

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	1	

Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm	Member/Location	
Member Design - Steel Composite Beam		Made by	XX
		Date	21/11/2021 ^{Chd.}

Introduction BS5950

- 1 *Grade 50 more common than Grade 43 because composite beam stiffness often 3 to 4 times non composite beam, justifying use of higher working stresses.*
- 2 *Span to depth (overall beam and slab depth) ratios*
 - Simply supported UB 18 to 23*
 - Simply supported UC 22 to 29*
 - End span of continuous beam 22 to 25*
 - Internal span of continuous beam 25 to 30*
- 3 *The direction of the metal deck ribs matters as it can only span 3.0 to 3.5m. Hence usually decking spans to secondary beams (ribs perpendicular to secondary beam). Typical unpropped composite slab span for a (4 + 1) kPa live loading and 1.7 kPa allowance for slab, services and ceiling is presented.*

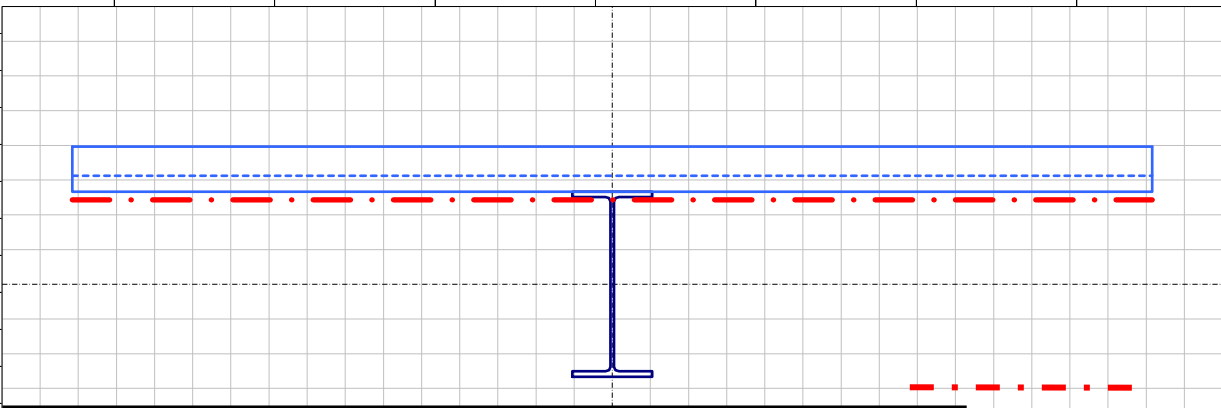
Decking gauge	Slab depth (mm)	Lightweight concrete		Normal Weight Concrete	
		Simply Supported	Continuous	Simply Supported	Continuous
0.9 (A142 mesh)	130	2.95	3.11	2.78	3.03
	150	2.88	3.22	2.66	3.00
1.2 (A193 mesh)	130	3.20	3.73	3.02	3.55
	150	3.08	3.62	2.89	3.41

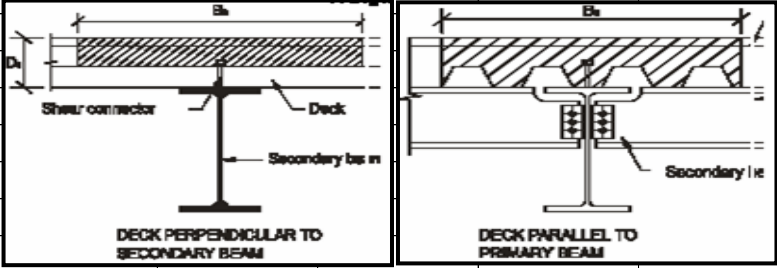
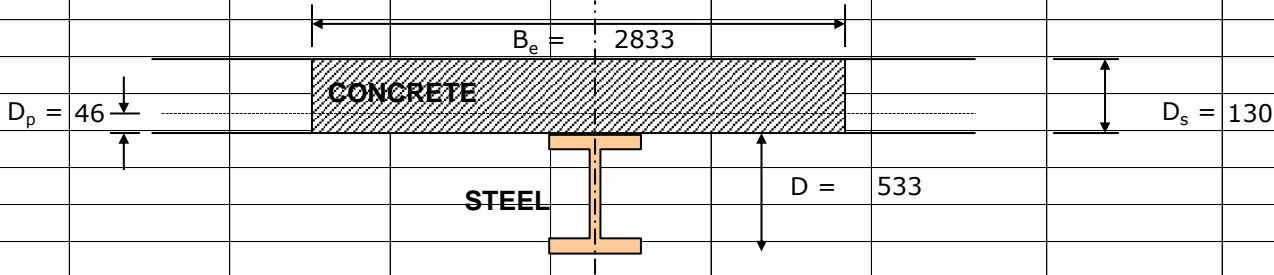
Design assumes 60 minute fire resistance, provided that the slab is continuous (decking need not be)

