of links in wall, $S_{wall}$					200	mm	
Effective depth to longitudinal steel in wall, $d_{wall} = t - \text{cover}_1 - \phi_{link,wall}$					N/A	mm	
Estimated steel reinforcement quantity					N/A	kg/m <sup>3</sup>	
[ $7.850 \cdot (A_{s,prov,wall}) / t$ ];							
No curtailment; No laps; Links ignored; Distribution steel ignored;							
<b>Steel Sheet Pile Wall</b>							
Section description		Standard U-Type PU28+1			▼		
Section mass, m					N/A	kg/m	
Section mass, m					N/A	kg/m <sup>2</sup>	
Section depth, h					N/A	mm	
Section second moment of area, I					N/A	cm <sup>4</sup> /m	
Section elastic modulus, Z					N/A	cm <sup>3</sup> /m	
Section shear area, h.t/b					N/A	cm <sup>2</sup> /m	

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Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall SLS Loading</b>							
<b>Horizontal Load</b>				<b>Eccentricity from Base</b>			
$F_{ah}$ ( $F_{ah}'$ )	N/A	kN/m		$e_a$	N/A	m	
$F_{uah}$	N/A	kN/m		$e_{ua}$	N/A	m	
$F_{ph}$ ( $F_{ph}'$ )	N/A	kN/m		$e_p$	N/A	m	
$F_{uph}$	N/A	kN/m		$e_{up}$	N/A	m	
Total retaining wall SLS horizontal load, $F_{propped,h}$						N/A	kN/m
Note $F_{propped,h} = F_{ah}(F_{ah}') + 0(F_{uah}) - F_{ph}(F_{ph}') / FOS_5 - 0(F_{uph})$ ;							
Note positive $F_{propped,h}$ is effectively the prop uniformly distributed SLS compression load;							
Goal seek $M_{propped}$ to 0.0 by changing $d_a$ and $d_p$ (free earth method) (change initial $d_a$ and click multiple times until convergence to the practical solution)							BS8002
Total retaining wall SLS moment about prop, $M_{propped}$						N/A	kNm/m
Note $M_{propped} = F_{ah}(F_{ah}') \cdot (d_a - e_a) + 0(F_{uah}) \cdot (d_a - e_{ua}) - F_{ph}(F_{ph}') / FOS_5 \cdot (d_a - e_p) - 0(F_{uph}) \cdot (d_a - e_{up})$ ;							
Anticipated maximum value of $d_a$ for commencement of iteration						30.000	m
Employ factor on embedment ?					Yes, Factor 1.2		
Note that the factor on embedment should be employed if the other FOS methods are not employed;							
Design embedment of embedded retaining wall, $L_0 = (1.2 \text{ or } 1.0) \cdot d_p$						N/A	m
Design total length of embedded retaining wall, $L_T = L_0 + H_R$						N/A	m
<b>Concrete or Steel Propped (Basement) Embedded Retaining Wall ULS Loading</b>							
<b>ULS Horizontal Load</b>				Note it is assumed that the ULS loads act at the same eccentricities as the SLS loads;			
$K \cdot F_{ah}$ ( $K \cdot F_{ah}'$ )	N/A	kN/m					
$K \cdot F_{uah}$	N/A	kN/m					
$K \cdot F_{ph}$ ( $K \cdot F_{ph}'$ )	N/A	kN/m					
$K \cdot F_{uph}$	N/A	kN/m					
Total retaining wall ULS horizontal load, $K \cdot F_{propped,h}$						N/A	kN/m
Note positive $K \cdot F_{propped,h}$ is effectively the prop uniformly distributed ULS compression load;							

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**Concrete or Steel Propped (Basement) Embedded Retaining Wall Section Design**



