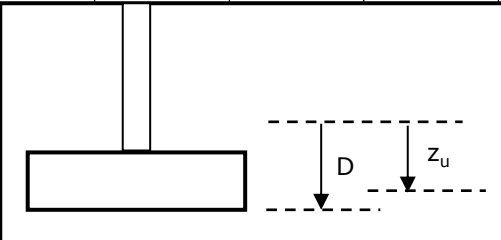


<b>CONSULTING ENGINEERS</b>	Engineering Calculation Sheet Consulting Engineers		Job No.	Sheet No.	Rev.
			jXXX	1	
			Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and		Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft			Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Material Properties</b>					
Characteristic strength of concrete, $f_{cu}$ ( $\leq 60\text{N/mm}^2$ ; HSC N/A)			35	▼ N/mm <sup>2</sup>	<b>OK</b>
Yield strength of longitudinal steel, $f_y$			460	▼ N/mm <sup>2</sup>	
Yield strength of shear link steel, $f_{yv}$			460	▼ N/mm <sup>2</sup>	
Type of concrete and density, $\rho_c$			Normal Weight	▼ 24	kN/m <sup>3</sup>
<b>Factor of Safety</b>					
Factor of safety (overall net (effective) bearing), $FOS_1$ (usually 2.5 to 3.0)			3.0		
Factor of safety (overall sliding resistance), $FOS_2$ (usually 1.6)			1.6		
Factor of safety (overall uplift resistance), $FOS_3$ (usually 1.0)			1.0		
Factor of safety (overall overturning resistance), $FOS_4$ (usually 1.6)			1.6		
Loading factor, K (between 1.40 and 1.60 depending on DL to LL ratio)			1.50		BS8110
Note loading factor K multiplies SLS loads for ULS loads for section (reinforcement) design;					cl. 2.4.3.1.
<b>Soil Description</b>					
Water unit weight, $\gamma_w = 9.81\text{kN/m}^3$			9.8		kN/m <sup>3</sup>
Soil name			Loose Sand		▼
Dry bulk unit weight, $\gamma_{dry}$			18.0		kN/m <sup>3</sup>
Saturated bulk unit weight, $\gamma_{sat}$			20.5		kN/m <sup>3</sup>
Undrained shear strength limit to adopt ?			Lower Limit		▼
Undrained shear strength (lower limit), $S_{u,ll}$			N/A		kPa
Undrained shear strength (upper limit), $S_{u,ul}$			N/A		kPa
Undrained shear strength limit adopted, $S_u = \{S_{u,ll}, (S_{u,ll}+S_{u,ul})/2, S_{u,ul}\}$			N/A		kPa
Note that $S_u$ can be obtained from SPT (Stroud) values;					Tomlinson
Effective cohesion, $c'$			Exclude		▼ 0.0
Effective angle of shear resistance, $\phi'$			35.0		degrees
Note that $\phi'$ can be obtained from SPT (Peck) or CPT (Durgunoglu and Mitchell) values;					Tomlinson
Effective angle of friction or $0.66\phi'$ (Insitu Concrete Active Zone - Soil Interface)			▼ 23.1		degrees
Bearing capacity limit to adopt ?			Upper Limit		▼
Bearing capacity values from allowable bearing capacity, $BC_{ll,a/ul,a}$ value			N		▼ s ?
Factor for SPT, N value, $K_{SPT}$			Drained Soil: 30.0		▼ 30.0
Bearing capacity (lower limit), $FOS_1 \cdot BC_{ll,a}$			N/A		kPa
SPT (lower limit), $N_{ll}$			4		
Bearing capacity (upper limit), $FOS_1 \cdot BC_{ul,a}$			N/A		kPa
SPT (upper limit), $N_{ul}$			10		
Note that $FOS_1$ is multiplied onto the allowable bearing capacity, $BC_{ll,a/ul,a}$ at this stage because it will be refactored when the empirical overall net effective bearing capacity is calculated;					
Ground water level modification for bearing			GWL $\geq B$		▼ Non Cohesive Soil
			▼ 1.00		BS5975
<b>Table 18 — Ground water level modification factor</b>					
Condition		Modification factor for:			
		Cohesive soils	Non-cohesive soils	Rocks	
Ground water level at B, or less, below level of foundation (where B is the width of foundation)		1.0	0.5	1.0	
Site liable to flooding		0.67	0.5	1.0	
Bearing capacity adopted, BC			300		kPa
Note $BC = MOD_{BC} \cdot [FOS_1 \cdot \{BC_{ll,a}, (BC_{ll,a} + BC_{ul,a})/2, BC_{ul,a}\}]$ or $\{K_{SPT} \cdot N_{ll}, K_{SPT} \cdot (N_{ll} + N_{ul})/2, K_{SPT} \cdot N_{ul}\}$ ;					

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	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by	Date	Chd.
		XX	21/11/2021	
<b>Analysis Method</b>				
Undrained, drained or empirical analysis ?		Empirical Analysis ▼		
<i>For clays, perform undrained, drained and empirical analyses;</i>				
<i>For sands / gravels, perform drained and empirical analyses;</i>				
<i>For rocks, perform drained and empirical analyses;</i>				
Evaluate overall uplift resistance ?		No ▼		
<i>Note that overall uplift resistance (mid third) is conservative to overturning, thus may in certain instances be deemed to be overconservative and subsequently ignored;</i>				
<b>Foundation Dimensions</b>				
Foundation type		Pad Footing ▼		
				