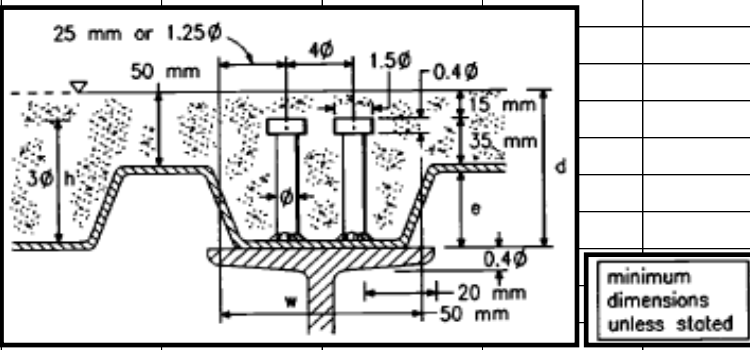
- 4 *Typical values of modular ratio for office buildings are 10 NWC and 15 LWC.*
- 5 *In final state, the slab provides LTB restraint to both the primary and secondary beams. In construction stage, parallel decking provides no LTB restraint to the primary beam but the perpendicular decking provides LTB restraint to the secondary beam. But although no LTB restraint is provided to the primary beams by the metal decking in the construction stage, the secondary beams provide the LTB restraint to primary beams.*
- 6 *Note the overall utilisation does not include cross section classification or shear buckling. If the section is not **at least compact**, then the equations within the sheet are NOT valid! If the section classification or shear buckling utilisations is violated, the overall utilisation is set at 999%.*
- 7 *Capacity of composite section typically 1.6 to 2.0 times that of non-composite section.*

Typical starting point
 Overall concrete depth 130mm (Grade 30)
 Depth of profiled decking 60mm
 Size beam with Z = (Z for non-composite beam) x F where F = 1.6 - 2.0

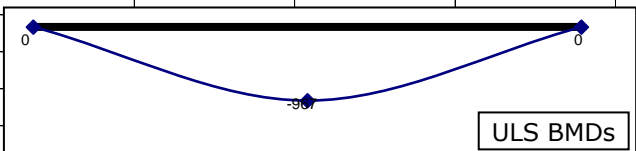
CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers				Job No.	Sheet No.	Rev.																																																		
					jXXX	3																																																			
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					<u>BS5950</u>																																																				
Cover =					25	mm																																																			
Yield strength of longitudinal steel, $f_y =$					460	N/mm ²																																																			
Primary beam hogging steel reinforcement diameter, $\phi_h =$					None	mm																																																			
Primary beam hogging steel reinforcement pitch =					200	mm																																																			
Primary beam hogging steel area provided, $A_{s,prov,h} =$					0	mm ² /m																																																			
Secondary beam hogging steel reinforcement diameter, $\phi_h =$					None	mm																																																			
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Secondary beam hogging steel area provided, $A_{s,prov,h} =$					0	mm ² /m																																																			
Transverse rebars of $\phi_t =$	8	mm at $s_t =$	200	mm and $f_y =$	460	N/mm ²																																																			
<table border="1" style="width: 100%; border-collapse: collapse;"> <thead> <tr> <th rowspan="2">British Standard Fabric Reference</th> <th colspan="3">Longitudinal Wires</th> <th colspan="3">Cross Wires</th> <th rowspan="2">Nominal Mass kg/m²</th> </tr> <tr> <th>Nominal wire size mm</th> <th>Pitch mm</th> <th>Area mm²</th> <th>Nominal wire size mm</th> <th>Pitch mm</th> <th>Area mm²</th> </tr> </thead> <tbody> <tr> <td rowspan="5">Square Mesh</td> <td>A 393</td> <td>10</td> <td>200</td> <td>393</td> <td>10</td> <td>200</td> <td>6.16</td> </tr> <tr> <td>A 252</td> <td>8</td> <td>200</td> <td>252</td> <td>8</td> <td>200</td> <td>3.95</td> </tr> <tr> <td>A 193</td> <td>7</td> <td>200</td> <td>193</td> <td>7</td> <td>200</td> <td>3.02</td> </tr> <tr> <td>A 142</td> <td>6</td> <td>200</td> <td>142</td> <td>6</td> <td>200</td> <td>2.22</td> </tr> <tr> <td>A 98</td> <td>5</td> <td>200</td> <td>98</td> <td>5</td> <td>200</td> <td>1.54</td> </tr> </tbody> </table>								British Standard Fabric Reference	Longitudinal Wires			Cross Wires			Nominal Mass kg/m ²	Nominal wire size mm	Pitch mm	Area mm ²	Nominal wire size mm	Pitch mm	Area mm ²	Square Mesh	A 393	10	200	393	10	200	6.16	A 252	8	200	252	8	200	3.95	A 193	7	200	193	7	200	3.02	A 142	6	200	142	6	200	2.22	A 98	5	200	98	5	200	1.54
British Standard Fabric Reference	Longitudinal Wires			Cross Wires			Nominal Mass kg/m ²																																																		
	Nominal wire size mm	Pitch mm	Area mm ²	Nominal wire size mm	Pitch mm	Area mm ²																																																			
Square Mesh	A 393	10	200	393	10	200	6.16																																																		
	A 252	8	200	252	8	200	3.95																																																		
	A 193	7	200	193	7	200	3.02																																																		
	A 142	6	200	142	6	200	2.22																																																		
	A 98	5	200	98	5	200	1.54																																																		
Additional transverse reinforcement (transverse to primary beam), $area_{add} =$					389	mm ² /m																																																			
Additional transverse reinforcement (transverse to secondary beam), $area_{add} =$					192	mm ² /m																																																			
Utilisation Summary																																																									
Utilisation Checks	ULS Shear Stud Parameters				64%	OK	91%																																																		
	ULS Cross Section Classification				67%	OK																																																			
	ULS Shear Buckling				67%	OK																																																			
	ULS Shear Capacity				34%	OK																																																			
	ULS Minimum Shear Connection Degree (Sagging Moment)				64%	OK																																																			
	ULS Sagging Moment Capacity				90%	OK																																																			
	ULS Hogging Moment Capacity				N/A	N/A																																																			
	SLS Live Load Deflection				54%	OK																																																			
	SLS Load Deflection				91%	OK																																																			
	SLS Concrete Stress				25%	OK																																																			
	SLS Steel Stress				87%	OK																																																			
	ULS Construction Shear Capacity				23%	OK																																																			
	ULS Construction Sagging Moment Capacity				63%	OK																																																			
	ULS Construction Hogging Moment Capacity				N/A	N/A																																																			
ULS Transverse Reinforcement				33%	OK																																																				
Dead and superimposed dead load deflection precamber, DL+SDL precamber =					0.0	mm																																																			
Primary beam utilisation summary				Design Floor !	98%	98%	%																																																		
Secondary beam utilisation summary					91%																																																				