**Bending Moment Design in Wall, Shear Design in Wall and Detailing Requirements**

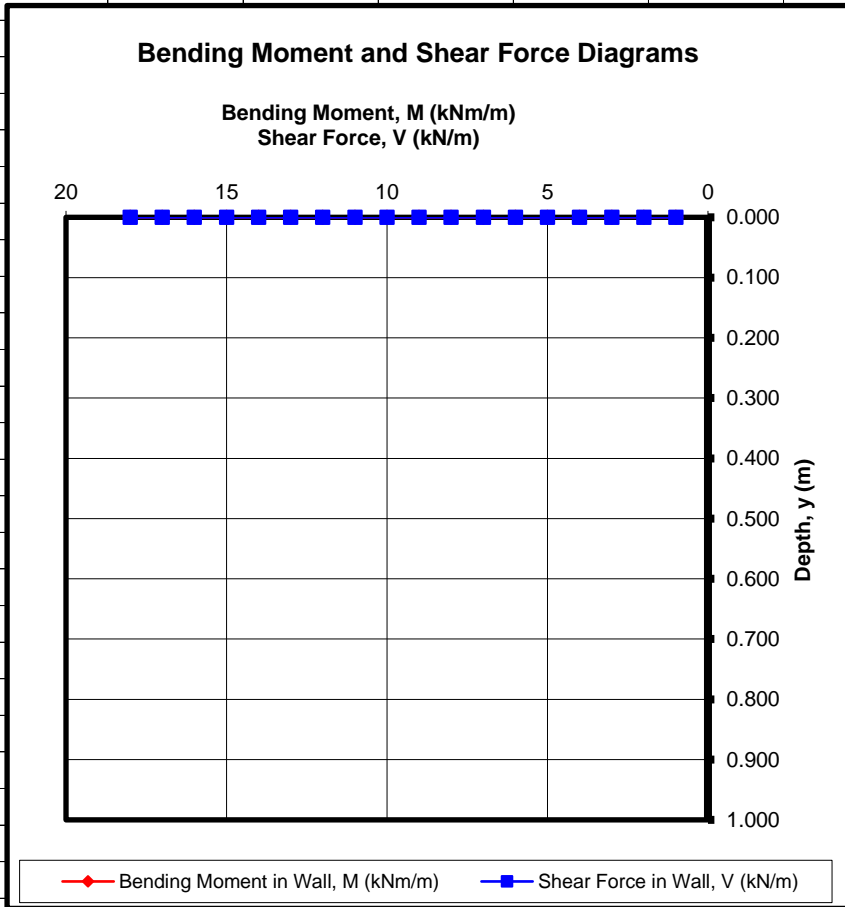
Point	Depth, y (m)	Bending Moment in Wall, M (kNm/m)	Shear Force in Wall, V (kN/m)
1	N/A	N/A	N/A
2	N/A	N/A	N/A
3	N/A	N/A	N/A
4	N/A	N/A	N/A
5	N/A	N/A	N/A
6	N/A	N/A	N/A
7	N/A	N/A	N/A
8	N/A	N/A	N/A
9	N/A	N/A	N/A
10	N/A	N/A	N/A
11	N/A	N/A	N/A
12	N/A	N/A	N/A
13	N/A	N/A	N/A
14	N/A	N/A	N/A
15	N/A	N/A	N/A
16	N/A	N/A	N/A
17	N/A	N/A	N/A
18	N/A	N/A	N/A
<b>Σ</b>		<b>N/A</b>	<b>N/A</b>

Note  $M = K.F_{ah,y}(K.F_{ah,y}') \cdot e_{a,y} - K.F_{ph,y}(K.F_{ph,y}')/FOS_5 \cdot e_{p,y} + 0(K.F_{uah,y}) \cdot e_{ua,y} - 0(K.F_{uph,y}) \cdot e_{up,y} - K.F_{pr}$

Note  $V = K.F_{ah,y}(K.F_{ah,y}') - K.F_{ph,y}(K.F_{ph,y}')/FOS_5 + 0(K.F_{uah,y}) - 0(K.F_{uph,y}) - K.F_{propped,h}$