Depth of foundation founding level from ground level, D ( $\geq 0.000\text{m}$ )		0.650	m	OK
Depth of water table from ground level, $z_u$		0.650	m	
<i>Note that the soil beneath the water table has an effective submerged unit weight of about half of the soil above the water table, thus reducing the drained overall net effective bearing capacity; Hence use the highest water table foreseeable;</i>				
<i>Enter a negative <math>z_u</math> value for water table above ground level, this representing a flood event or a bridge pier within a sea or river with the ground level being the sea or river bed;</i>				
<i>However, a water table above ground level may unconservatively decrease the overall (effective) bearing capacity utilisation, thus consider also the case when the water table is at ground level;</i>				
<b>Foundation Reinforcement</b>				
Cover to all (bottom and side) reinforcement, $cover_1$ (usually 75)		50	mm	
Cover to all (top) reinforcement, $cover_2$ (usually 45)		25	mm	
<b>Foundation SLS Loading</b>				
Surcharge at surface, $p_{\text{surface}}$		0	kPa	
<i>Note that (unlike retaining walls) surface surcharging increases overall (effective) bearing capacity, thus consider the case when there is no surcharge unless it can be guaranteed;</i>				
<i>Consider reduction of working pressure due to surcharge above founding level, <math>p_0</math> or <math>p_0'</math> in net (effective) working pressure, <math>q_{\text{wnet}}</math> or <math>q_{\text{wnet}}'</math> ?</i>				
		Yes ▼		
<i>Note that for the case where an excavation and backfill (embedded footing) takes place prior to application of working pressure at the founding level: -</i>				
i. include additional soil (above footing) weight, $F_{\text{above,soil}}$				
ii. do consider reduction of working pressure due to $p_0$ or $p_0'$ in $q_{\text{wnet}}$ or $q_{\text{wnet}}'$				
<i>Note that for the case where an excavation without backfill takes place prior to application of working pressure at the founding level: -</i>				
i. do not include additional soil (above footing) weight, $F_{\text{above,soil}}$				
ii. do consider reduction of working pressure due to $p_0$ or $p_0'$ in $q_{\text{wnet}}$ or $q_{\text{wnet}}'$				
<i>Note that for the case where an excavation had already taken place in the past prior to application of working pressure at the founding level: -</i>				
i. do not include additional soil (above footing) weight, $F_{\text{above,soil}}$				
ii. do not consider reduction of working pressure due to $p_0$ or $p_0'$ in $q_{\text{wnet}}$ or $q_{\text{wnet}}'$				

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	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Executive Summary</b>				
Undrained overall net bearing capacity		<b>N/A</b>	<b>N/A</b>	
Drained overall net effective bearing capacity		<b>N/A</b>	<b>N/A</b>	
Empirical overall net effective bearing capacity		<b>91%</b>	<b>OK</b>	
Overall sliding resistance capacity		<b>0%</b>	<b>OK</b>	
Overall uplift resistance capacity		<b>N/A</b>	<b>N/A</b>	
Overall overturning resistance capacity		<b>0%</b>	<b>OK</b>	
<b>Pad Footing</b>				
Sagging bending moment in plane of width		<b>5%</b>	<b>OK</b>	
Sagging bending moment in plane of length		<b>10%</b>	<b>OK</b>	
% Min sag reinforcement in plane of width		<b>34%</b>	<b>OK</b>	
% Min sag reinforcement in plane of length		<b>34%</b>	<b>OK</b>	
Punching shear at column base face		<b>12%</b>	<b>OK</b>	
Punching shear at first shear perimeter		<b>14%</b>	<b>OK</b>	
Punching shear at second shear perimeter		<b>0%</b>	<b>OK</b>	
Ultimate shear stress for bending in plane of width		<b>4%</b>	<b>OK</b>	
Shear design capacity for bending in plane of width		<b>7%</b>	<b>OK</b>	
Ultimate shear stress for bending in plane of length		<b>5%</b>	<b>OK</b>	
Shear design capacity for bending in plane of length		<b>14%</b>	<b>OK</b>	
Detailing requirements		<b>NOT OK</b>		
<b>Strip Footing</b>				
Sagging bending moment		<b>N/A</b>	<b>N/A</b>	
% Min sag reinforcement		<b>N/A</b>	<b>N/A</b>	
Ultimate shear stress		<b>N/A</b>	<b>N/A</b>	
Shear design capacity		<b>N/A</b>	<b>N/A</b>	
Detailing requirements		<b>N/A</b>		
<b>Multi Column Footing</b>				
Sagging bending moment in plane of width		<b>N/A</b>	<b>N/A</b>	
Sagging bending moment in plane of length		<b>N/A</b>	<b>N/A</b>	
Hogging bending moment in plane of length		<b>N/A</b>	<b>N/A</b>	
% Min sag reinforcement in plane of width		<b>N/A</b>	<b>N/A</b>	
% Min sag reinforcement in plane of length		<b>N/A</b>	<b>N/A</b>	
% Min hog reinforcement in plane of length		<b>N/A</b>	<b>N/A</b>	
Punching shear at column base face		<b>N/A</b>	<b>N/A</b>	
Punching shear at first shear perimeter		<b>N/A</b>	<b>N/A</b>	
Punching shear at second shear perimeter		<b>N/A</b>	<b>N/A</b>	
Ultimate shear stress for bending in plane of width		<b>N/A</b>	<b>N/A</b>	
Shear design capacity for bending in plane of width		<b>N/A</b>	<b>N/A</b>	
Ultimate shear stress for bending in plane of length		<b>N/A</b>	<b>N/A</b>	
Shear design capacity for bending in plane of length		<b>N/A</b>	<b>N/A</b>	
Detailing requirements		<b>N/A</b>		