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	4	
Member/Location				
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Member Design - Steel Composite Beam		Made by	XX	Date
				21/11/2021 ^{Chd.}
Steel Beam Section				<u>BS5950</u>
Section description =			UB 533x210x92	
Section mass =			92.1	kg/m
Steel grade =			S275 (43)	
Strength (function of steel grade and plate thickness), $p_y =$			275	N/mm ²
Depth of web, $d =$			476.5	mm
Depth of section, $D =$			533.1	mm
Flange width, $B =$			209.3	mm
Web thickness, $t =$			10.1	mm
Flange thickness, $T =$			15.6	mm
Web slenderness, $d/t =$			47.2	
Flange slenderness, $b/T =$			6.7	
Area of section, $A =$			117.0	cm ²
Second moment of area, $I_x =$			55227	cm ⁴
Elastic modulus about x-x axis, $Z_x =$			2072	cm ³
Plastic modulus about x-x axis, $s_x =$			2360	cm ³
Radius of gyration about y-y axis, $r_y =$			4.5	cm
Buckling parameter, $u =$			0.872	
Torsional index, $x =$			36.5	
$\varepsilon = \sqrt{(275/p_y)} =$			1.00	
Modulus of elasticity, $E =$			2.05E+05	N/mm ²
Length of beam span, $L =$			13000	mm
(affects effective width, deflection estimates and criteria, vibration estimates and construction case deflection estimates and criteria)				
LTB effective length for construction case sagging, $L_{LTB,SAG} =$			14066	mm
(1.0 x secondary beam span if secondary beam + 2D, 1.0 x secondary beam spacing if primary beam + 2D)				
LTB effective length for construction case hogging, $L_{LTB,HOG} =$			12116	mm
(1.0 x 0.85 x secondary beam span if secondary beam + 2D, 1.0 x 0.85 x secondary beam spacing if primary beam + 2D)				
Beam spacing =			2833	mm
				
Note reentrant decks are not depicted accurately on this diagram.				

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	5	
Member/Location				
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm	Drg.		
Member Design - Steel Composite Beam		Made by	XX	Date
				21/11/2021 ^{Chd.}
Slab Parameters				<i>BS5950</i>
Compressive strength of concrete, $f_{cu} =$		35.0	N/mm ²	
Type of concrete =		Normal Weight		
Concrete density, $\rho_c =$		24.0	kN/m ³	
Direction of profile sheeting =		Perpendicular		
(perpendicular if secondary beam, parallel if primary beam)				
(affects stud pitch, effective width and construction stage checks)				
		Effective width, B_e and $B_{e,hog}$		
			secondary	primary
		simply supported	MIN (L/4, spacing)	MIN (L/4, 0.8spacing)
		continuous sagging	MIN (0.7L/4, spacing)	MIN (0.7L/4, 0.8spacing)
continuous hogging	MIN (0.5L/4, spacing)	MIN (0.5L/4, 0.8spacing)		
(Note that these effective width values are halved if edge beam instead of internal beam)				
Depth of profile decking, $D_p =$		46	mm	
Depth of slab to bottom of decking troughs, $D_s =$		130	mm	
Effective width for sagging moment, $B_e =$		2833	mm	
Effective width for hogging moment, $B_{e,hog} =$		N/A	mm	
				
LTB Restraint				
		Decking Parallel	Decking Perpendicular	
Design sag		No LTB	No LTB	
Construction sag		$L_{LTB,SAG}$	No LTB	
Design hog		No LTB	No LTB	
Construction hog		$L_{LTB,HOG}$	$L_{LTB,HOG}$	
(Note that in the design hog situation, torsional restraint is provided by the web and the concrete slab)				

CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers			Job No.	Sheet No.	Rev.
					jXXX	6	
Member/Location							
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm				Drg.		
Member Design - Steel Composite Beam					Made by	XX	Date
						21/11/2021	Chd.
Shear Stud Parameters					<u>BS5950</u>		
Capacity of 1 shear stud based on property table (ϕ , h , f_{cu}) =					104	kN	
Stud height, h =					100	mm	
Stud diameter, ϕ =					19	mm	
Shear stud parameters max utilisation =					64%		OK
							