where for undrained analysis	and for drained analysis
$\sigma_{va,surface} = p_{s,a}$	$\sigma_{va,surface}' = p_{s,a} - 0.0$
$\sigma_{va,y} = p_{s,a} + \gamma \cdot y$	$\sigma_{va,y}' = p_{s,a} + \gamma \cdot y - \gamma_w \cdot \text{MAX}(0.0, y - d_{aw})$
$\sigma_{ha,surface} = \text{MAX}(0, \sigma_{va,surface} - 2S_u)$	$\sigma_{ha,surface}' = K_a \cdot \sigma_{va,surface}' - 2c' \sqrt{K_a}$
$\sigma_{ha,y} = \text{MAX}(4.8y, \sigma_{va,y} - 2S_u)$	$\sigma_{ha,y}' = K_a \cdot \sigma_{va,y}' - 2c' \sqrt{K_a}$
$F_{ah,y} = 0.5 \cdot (\sigma_{ha,surface} + \sigma_{ha,y}) \cdot y \cdot \sin \alpha$	$F_{ah,y}' = 0.5 \cdot (\sigma_{ha,surface}' + \sigma_{ha,y}') \cdot y \cdot \cos(90^\circ - \alpha)$
$e_{a,y} = y \cdot (2 \sigma_{ha,surface} + \sigma_{ha,y}) / [3 \cdot (\sigma_{ha,surface} + \sigma_{ha,y})]$	$e_{a,y} = y \cdot (2 \sigma_{ha,surface}' + \sigma_{ha,y}') / [3 \cdot (\sigma_{ha,surface}' + \sigma_{ha,y}')] $
$\sigma_{vp,surface} = p_{s,p}$	$u_{a,surface} = 0.0$
$\sigma_{vp,y} = p_{s,p} + \gamma \cdot (y - H_R)$	$u_{a,y} = 0.0 + \gamma_w \cdot \text{MAX}(0.0, y - d_{aw})$
$\sigma_{hp,surface} = \sigma_{vp,surface} + 2S_u$	$F_{uah,y} = 0.5 \cdot (u_{a,surface} + u_{a,y}) \cdot \text{MAX}(0.0, y - d_{aw})$
$\sigma_{hp,y} = \sigma_{vp,y} + 2S_u$	$e_{ua,y} = (y - d_{aw}) \cdot (2u_{a,surface} + u_{a,y}) / [3 \cdot (u_{a,surface} + u_{a,y})]$
$F_{ph,y} = 0.5 \cdot (\sigma_{hp,surface} + \sigma_{hp,y}) \cdot \text{MAX}(0.0, y - H_R) \cdot \sin \gamma$	$\sigma_{vp,surface}' = p_{s,p} - 0.0$
$e_{p,y} = (y - H_R) \cdot (2 \sigma_{hp,surface} + \sigma_{hp,y}) / [3 \cdot (\sigma_{hp,surface} + \sigma_{hp,y})]$	$\sigma_{vp,y}' = p_{s,p} + \gamma \cdot \text{MAX}(0.0, y - H_R) - \gamma_w \cdot \text{MAX}(0.0, y - H_R - d_{pw})$
	$\sigma_{hp,surface}' = K_p \cdot \sigma_{vp,surface}' + 2c' \sqrt{K_p}$
	$\sigma_{hp,y}' = K_p \cdot \sigma_{vp,y}' + 2c' \sqrt{K_p}$
	$F_{ph,y}' = 0.5 \cdot (\sigma_{hp,surface}' + \sigma_{hp,y}') \cdot \text{MAX}(0.0, y - H_R) \cdot \sin \gamma$
	$e_{p,y} = \text{MAX}(0.0, y - H_R) \cdot (2 \sigma_{hp,surface}' + \sigma_{hp,y}') / [3 \cdot (\sigma_{hp,surface}' + \sigma_{hp,y}')] $
	$u_{p,surface} = 0.0$
	$u_{p,y} = 0.0 + \gamma_w \cdot \text{MAX}(0.0, y - H_R - d_{pw})$
	$F_{uph,y} = 0.5 \cdot (u_{p,surface} + u_{p,y}) \cdot \text{MAX}(0.0, y - H_R)$
	$e_{up,y} = (y - H_R - d_{pw}) \cdot (2u_{p,surface} + u_{p,y}) / [3 \cdot (u_{p,surface} + u_{p,y})]$