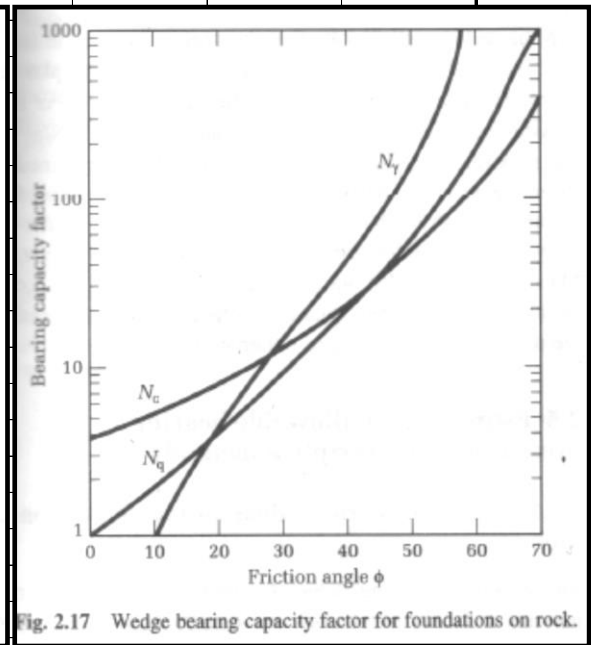
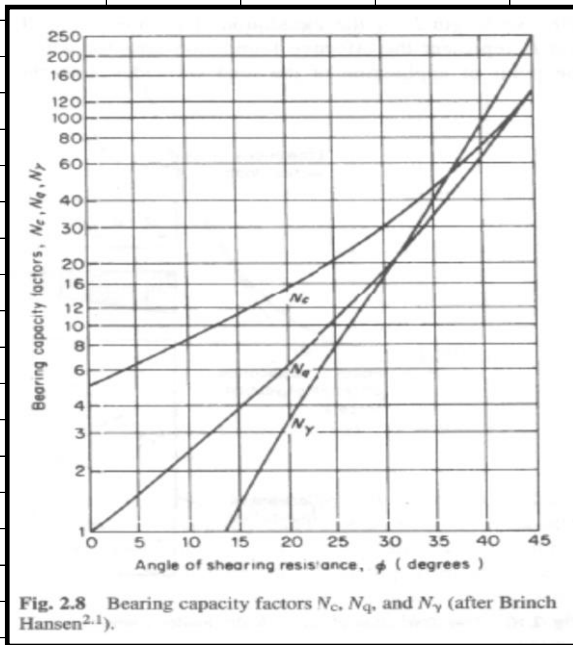
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Structure, Member Design - Geotechnics Pad, Strip and Raft					Made by	XX	Date	21/11/2021
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<b>Relevant Foundation Parameters</b>								
Relevant foundation type					<b>Pad Footing</b>			
<b>Overall (Effective) Bearing Capacity and Overall Sliding Resistance Capacity</b>								
	<b>B</b>	<b>(m)</b>	<b>L</b>	<b>(m)</b>	<b>B'</b>	<b>(m)</b>	<b>L'</b>	<b>(m)</b>
<b>Pad Footing</b>	$B_{pad}$	0.600	$L_{pad}$	0.750	$B_{pad}'$	0.557	$L_{pad}'$	0.750
<b>Strip Footing</b>	$B_{strip}$	N/A	infinity	N/A	$B_{strip}'$	N/A	infinity	N/A
<b>Multi Column Footing</b>	$B_{multi}$	N/A	$L_{multi}$	N/A	$B_{multi}$	N/A	$L_{multi}$	N/A
<b>Combined Footing</b>	$B_{com}$	N/A	$L_{com}$	N/A	$B_{com}$	N/A	$L_{com}$	N/A
<b>Strap Footing</b>	$B_{strap,1}$	N/A	$L_{strap,1}$	N/A	$B_{strap,1}$	N/A	$L_{strap,1}$	N/A
<b>Raft</b>	$B_{raft}$	N/A	$L_{raft}$	N/A	$B_{raft}$	N/A	$L_{raft}$	N/A
	<b>B</b>	<b>0.600</b>	<b>L</b>	<b>0.750</b>	<b>B'</b>	<b>0.557</b>	<b>L'</b>	<b>0.750</b>
Gross working pressure, $q_w$						<b>102</b> kPa		
Note $q_w$ above is $q_{w,1}$ for strap footing;								
<b>Overall Sliding Resistance Capacity</b>								
	<b>Vertical Load</b>	<b>(kN or kN/m)</b>	<b>Horizontal Load</b>	<b>(kN or kN/m)</b>	<b><math>e_B</math> (m)</b>	<b><math>e_{B,limit}</math> (m)</b>	<b><math>e_L</math> (m)</b>	<b><math>e_{L,limit}</math> (m)</b>
<b>Pad Footing</b>	$F_{pad,v}'$	43	$F_{pad,h}$	0	0.021	0.100	0.000	0.125
<b>Strip Footing</b>	$F_{strip,v}'$	N/A	$F_{strip,h}$	N/A	N/A	N/A	N/A	N/A
<b>Multi Column Footing</b>	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
<b>Combined Footing</b>	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
<b>Strap Footing</b>	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
<b>Raft</b>	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	<b><math>F_v'</math></b>	<b>43</b>	<b><math>F_h</math></b>	<b>0</b>	<b>0.021</b>	<b>0.100</b>	<b>0.000</b>	<b>0.125</b>
<b>Overall Overturning Resistance Capacity</b>								
	<b><math>M_{ot,B}</math></b>	<b><math>M_{rt,B}</math></b>	<b><math>M_{ot,L}</math></b>	<b><math>M_{rt,L}</math></b>				
	<b>(kNm or kNm/m)</b>	<b>(kNm or kNm/m)</b>	<b>(kNm or kNm/m)</b>	<b>(kNm or kNm/m)</b>				
<b>Pad Footing</b>	0	7	0	10				
<b>Strip Footing</b>	N/A	N/A	N/A	N/A				
<b>Multi Column Footing</b>	N/A	N/A	N/A	N/A				
<b>Combined Footing</b>	N/A	N/A	N/A	N/A				
<b>Strap Footing</b>	N/A	N/A	N/A	N/A				
<b>Raft</b>	N/A	N/A	N/A	N/A				
	<b>0</b>	<b>7</b>	<b>0</b>	<b>10</b>				