Number of studs per trough, N =					2		
Number of studs per trough utilisation, N (≤ 2) =					100%		OK
Height of stud above decking profile, $h - D_p$ =					54	mm	
Height of stud above decking profile utilisation, $h - D_p$ (≥ 35 mm) =					65%		OK
Stud height, h =					100	mm	
Stud height utilisation, h ($\geq 3\phi$) =					57%		OK
Depth of profile decking, D_p =					46	mm	
Depth of profile decking utilisation, D_p (≥ 35 mm, ≤ 80 mm) =					76%		OK
Depth of slab excluding profile decking, $D_s - D_p$ =					84	mm	
Depth of slab excluding profile decking utilisation, $D_s - D_p$ (≥ 50 mm) =					60%		OK
Depth of slab above shear stud = $D_s - h$ =					30	mm	
Depth of slab above shear stud utilisation = $D_s - h$ (≥ 15 mm) =					50%		OK
Average trough width, b_a =					132	mm	
Average trough width utilisation, b_a (≥ 100 mm) =					76%		OK
Steel beam flange thickness utilisation, $T \geq \phi/2.5$ for through stud welding =					49%		OK
Average trough width, b_a =					132	mm	
Trough centres, t_c (relevant for s_l when decking perpendicular to beam) =					225	mm	
Along profile deck stud pitch (relevant for s_l when decking parallel to beam) =					300	mm	
Longitudinal (with respect to beam) stud pitch, s_l =					225	mm	
Longitudinal stud pitch utilisation, s_l ($\geq 5\phi$, ≥ 100 mm, ≤ 600 mm, $\leq 4D_s$) =					44%		OK
Distance from first stud to mid level trough width, e_d =					40	mm	
Distance from first stud to mid level trough width utilisation, e_d (> 25 mm, $> 1.25\phi$) =					63%		OK
Transverse (with respect to beam) stud pitch, $s_t = (B - 2e_d)/(N - 1)$ =					129	mm	
Transverse (with respect to beam) stud pitch utilisation, s_t ($\geq 4\phi$) =					59%		OK
Distance from stud to edge of flange = $(B - (N - 1) \cdot s_t - \phi)/2$ =					31	mm	
Distance from stud to edge of flange utilisation (≥ 20 mm) =					66%		OK

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers				Job No.	Sheet No.	Rev.
					jXXX	7	
				Member/Location			
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm				Drg.		
Member Design - Steel Composite Beam				Made by	XX	Date	21/11/2021 ^{Chd.}
Applied Loading and Associated Effects							<u>BS5950</u>
Type of support condition =				Simply Supported			
Tributary width i.e. beam spacing (divided by 2 if edge beam), $t_w =$				2.833	m		
Live load (including partitions), LL =				5.00	kPa		
Super dead load (from plan loading), SDL = tiles + floor topping + ceiling + services =				2.70	kPa		
Flooring =				0.00	kPa		
Floor topping (including insulation) =				1.20	kPa		
Services =				1.50	kPa		
Ceiling =				0.00	kPa		
Super dead load (from elevation loading), $SDL_{elev} =$				0.0	kN/m		
Dead load, DL = concrete weight + steel weight + steel deck =				3.13	kPa		
Concrete weight = $[(D_s - D_p) + (b_a/t_c)D_p] \cdot \rho_c =$				2.66	kPa		
Steel weight = $m_s \cdot g$ if secondary ($m_p + m_s$) $\cdot g$ if primary =				0.32	kPa		
Steel deck =				0.15	kPa		
	Load	Factor	Load (kPa)	Factored load (kPa)	ω_{SLS} (kN/m)	ω_{ULS} (kN/m)	
	LL	1.6	5.0	8.0	14.2	22.7	
	SDL	1.4	2.7	3.8	7.7	10.7	
	DL	1.4	3.1	4.4	8.9	12.4	
	Total		10.8	16.2	30.7	45.8	
ULS and SLS Bending Moment (Factors Not Shown)				Enveloped Moment			
Simply Supported				SLS	ULS		
$M_{HOG}=0.0=$				0	0		
$M_{SAG}=[0.125(\omega_{DL}+\omega_{SDL}+\omega_{LL})]L^2=$				648	967		
Continuous 2 Span							
$M_{HOG}=[0.125(\omega_{DL}+\omega_{SDL})+0.125\omega_{LL}]L^2=$				648	967		
$M_{SAG}=[0.070(\omega_{DL}+\omega_{SDL})+0.096\omega_{LL}]L^2=$				425	641		
Continuous 3 Span (End Span)							
$M_{HOG}=[0.100(\omega_{DL}+\omega_{SDL})+0.117\omega_{LL}]L^2=$				559	839		
$M_{SAG}=[0.080(\omega_{DL}+\omega_{SDL})+0.101\omega_{LL}]L^2=$				465	700		
Continuous 3 Span (Interior Span)							
$M_{HOG}=[0.100(\omega_{DL}+\omega_{SDL})+0.117\omega_{LL}]L^2=$				559	839		
$M_{SAG}=[0.025(\omega_{DL}+\omega_{SDL})+0.075\omega_{LL}]L^2=$				249	385		
Continuous 4 or More Span (End Span)							
$M_{HOG}=[0.107(\omega_{DL}+\omega_{SDL})+0.121\omega_{LL}]L^2=$				588	882		
$M_{SAG}=[0.077(\omega_{DL}+\omega_{SDL})+0.100\omega_{LL}]L^2=$				454	684		
Continuous 4 or More Span (Interior Span)							
$M_{HOG}=[0.107(\omega_{DL}+\omega_{SDL})+0.121\omega_{LL}]L^2=$				588	882		
$M_{SAG}=[0.036(\omega_{DL}+\omega_{SDL})+0.081\omega_{LL}]L^2=$				294	451		
<i>(Note for udl loads (DL and SDL) uniform loading considered)</i>							
<i>(Note for udl loads (LL) patch loading considered)</i>							