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Moment in wall per metre, M		N/A	kNm/m
Shear force in wall per metre, $V_{ult}$ or V		N/A	kN/m
<b>Concrete Contiguous / Interlocking / Secant Pile Wall</b>			
Ratio $h_s/D$		N/A	
Bending stress, $M.p/D^3$		N/A	N/mm <sup>2</sup>
From interaction charts, $100A_s/A_c$		0.5	%
Area of tensile steel required, $A_s = (100A_s/A_{ps})/100.A_{ps}$		N/A	mm <sup>2</sup> /pile
Area of tensile steel reinforcement provided, $A_{s,prov,pile}$		N/A	mm <sup>2</sup> /pile
Bending moment in wall utilisation = $A_s / A_{s,prov,pile}$		N/A	N/A
<i>Note that pile shear design to be performed as per column design;</i>			
All detailing requirements met ?		N/A	
Min longitudinal steel reinforcement number, $n_{pile}$ ( $\geq 6$ circular)		N/A	N/A
Min longitudinal steel reinforcement diameter, $\phi_{pile}$ ( $\geq 12$ mm)		N/A	mm
Percentage of reinforcement $A_{s,prov,pile}/A_{ps} \times 100\%$ ( $> 0.4\%$ and $< 6\%$ )		N/A	%
Longitudinal steel reinforcement pitch ( $\geq 75$ mm but $\geq 100$ mm for circular)		N/A	mm
Circular pile bar pitch = $\pi(D - 2 \cdot \text{MAX}(\text{cover}_1, \text{cover}_2) - \phi_{pile})$		N/A	mm
Min link diameter, $\phi_{link,pile}$ ( $\geq 0.25\phi_{pile}$ ; $\geq 8$ mm)		N/A	mm
Max link pitch, $S_{pile}$ ( $\leq 12\phi_{pile}$ , $\leq 300$ mm, $\leq D$ for circular)		N/A	mm
<i>Require an overall enclosing link.</i>			

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Structure, Member Design - Geotechnics Retaining Walls					Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Concrete Diaphragm Wall</b>							
Concrete moment capacity per metre, $M_u = 0.156f_{cu} \cdot 1000 \cdot d_{wall}^2$					N/A	kNm/m	
Bending stress, $[M/bd^2] = M / [(1000) \cdot d_{wall}^2]$					N/A	N/mm <sup>2</sup>	
Bending stress ratio, $K = [M/bd^2] / f_{cu}$					N/A		N/A
Lever arm, $z = d_{wall} \cdot [0.5 + (0.25 - K/0.9)^{0.5}] \leq 0.95d_{wall}$					N/A	mm	
Area of tension steel required, $A_s = M / [(0.95f_y) \cdot z]$					N/A	mm <sup>2</sup> /m	
Area of tensile steel reinforcement provided, $A_{s,prov,wall}$					N/A	mm <sup>2</sup> /m	
Bending moment in wall utilisation = $A_s / A_{s,prov,wall}$					N/A		N/A
% Min longitudinal reinforcement in wall ( $\geq 0.0024 \cdot 1000 \cdot t$ G250;					N/A	%	
% Min longitudinal reinforcement in wall utilisation					N/A		N/A
Ultimate shear stress in wall, $v_{ult} = V_{ult} / (1000 \cdot d_{wall})$ ( $< 0.8f_{cu}^{0.5}$ & 5N					N/A	N/mm <sup>2</sup>	
Ultimate shear stress in wall utilisation					N/A		N/A
Design shear stress in wall, $v_d = V / (1000 \cdot d_{wall})$					N/A	N/mm <sup>2</sup>	
<i>(Conservatively, shear capacity enhancement by either calculating <math>v_d</math> at <math>d</math> from support and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 or calculating <math>v_d</math> at support and comparing against enhanced <math>v_c</math> within 2d of the support as clause 3.4.5.8 BS8110 ignored;)</i>							
Area of tensile steel reinforcement provided, $A_{s,prov,wall}$					N/A	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,wall} / (1000 \cdot d_{wall})$					N/A	%	
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d_{wall})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{wall})$					N/A	N/mm <sup>2</sup>	
<b>Check <math>v_d &lt; v_c</math> for no links</b>					N/A		
Concrete shear capacity $v_c \cdot (1000 \cdot d_{wall})$					N/A	kN/m	
<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>					N/A		
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000) / (0.4 + v_c) \cdot (1000 \cdot d_{wall})$					N/A	mm <sup>2</sup> /mm/m	
Concrete and nominal links shear capacity $(0.4 + v_c) \cdot (1000 \cdot d_{wall})$					N/A	kN/m	
<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>					N/A		
Provide shear links $A_{sv} / S > 1000 \cdot (v_d - v_c) / (0.95f_{yv})$ i.e.					N/A	mm <sup>2</sup> /mm/m	
Concrete and design links shear capacity $(A_{sv,prov,wall} / S_{wall}) \cdot (1000 \cdot d_{wall})$					N/A	kN/m	
Area provided by all links per metre, $A_{sv,prov,wall}$					N/A	mm <sup>2</sup> /m	
Tried $A_{sv,prov,wall} / S_{wall}$ value					N/A	mm <sup>2</sup> /mm/m	
Design shear resistance in wall utilisation					N/A		N/A
All detailing requirements met ?					N/A		
Max longitudinal steel reinforcement pitch in wall ( $< 3d_{wall,r}$ < 750mm)					N/A	mm	N/A
Max longitudinal steel reinforcement pitch in wall					N/A	mm	N/A
<div style="border: 1px solid black; padding: 5px; width: fit-content; margin: 0 auto;">           Maximum spacing:    0.5% Ast or less - 300mm                                          Between 0.5% and 1.0% - 225mm                                          1.0% Ast or greater - 175mm         </div>							
Min longitudinal steel reinforcement pitch in wall ( $> 75mm + \phi_{wall,r}$ > 1					N/A	mm	N/A
<i>Note an allowance has been made for laps in the min pitch by increasing the criteria by the bar diam</i>							
% Max longitudinal reinforcement in wall ( $\leq 0.04 \cdot 1000 \cdot t$ )					N/A	%	N/A
Longitudinal steel reinforcement diameter in wall, $\phi_{wall}$ ( $\geq 12mm$ )					N/A	mm	N/A