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<b>Undrained Overall Net Bearing Capacity</b>				
Total surcharge above founding level, $p_0$			<b>N/A</b>	kPa
<b>Case when <math>(z_u - D) \geq \text{MAX}(B, L)</math></b>			<b>N/A</b>	
$p_0 = p_{\text{surface}} + \gamma_{\text{dry}} \cdot D$			N/A	kPa
<b>Case when <math>0 &lt; (z_u - D) &lt; \text{MAX}(B, L)</math></b>			<b>N/A</b>	
$p_0 = p_{\text{surface}} + \gamma_{\text{dry}} \cdot D$			N/A	kPa
<b>Case when <math>(z_u - D) = 0</math></b>			<b>N/A</b>	
$p_0 = p_{\text{surface}} + \gamma_{\text{dry}} \cdot D$			N/A	kPa
<b>Case when <math>(z_u - D) &lt; 0</math> and <math>z_u \geq 0</math></b>			<b>N/A</b>	
$p_0 = p_{\text{surface}} + \gamma_{\text{sat}} \cdot (D - z_u) + \gamma_{\text{dry}} \cdot z_u$			N/A	kPa
<b>Case when <math>z_u &lt; 0</math></b>			<b>N/A</b>	
$p_0 = p_{\text{surface}} + \gamma_{\text{sat}} \cdot D + \gamma_w \cdot (-z_u)$			N/A	kPa
Net bearing capacity, $q_{\text{fnet}} = q_f - p_0$			<b>N/A</b>	kPa
Gross bearing capacity, $q_f = s_c \cdot d_c \cdot N_{c,\text{strip}} \cdot S_u + p_0$			<b>N/A</b>	kPa
				Terzaghi
	Shape factor, $s_c = 1 + 0.2 (B'/L')$		N/A	EC7
	Depth factor, $d_c = 1 + (0.053D/B')^{0.5}$ for $D/B' \leq 4.0$		N/A	<b>N/A</b>
	Bearing capacity factor, $N_{c,\text{strip}}$	$N_c = (2 + \pi) = 5.14$	N/A	Skempton
Net working pressure, $q_{\text{wnet}} = q_w - (p_0 \text{ or } 0)$			<b>N/A</b>	kPa
Gross working pressure, $q_w$			<b>N/A</b>	kPa
<i>Note a negative <math>q_{\text{wnet}}</math> indicates an excavation, the following analysis ascertains the susceptibility of the system to base heave instability, conservatively however ignoring the contribution of the shearing resistance of the soil interface above the founding level and any wall embedment below the founding level;</i>				
Undrained overall net bearing capacity (factored), $q_{\text{fnet}} / \text{FOS}_1$			<b>N/A</b>	kPa
Undrained overall net bearing capacity utilisation = $\text{ABS}(q_{\text{wnet}}) / (q_{\text{fnet}} / \text{FOS}_1)$			<b>N/A</b>	<b>N/A</b>
<i>Note an absolute function is applied to the above to present the susceptibility to base heave instability as well as the overall net bearing capacity;</i>				

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**Drained Overall Net Effective Bearing Capacity**

Effective surcharge above founding level, $p_0'$		N/A	kPa	
Unit weight, $\gamma'$		N/A	kN/m <sup>3</sup>	
<b>Case when <math>(z_u - D) \geq \text{MAX}(B, L)</math></b>		<b>N/A</b>		
	$p_0' = p_{\text{surface}} + \gamma_{\text{dry}} \cdot D$	N/A	kPa	
	$\gamma' = \gamma_{\text{dry}}$	N/A	kN/m <sup>3</sup>	
<b>Case when <math>0 &lt; (z_u - D) &lt; \text{MAX}(B, L)</math></b>		<b>N/A</b>		
	$p_0' = p_{\text{surface}} + \gamma_{\text{dry}} \cdot D$	N/A	kPa	
	$\gamma' = z_u / \text{MAX}(B, L) \cdot [\gamma_{\text{dry}} - (\gamma_{\text{sat}} - \gamma_w)] + (\gamma_{\text{sat}} - \gamma_w)$	N/A	kN/m <sup>3</sup>	
<b>Case when <math>(z_u - D) = 0</math></b>		<b>N/A</b>		
	$p_0' = p_{\text{surface}} + \gamma_{\text{dry}} \cdot D$	N/A	kPa	
	$\gamma' = \gamma_{\text{sat}} - \gamma_w$	N/A	kN/m <sup>3</sup>	
<b>Case when <math>(z_u - D) &lt; 0</math> and <math>z_u \geq 0</math></b>		<b>N/A</b>		
	$p_0' = p_{\text{surface}} + (\gamma_{\text{sat}} - \gamma_w) \cdot (D - z_u) + \gamma_{\text{dry}} \cdot z_u$	N/A	kPa	
	$\gamma' = \gamma_{\text{sat}} - \gamma_w$	N/A	kN/m <sup>3</sup>	
<b>Case when <math>z_u &lt; 0</math></b>		<b>N/A</b>		
	$p_0' = p_{\text{surface}} + \gamma_{\text{sat}} \cdot D + \gamma_w \cdot (-z_u) - \gamma_w \cdot (D + (-z_u))$	N/A	kPa	
	Note that the above equation reduces to $p_0' = p_{\text{surface}} + (\gamma_{\text{sat}} - \gamma_w) \cdot D$ ;			
	$\gamma' = \gamma_{\text{sat}} - \gamma_w$	N/A	kN/m <sup>3</sup>	
Net effective bearing capacity, $q_{\text{rnet}}' = q_r' - p_0'$		N/A	kPa	
Gross effective bearing capacity, $q_r'$		N/A	kPa	Terzaghi
	$= s_c \cdot d_c \cdot N_{c,\text{strip}} \cdot C'$	N/A	kPa	
	$+ s_q \cdot d_q \cdot N_{q,\text{strip}} \cdot p_0'$	N/A	kPa	
	$+ s_\gamma \cdot d_\gamma \cdot N_{\gamma,\text{strip}} \cdot B' / 2 \cdot \gamma'$	N/A	kPa	



Equations for bearing capacity	Prandtl, Reissner and Hansen Equations for Soils		
<b>Cohesion Factors</b>			
Shape factor,	$s_c = (s_q \cdot N_q - 1) / (N_q - 1)$	N/A	EC7
Depth factor,	$d_c = 1 + 0.4 \arctan(D/B)$	N/A	
Note B in the above equation is B';			
Bearing capacity factor, $N_{c,\text{strip}}$		N/A	
Soils	$N_{c,\text{strip}} = (N_{q,\text{strip}} - 1) \cdot \cot \phi'$	$N_c = (N_q - 1) \cot \phi'$	EC7 (Prandtl)
Rocks	$N_{c,\text{strip}} = N_c \cdot 2N_o^{1/2} (N_c + 1)$	$N_o = \tan^2(45^\circ + \phi/2)$	Kulhawy and God

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**Surcharge Factors**

Shape factor,  $s_q = 1 + (B' / L') \sin \phi'$  N/A EC7

Depth factor,  $d_q = 1 + 2 \tan \phi' (1 - \sin \phi')^2 \arctan \frac{D}{B'}$  N/A

Bearing capacity factor,  $N_{q,strip}$  N/A

Soils  $N_q = e^{\pi \tan \phi'} \tan^2 (45 + \phi'/2)$  N/A EC7 (Reissner)

Rocks  $N_{q,strip} : N_q : N_c^2 \quad N_\gamma : \tan^2(45 + \phi'/2)$  N/A Kulhawy and Godwin