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	8	
Member/Location				
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm	Drg.		
Member Design - Steel Composite Beam		Made by	XX	Date
				21/11/2021
				<u>BS5950</u>
ULS hogging bending moment, $M_{ULS,HOG,Elastic} =$		0	kNm	
ULS sagging bending moment, $M_{ULS,SAG,Elastic} =$		967	kNm	
Redistribution of hogging moment for continuous beams, RD =		30.0	%	
ULS hogging bending moment, $M_{ULS,HOG} = (1-RD)M_{ULS,HOG,Elastic} =$		0	kNm	
ULS sagging bending moment, $M_{ULS,SAG} = M_{ULS,SAG,Elastic} + RD.M_{ULS,HOG,Elastic} =$		967	kNm	
				
SLS hogging bending moment, $M_{SLS,HOG} =$		0	kNm	
SLS sagging bending moment, $M_{SLS,SAG} =$		648	kNm	
ULS Shear Force (Factors Not Shown)		Enveloped Shear		
Simply Supported		ULS		
$V = [0.500(\omega_{DL} + \omega_{SDL} + \omega_{LL})]L =$		298		
Continuous 2 Span				
$V = [0.625(\omega_{DL} + \omega_{SDL}) + 0.625\omega_{LL}]L =$		372		
Continuous 3 Span (End Span)				
$V = [0.600(\omega_{DL} + \omega_{SDL}) + 0.617\omega_{LL}]L =$		362		
Continuous 3 Span (Interior Span)				
$V = [0.500(\omega_{DL} + \omega_{SDL}) + 0.583\omega_{LL}]L =$		322		
Continuous 4 or More Span (End Span)				
$V = [0.607(\omega_{DL} + \omega_{SDL}) + 0.620\omega_{LL}]L =$		365		
Continuous 4 or More Span (Interior Span)				
$V = [0.536(\omega_{DL} + \omega_{SDL}) + 0.603\omega_{LL}]L =$		339		
ULS shear force, $V_{ULS} =$		298	kN	

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers				Job No.	Sheet No.	Rev.	
					jXXX	9		
Member/Location								
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm				Drg.			
Member Design - Steel Composite Beam					Made by	XX	Date	21/11/2021
								<u>BS5950</u>
Unfactored Loads								
Live load (unfactored), $\omega_{LL} =$						14.2	kN/m	
Superimposed dead load (unfactored), $\omega_{SDL} =$						7.7	kN/m	
Dead load of slab, steel beam and decking (unfactored), $\omega_{DL} =$						8.9	kN/m	
SLS load, $\omega_{SLS} =$						30.7	kN/m	
Live Load Bending Moment for Continuous Beam Deflection Calculations								
$M_0 = 0.125\omega_{LL}L^2 =$						299	kNm	
						M₁	M₂	
Simply Supported								
$M_1 = 0.0 =$						0		kNm
$M_2 = 0.0 =$							0	kNm
Continuous 2 Span								
$M_1 = 0.0 =$						0		kNm
$M_2 = 0.063\omega_{LL}L^2 =$							151	kNm
Continuous 3 Span (End Span)								
$M_1 = 0.0 =$						0		kNm
$M_2 = 0.050\omega_{LL}L^2 =$							120	kNm
Continuous 3 Span (Interior Span)								
$M_1 = 0.050\omega_{LL}L^2 =$						120		kNm
$M_2 = 0.050\omega_{LL}L^2 =$							120	kNm
Continuous 4 or More Span (End Span)								
$M_1 = 0.0 =$						0		kNm
$M_2 = 0.054\omega_{LL}L^2 =$							129	kNm
Continuous 4 or More Span (Interior Span)								
$M_2 = 0.036\omega_{LL}L^2 =$						86		kNm
$M_2 = 0.054\omega_{LL}L^2 =$							129	kNm
<i>(Note patch loading that produces MINIMUM support moments whilst span fully uniformly loaded have been adopted for conservatism in the deflection calculations)</i>								
M₀ =	299	kNm	M₁ =	0	kNm	M₂ =	0	kNm
Redistribution of hogging moment for continuous beams, RD =						30.0	%	
M₀ =	299	kNm	M₁ =	0	kNm	M₂ =	0	kNm

CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers			Job No.	Sheet No.	Rev.
					jXXX	12	
Member/Location							
Job Title Member Design - Steel Composite Beam BS5950 v2015.02.xlsm					Drg.		
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ULS Sagging Moment Capacity							
(With Low or High Shear Force; At Least Compact Section)							
Compression capacity of concrete effective slab, $R_c = (D_s - D_p) \times B_e \times 0.45 \times f_{cu} =$					3749	kN	
Tensile capacity of steel, $R_s = p_y A_s =$					3218	kN	
Tensile capacity of one steel flange, $R_f = p_y A_f =$					898	kN	
Tensile capacity of overall web depth, $R_w = (R_s - 2R_f) =$					1422	kN	
Tensile capacity of clear web depth, $R_v = d t p_y =$					1323	kN	
Shear stud capacity between zero and max sagging, $R_q = N_a \cdot P_d =$					2134	kN	
Profile reduction, $r =$					0.45		
<div style="border: 1px solid black; padding: 2px; display: inline-block;"> - for one stud per trough $k = 0.63 (b_f / D_p) \{ (h / D_p) - 1 \}$ but ≤ 0.82 - for two studs per trough $k = 0.34 (b_f / D_p) \{ (h / D_p) - 1 \}$ but ≤ 0.45 </div>							
<i>(Note r limits for perpendicular deck; 0.60 used for parallel)</i>							
Number of studs per section, $N =$					2		
Stud height, $h = \text{MIN} (h, 2D_p) =$					92	mm	
Average trough width, $b_a =$					132	mm	
Depth of profile decking, $D_p =$					46	mm	
Number of studs provided, $N_a = [N \cdot (L/s)] / 2$ s/s and $[N \cdot (0.7L/s)] / 2$ continuous					57		
Capacity of 1 shear stud based on prop table (ϕ, h, f_{cu}), $P_c =$					104	kN	
Design capacity of 1 shear stud in sagging, $0.8P_c =$					83	kN	
Design capacity of 1 shear stud in sagging, $P_d =$					37	kN	
<i>(for LWC $P_d = 0.9r(0.8P_c)$, NWC $P_d = 1.0r(0.8P_c)$)</i>							
Plastic moment capacity of steel alone, $M_s = s_x \cdot p_y \leq 1.2Z_x \cdot p_y =$					649	kNm	
Plastic moment capacity of composite section, M_{pc} or $M_c =$					Case 4	1079	kNm
Plastic moment capacity of composite section (high shear force), $M_{cv} =$						1079	kNm
Applicability of high shear force (if $F_v > 0.5P_v$)						Low Shear	
$M_{cv} = M_c - (M_c - M_f) (2F_v / P_v - 1)^2$					$F_v = 0.0$ at midspan =	0	kN
					$P_v =$	888	kN
Moment capacity of steel minus web area, $M_f = BT(D-T)p_y =$						465	kNm
Plastic moment capacity utilisation = $M_{ULS,SAG} / M_{cv} =$						90%	OK
<div style="border: 1px solid black; padding: 5px;"> <p>Approximate moment resistance calculation</p> </div>							
					$M_s =$	649	kNm
					Mass =	92.1	kg/m

CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers		Job No.	Sheet No.	Rev.
				jXXX	13	
Member/Location						
Job Title				Member Design - Steel Composite Beam BS5950 v2015.02.xlsm		
Member Design - Steel Composite Beam				Made by	XX	Date
					21/11/2021	Chd.
						BS5950
<p>0.45f P.N.A. R_c P_y y_p IN SLAB</p>		<p>P.N.A. R R_c P_y y_p IN STEEL FLANGE</p>		<p>D_s - D_p P.N.A. R_c P_y y_p IN STEEL WEB</p>		
Case 1: $R_c > R_s$ (plastic neutral axis lies in concrete slab): (and full shear connection) $M_{pc} = R_s \left[\frac{D}{2} + D_s - \frac{R_s}{R_c} \left(\frac{D_s - D_p}{2} \right) \right]$				INVALID	N/A	kNm
Case 2: $R_s > R_c > R_w$ (plastic neutral axis lies in steel flange): (and full shear connection) $M_{pc} = R_s \frac{D}{2} + R_c \left(\frac{D_s + D_p}{2} \right) - \frac{(R_s - R_c)^2 T}{R_f 4}$				INVALID	N/A	kNm
Case 3: $R_c < R_w$ (plastic neutral axis lies in web): (and full shear connection) $M_{pc} = M_s + R_c \left(\frac{D_s + D_p + D}{2} \right) - \frac{R_c^2 D}{R_w 4}$				INVALID	N/A	kNm
Degree of shear connection achieved				66% Partial Shear Connection Achieved		
$R_q < R_c$		$R_q < R_s$				
(Note that either R_c or R_s need to be less than R_q for full shear connection)						
Degree of shear connection achieved, $K = R_q / \text{MIN}(R_s, R_c) =$				66.3%		
Minimum allowable $K_{\text{MIN}} = \text{MAX}[1 - (355/p_y)(0.80 - 0.03L), 0.4] =$				47.1%		
Minimum shear connection utilisation = $1 - (K - K_{\text{MIN}}) / (1 - K_{\text{MIN}}) =$				64%		OK
Case 4: $R_q > R_w$ (plastic neutral axis lies in flange): $M_c = R_s \frac{D}{2} + R_q \left[D_s - \frac{R_q}{R_c} \left(\frac{D_s - D_p}{2} \right) \right] - \frac{(R_s - R_q)^2 T}{R_f 4}$ NB the last term in this expression is generally small.				VALID	1079	kNm
Case 5: $R_q < R_w$ (plastic neutral axis lies in web): $M_c = M_s + R_q \left[\frac{D}{2} + D_s - \frac{R_q}{R_c} \left(\frac{D_s - D_p}{2} \right) \right] - \frac{R_q^2 D}{R_w 4}$				INVALID	N/A	kNm