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Structure, Member Design - Geotechnics Retaining Walls				Made by	XX	Date 21/11/2021 <sup>Chd.</sup>
<b>Deflection Criteria in Wall</b>						
Span, $l = d_a$					N/A	m
SLS moment in wall per metre, $M_{SLS} = M/K$					N/A	kNm/m
Equivalent back-calculated triangular distributed loading, $W = M_{SLS}/(0.128.l)$					N/A	kN/m
<b>Concrete Contiguous / Interlocking / Secant Pile Wall</b>						
Maximum deflection in wall, $\delta_{max} = 0.01304W.l^3/(E_c.I)$					N/A	mm
Deflection in wall (first principles) utilisation = $\delta_{max}/(l/250)$					N/A	N/A
Span, $l$ / pile shaft diameter, $D$ ratio					N/A	
Basic span / effective depth ratio criteria (20 simply supported)					N/A	
<i>Note multiplier <math>C_{1,span}</math> more or less than 10m not applicable;</i>						
Modification factor for tension $C_2$						
		$M.p/D^3$			N/A	N/mm <sup>2</sup>
		$f_s = \frac{2f_y A_s req}{3A_s prov} \times \frac{1}{\beta_b}$		<i>Note <math>A_{s,prov,pile}/2</math> as circular section; (<math>\beta_b = 1.0</math>)</i>		
		Modification $0.55 + \frac{(477 - f_s)}{120(0.9 + \frac{M}{bd^2})} \leq 2.0$			N/A	N/mm <sup>2</sup>
Modified span / effective depth ratio criteria					N/A	
Deflection in wall (BS8110 method) utilisation					N/A	N/A
<b>Concrete Diaphragm Wall</b>						
Maximum deflection in wall, $\delta_{max} = 0.01304W.l^3/(E_c.I)$					N/A	mm
Deflection in wall (first principles) utilisation = $\delta_{max}/(l/250)$					N/A	N/A
Span, $l$ / effective depth, $d_{wall}$ ratio					N/A	
Basic span / effective depth ratio criteria (20 simply supported)					N/A	
<i>Note multiplier <math>C_{1,span}</math> more or less than 10m not applicable;</i>						
Modification factor for tension $C_2$						
		$M/bd_{wall}^2$			N/A	N/mm <sup>2</sup>
		$f_s = \frac{2f_y A_s req}{3A_s prov} \times \frac{1}{\beta_b}$		<i>(<math>\beta_b = 1.0</math>)</i>		
		Modification $0.55 + \frac{(477 - f_s)}{120(0.9 + \frac{M}{bd^2})} \leq 2.0$			N/A	N/mm <sup>2</sup>
Modified span / effective depth ratio criteria					N/A	
Deflection in wall (BS8110 method) utilisation					N/A	N/A
<b>Steel Sheet Pile Wall</b>						
Maximum deflection in wall, $\delta_{max} = 0.01304W.l^3/(E_s.I)$					N/A	mm
Deflection in wall (first principles) utilisation = $\delta_{max}/(l/250)$					N/A	N/A

