**Self Weight Factors**

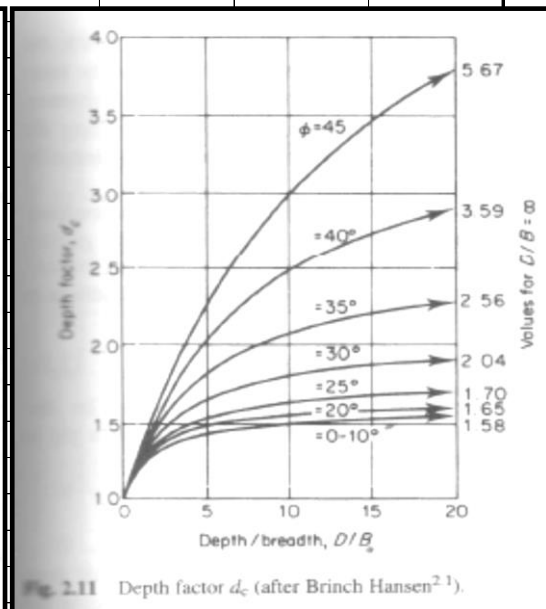
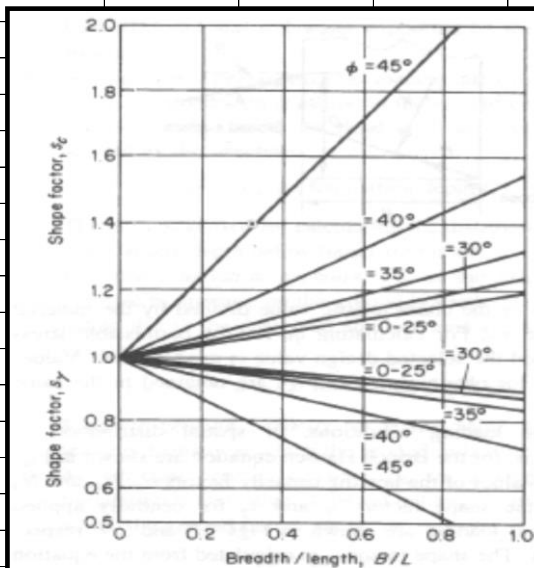
Shape factor,  $s_\gamma = 1 - 0.3 (B'/L')$  N/A EC7

Depth factor,  $d_\gamma = 1.0$  N/A

Bearing capacity factor,  $N_{\gamma,strip}$  N/A

Soils  $N_{\gamma,strip} = 2.0(N_{q,strip} - 1) \tan \phi'$  N/A EC7 (Hansen)

Rocks  $N_{\gamma,strip} : N_\gamma : N_c^{1/2} (N_c - 1) \quad N_\gamma : \tan^2(45 + \phi'/2)$  N/A Kulhawy and Godwin



Shape of base	$s_c$	$s_q$	$s_\gamma$
Continuous strip	1.0	1.0	1.0
Rectangle	$1 + 0.2B/L$	$1 + 0.2B/L$	$1 - 0.4B/L$
Square	1.3	1.2	0.8
Circle ( $B = \text{diameter}$ )	1.3	1.2	0.6

Net effective working pressure, $q_{wnet}' = q_w' - (p_0' \text{ or } 0)$	N/A	kPa
Gross working pressure, $q_w$	N/A	kPa
Water pressure at founding level, $u = \gamma_w \cdot \text{MAX} (D - z_{ur}, 0)$	N/A	kPa
Gross effective working pressure, $q_w' = q_w - u$	N/A	kPa

Note a negative  $q_{wnet}'$  indicates an excavation, the following analysis ascertains the susceptibility of the system to base heave instability, conservatively however ignoring the contribution of the shearing resistance of the soil interface above the founding level and any wall embedment below the founding level;

Drained overall net effective bearing capacity (factored), $q_{fnet}' / \text{FOS}_1$	N/A	kPa
Drained overall net effective bearing capacity utilisation = $\text{ABS} (q_{wnet}') / (q_{fnet})$	N/A	N/A

Note an absolute function is applied to the above to present the susceptibility to base heave instability as well as the overall net effective bearing capacity;