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	14	
Member/Location				
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm	Drg.		
Member Design - Steel Composite Beam		Made by	XX	Date
				21/11/2021
ULS Hogging Moment Capacity				<i>BS5950</i>
(With Low or High Shear Force; At Least Compact Section)				
Effective width for hogging moment, $B_{e,hog} =$			N/A	mm
Tensile capacity of the reinforcement over width $B_{e,hog}$, $R_r = A_{s,prov,h} \cdot B_{e,hog} \cdot f_y =$			N/A	kN
Height of reinforcement above top of beam, $D_r = D_s - \text{cover} =$			105	mm
Shear stud capacity between zero and max hogging, $R_q = N_a \cdot P_{d,hog} =$			786	kN
Number of studs per section, $N =$			2	
Number of studs provided, $N_a = [N \cdot (0.5L/s_i)]/2 =$			28	
Design capacity of 1 shear stud in sagging, $P_d =$			37	kN
Design capacity of 1 shear stud in hogging, $P_{d,hog} = (.6/.8) \cdot P_d =$			28	kN
Plastic moment capacity of steel alone, $M_s = s_x \cdot p_y \leq 1.2Z_x \cdot p_y =$			649	kNm
Plastic moment capacity of composite section, M_{pc} or $M_c =$		N/A	N/A	kNm
Plastic moment capacity of composite section (high shear force), $M_{cv} =$			N/A	kNm
Applicability of high shear force (if $F_v > 0.5P_v$)			Low Shear	
$M_{cv} = M_c - (M_c - M_t) (2F_v/P_v - 1)^2$		$F_v = V_{ULS}$ at supports =	298	kN
		$P_v =$	888	kN
Moment capacity of steel minus web area, $M_f = BT(D-T)p_y =$			465	kNm
Plastic moment capacity utilisation = $M_{ULS,HOG} / M_{cv} =$			N/A	N/A
Case 1: $R_r < R_w$ (plastic neutral axis lies in web):				
$M_{nc} = M_s + R_s \left(\frac{D}{2} + D_r \right) - \frac{R_q^2 D}{R_w 4}$		N/A	N/A	kNm
Case 2: $R_r > R_w$ (plastic neutral axis lies in flange):				
$M_{nc} = R_s \frac{D}{2} + R_r D_r - \frac{(R_s - R_r)^2 T}{R_t 4}$		N/A	N/A	kNm

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	15	
Job Title		Member/Location		
Member Design - Steel Composite Beam BS5950 v2015.02.xlsm		Drg.		
Member Design - Steel Composite Beam		Made by	XX	Date
			21/11/2021	Chd.
SLS Deflection				
At Construction				
Dead load of slab, steel beam and decking (unfactored), $\omega_{DL} =$			8.9	kN/m
Deflection of steel $\delta_{s,construct,dl} = 5\omega_{DL}L^4/(384EI_x) \cdot (1-0.6(M_1+M_2)/M_0) =$ (Unpropred)			29.1	mm
At Service				
Live load (unfactored), $\omega_{LL} =$			14.2	kN/m
Superimposed dead load (unfactored), $\omega_{SDL} =$			7.7	kN/m
$\omega_{LL} + \omega_{SDL} =$			21.8	kN/m
Proportion of imposed $\omega_{LL} + \omega_{SDL}$ that is permanent (i.e. ω_{SDL}), $pl = \omega_{SDL}/(\omega_{LL} + \omega_{SDL}) \times 100\%$			35.1	%
Short-term modular ratio, α_s (6 if NWC and 10 if LWC) =			6.0	
Long-term modular ratio, α_l (18 if NWC and 25 if LWC) =			18.0	
Combined modular ratio, $\alpha_e = \alpha_s + pl(\alpha_l - \alpha_s) =$			10.2	
			$r = A/[(D_s - D_p)B_c]$	= 0.045
(Note concrete flange uncracked if $x_e > D_s - D_p$ and cracked if $x_e < D_s - D_p$)				
Uncracked NA			$x_e = \frac{D_s - D_p}{2} + \alpha_e r \left(\frac{D}{2} + D_s\right)$	VALID 153 mm
Uncracked Ic			$I_c = \frac{A(D + D_s + D_p)^2}{4(1 + \alpha_e r)} + \frac{B_c(D_s - D_p)^3}{12\alpha_e} + I$	VALID 1574607347 mm ⁴
Cracked NA			$x_e = [D + 2D_s]/[1 + (1 + B_e(D + 2D_s)/A\alpha_e)^{0.5}] =$	INVALID 145 mm
Cracked Ic			$I_c = I_x + (B_e x_e^3)/(3\alpha_e) + A(D/2 + D_s - x_e)^2 =$ Hence valid neutral axis depth, $x_e =$ Hence valid composite second moment of area, $I_c =$	INVALID 1574667982 mm ⁴ 153 mm 1574607347 mm ⁴
			$I_x =$	552270000 mm ⁴
			Mass =	92.1 kg/m