dman





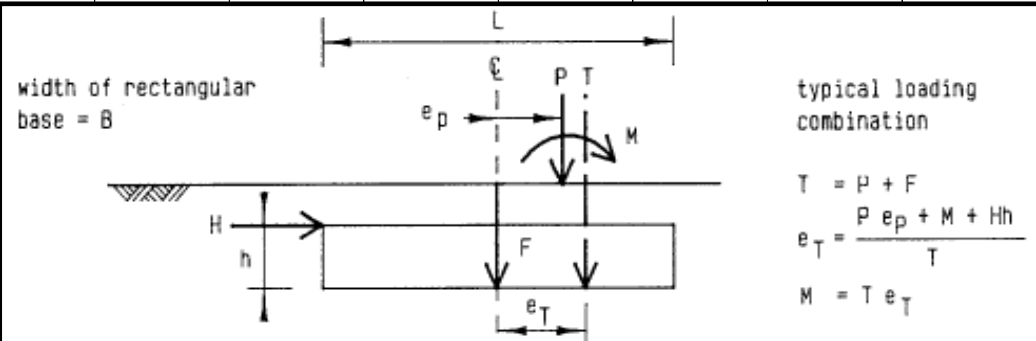






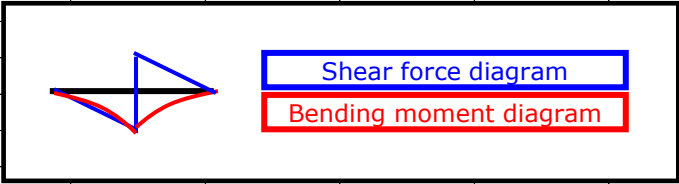


CONSULTING ENGINEERS		Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
			jXXX	13	
			Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and		Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	XX	Date	21/11/2021 Chd.
<b>Pad Footing Foundation Dimensions</b>					
Width, $B_{pad}$ ( $\leq L_{pad}$ )				0.600 m	OK
Length, $L_{pad}$ ( $> B_{pad}$ )				0.750 m	OK
Thickness beneath base slab, $t_{1,pad}$				0.200 m	
Thickness of base slab, $t_{2,pad}$ (if no base slab, then enter 0.000m)				0.000 m	
Thickness of foundation, $T_{pad} = t_{1,pad} + t_{2,pad}$				0.200 m	
Column base section type (for punching shear only)			Rectangular		
Column base location (for punching shear only)			Edge for Span in Width Direction		
Column base depth, $h$ (rectangular) or diameter, $D$ (Perpendicular to Edge)				230 mm	
Column base width, $b$ (rectangular) or N/A (circular) (Parallel to Edge)				230 mm	
<i>Note where applicable, it is assumed that <math>h</math> is in same plane as <math>L_{pad}</math> and that the column base is always interior and located in the centre of the pad footing <math>B_{pad}</math> and <math>L_{pad}</math>;</i>					
<b>Pad Footing Foundation Reinforcement</b>					
Sagging steel reinforcement diameter in width, $\phi_{sx}$				12 mm	
Sagging steel reinforcement pitch for resistance in width, $p_{sx}$				150 mm	
Sagging steel area provided in width, $A_{s,prov,x,s} = (\pi \cdot \phi_{sx}^2 / 4) / p_{sx}$				754 mm <sup>2</sup> /m	
Sagging steel reinforcement diameter in length, $\phi_{sy}$				12 mm	
Sagging steel reinforcement pitch for resistance in length, $p_{sy}$				150 mm	
Sagging steel area provided in length, $A_{s,prov,y,s} = (\pi \cdot \phi_{sy}^2 / 4) / p_{sy}$				754 mm <sup>2</sup> /m	
Shear link diameter for first shear perimeter, $\phi_{link,2}$				None mm	
Number of link legs for first shear perimeter, $n_{l,2}$				30	
Area provided by all links for first shear perimeter, $A_{sv,prov,2} = n_{l,2} \cdot \pi \cdot \phi_{link,2}^2 / 4$				0 mm <sup>2</sup>	
Shear link diameter for second shear perimeter, $\phi_{link,3}$				None mm	
Number of link legs for second shear perimeter, $n_{l,3}$				30	
Area provided by all links for second shear perimeter, $A_{sv,prov,3} = n_{l,3} \cdot \pi \cdot \phi_{link,3}^2 / 4$				0 mm <sup>2</sup>	
Shear link diameter for bending in width, $\phi_{link,x} = \phi_{link,2}$				0 mm	
Number of link legs per metre for bending in width, $n_{link,x}$				4 /m	
Area provided by all links per metre for bending in width, $A_{sv,prov,x} = n_{link,x} \cdot \pi \cdot \phi_{link,x}^2 / 4$				0 mm <sup>2</sup> /m	
Pitch of links for bending in width, $S_x$				150 mm	
Shear link diameter for bending in length, $\phi_{link,y} = \phi_{link,2}$				0 mm	
Number of link legs per metre for bending in length, $n_{link,y}$				4 /m	
Area provided by all links per metre for bending in length, $A_{sv,prov,y} = n_{link,y} \cdot \pi \cdot \phi_{link,y}^2 / 4$				0 mm <sup>2</sup> /m	
Pitch of links for bending in length, $S_y$				150 mm	
Effective depth to sagging steel in width, $d_{x,s} = T_{pad} - cover_1 - MAX(\phi_{link,2}, \phi_{lin})$				132 mm	
Effective depth to sagging steel in length, $d_{y,s} = T_{pad} - cover_1 - MAX(\phi_{link,2}, \phi_{li})$				144 mm	
<i>It is assumed that sagging steel in length is exterior to sagging steel in width;</i>					
Estimated steel reinforcement quantity				59 kg/m <sup>3</sup>	
[ $7.850 \cdot (A_{s,prov,x,s} + A_{s,prov,y,s}) / T_{pad}$ ]; No curtailment; No laps; Links ignored;					

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			Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and		Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	XX	Date	21/11/2021 Chd.
<b>Pad Footing Foundation SLS Loading</b>					
SLS vertical (downward) load from column and base slab (if suspended), $F_{col,v}$			36	kN	OK
Eccentricity of $F_{col,v}$ from centroid in width, $e_1$			0.025	m	
Eccentricity of $F_{col,v}$ from centroid in length, $e_2$			0.000	m	
SLS horizontal load from column in width, $F_{col,h1}$ (defined to add to $e_1$ eccentricity)			0	kN	
SLS horizontal load from column in length, $F_{col,h2}$ (defined to add to $e_2$ eccentricity)			0	kN	
SLS moment from column in plane of width, $M_{col,1}$ (defined to add to $e_1$ eccentricity)			0	kNm	
SLS moment from column in plane of length, $M_{col,2}$ (defined to add to $e_2$ eccentricity)			0	kNm	
<i>Note <math>F_{col,h1/h2}</math> and <math>M_{col,1/2}</math> are defined to add to the corresponding eccentricities, thus enter positive values;</i>					
Pad footing (projection beneath base slab) weight, $F_{under,pad} = B_{pad} \cdot L_{pad} \cdot t_{1,pad} \cdot \rho_c$			2	kN	
Additional soil (above footing) weight, $F_{above,soil} = B_{pad} \cdot L_{pad} \cdot \text{MAX}(0, D - z_{ur}) \cdot \rho_c$			4	kN	
<i>Note additional soil above the footing is included for embedded footings whereby the top of the footing is below ground level and backfilled, for conservatism the saturated soil density is adopted, and <math>\rho_c \approx \gamma_{sat}</math>;</i>					
<i>Note that this has a stabilizing effect on footings subject to destabilizing moments, thus both inclusive and exclusive cases should be considered;</i>					
Water pressure at founding level, $u = \gamma_w \cdot \text{MAX}(D - z_{ur}, 0)$			0	kPa	
Water uplift force at founding level, $F_{water} = u \cdot B_{pad} \cdot L_{pad}$			0	kN	
Total foundation SLS vertical (downward) load, $F_{pad,v} = F_{col,v} + F_{under,pad} + F_{above,soil} - F_{water}$			43	kN	
Total foundation SLS effective vertical (downward) load, $F_{pad,v}' = F_{pad,v} - F_{water}$			43	kN	
Total foundation SLS horizontal load, $F_{pad,h} = (F_{col,h1}^2 + F_{col,h2}^2)^{0.5}$			0	kN	
<div style="border: 1px solid black; padding: 10px; margin: 10px 0;">  <div style="float: right; margin-top: 10px;"> <p>typical loading combination</p> <math display="block">T = P + F</math> <math display="block">e_T = \frac{P e_p + M + Hh}{T}</math> <math display="block">M = T e_T</math> </div> </div>					
Equivalent eccentricity in width, $e_B = \text{ABS}(F_{col,v} \cdot e_1 + M_{col,1} + F_{col,h1} \cdot T_{pad}) / F_{pad}$			0.021	m	
Limiting eccentricity for no overall uplift (factored), $e_{B,limit} = (B_{pad} / 6) / \text{FOS}_3$			0.100	m	
Equivalent eccentricity in length, $e_L = \text{ABS}(F_{col,v} \cdot e_2 + M_{col,2} + F_{col,h2} \cdot T_{pad}) / F_{pad}$			0.000	m	
Limiting eccentricity for no overall uplift (factored), $e_{L,limit} = (L_{pad} / 6) / \text{FOS}_3$			0.125	m	
Overturning moment in width, $M_{ot,B} = M_{col,1} + F_{col,h1} \cdot T_{pad}$			0	kNm	
Restoring moment in width, $M_{rt,B} = [F_{col,v} \cdot (B_{pad}/2 - e_1) + (F_{under,pad} + F_{above,soil} - F_{water}) \cdot (B_{pad}/2)]$			7	kNm	
Overturning moment in length, $M_{ot,L} = M_{col,2} + F_{col,h2} \cdot T_{pad}$			0	kNm	
Restoring moment in length, $M_{rt,L} = [F_{col,v} \cdot (L_{pad}/2 - e_2) + (F_{under,pad} + F_{above,soil} - F_{water}) \cdot (L_{pad}/2)]$			10	kNm	

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			Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and		Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	XX	Date	21/11/2021 Chd.
<div style="border: 1px solid black; padding: 5px;"> <p>bearing pressure distribution where <math>e_T &lt; \frac{L}{6}</math></p> <p> <math>t_{min} = \frac{T}{A} - \frac{M_T}{Z}</math>  <math>= \frac{T}{LB} - \frac{6Te_T}{L^2B}</math> </p> <p> <math>t_{max} = \frac{T}{A} + \frac{M_T}{Z}</math>  <math>= \frac{T}{A} + \frac{Te_T}{Z}</math>  <math>= \frac{T}{LB} + \frac{6Te_T}{L^2B}</math> </p> </div>					
<div style="border: 1px solid black; padding: 5px;"> <p>bearing pressure distribution where <math>e_T &gt; \frac{L}{6}</math></p> <p> <math>t_{min} = 0</math> </p> <p> <math>L_b = 3\left(\frac{L}{2} - e_T\right)</math>  length of base in compression </p> <p> <math>t_{max} = \frac{2T}{BL_b}</math>  <math>= \frac{2T}{3B\left(\frac{L}{2} - e_T\right)}</math> </p> <p>Note : tension (-ve) pressure cannot be generated between underside of base and soil, therefore pressure is positive (i.e. in compression) or zero</p> <p>Note : centre of pressure x base area diagram is on the line of the resultant force T. This applies for all foundation shapes but in this case forms a triangular stress/force block</p> </div>					
Maximum gross working pressure in width, $q_{w1,B} = F_{pad,v}/(B_{pad} \cdot L_{pad}) + 6 \cdot (F_{col,v} \cdot e_T)$				115	kPa
Minimum gross working pressure in width, $q_{w2,B} = F_{pad,v}/(B_{pad} \cdot L_{pad}) - 6 \cdot (F_{col,v} \cdot e_T)$				75	kPa
Maximum gross working pressure in length, $q_{w1,L} = F_{pad,v}/(B_{pad} \cdot L_{pad}) + 6 \cdot (F_{col,v} \cdot e_L)$				95	kPa
Minimum gross working pressure in length, $q_{w2,L} = F_{pad,v}/(B_{pad} \cdot L_{pad}) - 6 \cdot (F_{col,v} \cdot e_L)$				95	kPa
Maximum gross working pressure in width, $q_{w1,B} = 2F_{pad,v}/[3L_{pad} \cdot (B_{pad}/2 - e_B)]$				N/A	kPa
Minimum gross working pressure in width, $q_{w2,B} = 0.0$				N/A	kPa
Maximum gross working pressure in length, $q_{w1,L} = 2F_{pad,v}/[3B_{pad} \cdot (L_{pad}/2 - e_L)]$				N/A	kPa
Minimum gross working pressure in length, $q_{w2,L} = 0.0$				N/A	kPa
Equivalent width, $B_{pad}' = B_{pad} - 2e_B$				0.557	m
Equivalent length, $L_{pad}' = L_{pad} - 2e_L$				0.750	m
Gross working pressure, $q_w = F_{pad,v} / (B_{pad}' \cdot L_{pad}')$				102	kPa
<b>Pad Footing Foundation ULS Loading</b>					
ULS vertical (downward) load from column and base slab (if suspended), $F_{col}$				59	kN
<i>Note it is assumed that the ULS load acts at the same eccentricity as the SLS load;</i>					
<i>Note that this enhancement is required to cater for the moment as an enhanced load in the ULS design;</i>					



<b>CONSULTING ENGINEERS</b>	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	16	
		Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and	Drg.		
	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Pad Footing Foundation Reinforcement Design</b>				
<b>Gross ULS Pressure</b>				
Gross ULS pressure, $q_{w,ULS} = F_{col,v,uls} / (B_{pad} \cdot L_{pad})$			<b>131</b>	kPa
				