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	20	
Member/Location				
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm	Drg.		
Member Design - Steel Composite Beam		Made by	XX	Date
				21/11/2021 ^{Chd.}
ULS Construction Hogging Moment Capacity (1.4 x DL + 1.6 x Construction Loading)				<u>BS5950</u>
(With Low Shear Force; At Least Compact Section)				
LTB effective length, $L_{LTB,HOG} =$		12.116	m	
Minor axis slenderness, $\lambda = L_{LTB,HOG}/r_y =$		268.7		
Taking $\beta_w = 1$ for plastic and compact sections =		1.0		
Equivalent slenderness (unrestrained tension flange), $\lambda_{LT} = uv\lambda(\beta_w)^{0.5} =$		N/A		
Equivalent slenderness (restrained tension flange)		152.7		
Slenderness correction factor, $n_t =$		1.00		G.4.3
Buckling parameter, $u =$		0.872		
Torsional index, $x =$		36.5		
$\lambda / x =$		7.4		
Slenderness factor, v or $v_t =$		0.652		
Restraint above beam shear centre, $a = d/2 =$		238	mm	
Clear web depth, $h_s = d =$		477	mm	
<i>Decking perpendicular, tension flange restrained</i>				
$v = \frac{1}{[1 + 0.05(\lambda/x)^2]^{0.25}}$		$v_t = \left[\frac{4a/h_s}{1 + (2a/h_s)^2 + 0.05(\lambda/x)^2} \right]^{0.5}$		
<i>Unrestrained tension flange</i>		<i>Restrained tension flange</i>		
Bending strength, $p_b =$		65	N/mm ²	
$p_b = \frac{p_E p_y}{\phi_{LT} + (\phi_{LT}^2 - p_E p_y)^{0.5}}$		$p_E = (\pi^2 E / \lambda_{LT}^2)$ $\phi_{LT} = \frac{p_y + (\eta_{LT} + 1)p_E}{2}$		
λ_{LT} or $\lambda_{TB} =$		152.7		
Euler stress, $p_E =$		87	N/mm ²	
$p_y =$		275	N/mm ²	
$\phi_{LT} =$		217	N/mm ²	
Limiting equivalent slenderness, $\lambda_{L0} =$		34.3		
Robertson constant, $a_{LT} =$		7.0		
Perry factor, $\eta_{LT} =$		0.829		
The Perry factor η_{LT} should be taken as follows:				
a) for rolled sections: $\eta_{LT} = a_{LT}(\lambda_{LT} - \lambda_{L0})/1\ 000 \text{ but } \eta_{LT} \geq 0$				
b) for welded sections:				
— if $\lambda_{LT} \leq \lambda_{L0}$: $\eta_{LT} = 0$				
— if $\lambda_{L0} < \lambda_{LT} < 2\lambda_{L0}$: $\eta_{LT} = 2a_{LT}(\lambda_{LT} - \lambda_{L0})/1\ 000$				
— if $2\lambda_{L0} \leq \lambda_{LT} \leq 3\lambda_{L0}$: $\eta_{LT} = 2a_{LT}\lambda_{L0}/1\ 000$				
— if $\lambda_{LT} > 3\lambda_{L0}$: $\eta_{LT} = a_{LT}(\lambda_{LT} - \lambda_{L0})/1\ 000$				
Plastic modulus, s_x (but $\leq 1.2Z_x$) =		2360	cm ³	
Equivalent uniform moment factor for LTB, m_{LT} or $m_T =$		1.0		T.18 or G.4.2
Buckling resistance, $M_{cap,construct} = M_b/(m_{LT} \text{ or } m_T) = s_x p_b/(m_{LT} \text{ or } m_T) =$		153	kNm	
Construction hogging bending moment, $M_{ULS,construct,HOG} =$		0	kNm	
Construction moment capacity utilisation = $M_{ULS,construct,SAG} / M_{cap,construct} =$		N/A		N/A

CONSULTING ENGINEERS	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	21	
Member/Location				
Job Title	Member Design - Steel Composite Beam BS5950 v2015.02.xlsm	Drg.		
Member Design - Steel Composite Beam		Made by	XX	Date
				21/11/2021
ULS Transverse Reinforcement				<i>BS5950</i>
Longitudinal shear force per unit length, $v = NP_d/s_l =$		333	kN/m	
Number of studs per trough, $N =$		2		
Shear stud design capacity, $P_d =$		37	kN	
Longitudinal (with respect to beam) stud pitch, $s_l =$		225	mm	
Longitudinal shear force per unit length per shear plane, $v/2 =$		166	kN/m	
Shear resistance, $v_r = 0.7A_{sv}f_y + 0.03\eta A_{cv}f_{cu} + v_p$ (but $< 0.8\eta A_{cv}(f_{cu})^{0.5}$) =		506	kN/m	
Area of transverse steel per length of beam, $A_{sv} = (\pi\phi_t^2/4)/s_t + \text{area}_{add} =$		444	mm ² /m	
Min required reinforcement area = $0.13\% \cdot (D_s - D_p) \cdot 1000 =$		109	mm ² /m	
Strength of rebars, $f_y =$		460	N/mm ²	
Factor, $\eta = 1.0$ for NWC and 0.8 for LWC =		1.0		
Mean area of concrete flange, $A_{cv} = (2D_s - D_p)/2 \cdot 1000 =$		107000	mm ² /m	
Compressive strength of concrete, $f_{cu} =$		35.0	N/mm ²	
Contribution of steel decking, $v_p = t_p p_{yp} =$		280	kN/m	
(Only if decking is perpendicular, otherwise 0.0)				
Thickness of steel decking, $t_p =$		1.00	mm	
Design strength of steel decking, $p_{yp} =$		280	N/mm ²	
Transverse steel utilisation = $\text{MAX} (1 - (A_{sv} - \text{min area})/A_{sv}, v/(v_r/2)) =$		33%		OK