<b>Sagging Bending Moment Design in Plane of Width</b>				
Moment at column base face, $M_x = q_{w,ULS} \cdot L_{pad} \cdot [(B_{pad} - (b \text{ or } D))/2]^2 / 2$			<b>2</b>	kNm
Moment at column base face per metre, $M_x/L_{pad}$			<b>2</b>	kNm/m
Concrete moment capacity per metre, $M_{u,x} = 0.156f_{cu} \cdot 1000 \cdot d_{x,s}^2$			<b>95</b>	kNm/m
Bending stress, $[M/bd^2]_x = (M_x/L_{pad}) / [(1000) \cdot d_{x,s}^2]$			0.13	N/mm <sup>2</sup>
Bending stress ratio, $K_x = [M/bd^2]_x / f_{cu} \leq 0.156$			0.004	<b>OK</b>
Lever arm, $z_x = d_{x,s} \cdot [0.5 + (0.25 - K_x/0.9)^{0.5}] \leq 0.95d_{x,s}$			125	mm
Area of tension steel required, $A_{s,x} = (M_x/L_{pad}) / [(0.95f_y) \cdot z_x]$			<b>41</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			754	mm <sup>2</sup> /m
Sagging bending moment in plane of width utilisation = $A_{s,x} / A_{s,prov,x,s}$			<b>5%</b>	<b>OK</b>
Requirement to concentrate 2/3 rebar within 1.5d <sub>x,s</sub> from			375 < 470	<b>No</b>
[Yes if $L_{pad}/2 > 3/4(h \text{ or } D) + 9/4d_{x,s}$ ; No if not;]			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of width ( $\geq 0.0024 \cdot 1000 \cdot T_{pad}$ G250; $\geq$ )			0.38	%
% Min sag reinforcement in plane of width utilisation			<b>34%</b>	<b>OK</b>
<b>Sagging Bending Moment Design in Plane of Length</b>				
Moment at column base face, $M_y = q_{w,ULS} \cdot B_{pad} \cdot [(L_{pad} - (h \text{ or } D))/2]^2 / 2$			<b>3</b>	kNm
Moment at column base face per metre, $M_y/B_{pad}$			<b>4</b>	kNm/m
Concrete moment capacity per metre, $M_{u,y} = 0.156f_{cu} \cdot 1000 \cdot d_{y,s}^2$			<b>113</b>	kNm/m
Bending stress, $[M/bd^2]_y = (M_y/B_{pad}) / [(1000) \cdot d_{y,s}^2]$			0.21	N/mm <sup>2</sup>
Bending stress ratio, $K_y = [M/bd^2]_y / f_{cu} \leq 0.156$			0.006	<b>OK</b>
Lever arm, $z_y = d_{y,s} \cdot [0.5 + (0.25 - K_y/0.9)^{0.5}] \leq 0.95d_{y,s}$			137	mm
Area of tension steel required, $A_{s,y} = (M_y/B_{pad}) / [(0.95f_y) \cdot z_y]$			<b>74</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$			754	mm <sup>2</sup> /m
Sagging bending moment in plane of length utilisation = $A_{s,y} / A_{s,prov,y,s}$			<b>10%</b>	<b>OK</b>
Requirement to concentrate 2/3 rebar within 1.5d <sub>y,s</sub> from			300 < 497	<b>No</b>
[Yes if $B_{pad}/2 > 3/4(b \text{ or } D) + 9/4d_{y,s}$ ; No if not;]			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of length ( $\geq 0.0024 \cdot 1000 \cdot T_{pad}$ G250; $\geq$ )			0.38	%
% Min sag reinforcement in plane of length utilisation			<b>34%</b>	<b>OK</b>

<b>CONSULTING ENGINEERS</b>		Engineering Calculation Sheet Consulting Engineers			Job No.	Sheet No.	Rev.
					jXXX	17	
					Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and				Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	XX	Date	21/11/2021	Chd.	
<b>Punching Shear Design</b>							
ULS vertical (downward) load from column and base slab (if suspended), $F_{col}$					59	kN	
Area of column base section, $A_{c1} = b.h$ (rectangular) or $\pi D^2/4$ (circular)					52900	mm <sup>2</sup>	
Average effective depth of both rebar layers, $d = (d_{x,s} + d_{y,s})/2$					138	mm	
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$					754	mm <sup>2</sup> /m	
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$					754	mm <sup>2</sup> /m	
Average area of tensile steel reinforcement provided, $A_{s,prov,s}$					754	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,s}/(1000.d)$					0.55	%	
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d)^{1/4}; \rho_w < 3; f_{cu} < 40; (400/d)^{1/4} > 0.67$					0.75	N/mm <sup>2</sup>	
<b>Column Base Face Perimeter</b>							
Shear force at column base face, $V_1 = F_{col,v,uls} - q_{w,uls}.A_{c1}$					52	kN	
Effective shear force, $V_{eff,1} = 1.00 \cdot V_1$					52	kN	
<i>Note <math>V_{eff,1} = 1.00 \cdot V_1</math> because moment effects have been accounted for in the derivation of <math>F_{col,v,uls}</math>;</i>							
Column base face perimeter, $u_1$					690	mm	
		<i>Rectangular</i>		<i>Circular</i>			
<i>Internal column:</i>		$2.(b+h)$	920	$\pi.D$	N/A	mm	
<i>Edge column:</i>		$2b+h$ or $2h+b$	690	$3/4(\pi.D)$	N/A	mm	
<i>Corner column:</i>		$(b+h)$	460	$\pi.D/2$	N/A	mm	
Shear stress at column base face perimeter, $v_1 = V_{eff,1} / u_1 d (< 0.8f_{cu}^{0.5} \text{ \& } 5N/mm^2)$					0.55	N/mm <sup>2</sup>	
Ultimate shear stress utilisation					12%		OK
<b>First Shear Perimeter</b>							
Shear force 1.5d from column base face, $V_2 = F_{col,v,uls} - q_{w,uls}.A_{c2}$					22	kN	
		<i>Rectangular</i>		<i>Circular</i>			
<i>Internal column:</i>		$(b+3d).(h+3d)$	0.41	$(D+3d)^2$	N/A	m <sup>2</sup>	
<i>Edge column:</i>		$(b+1.5d).(h+3d)$ or $(h+1.5d).(b+3d)$	0.28	$d).(D+3d)$	N/A	m <sup>2</sup>	
<i>Corner column:</i>		$(b+1.5d).(h+1.5d)$	0.19	$(D+1.5d)^2$	N/A	m <sup>2</sup>	
Effective shear force, $V_{eff,2} = 1.00 \cdot V_2$					22	kN	
<i>Note <math>V_{eff,2} = 1.00 \cdot V_2</math> because moment effects have been accounted for in the derivation of <math>F_{col,v,uls}</math>;</i>							
Column base first perimeter, $u_2$					1518	mm	
		<i>Rectangular</i>		<i>Circular</i>			
<i>Internal column:</i>		$2.(b+h)+12d$	2576	$4D+12d$	N/A	mm	
<i>Edge column:</i>		$2b+h+6d$ or $2h+b+6d$	1518	$3D+6d$	N/A	mm	
<i>Corner column:</i>		$(b+h)+3d$	874	$2D+3d$	N/A	mm	
Shear stress at column base first perimeter, $v_2 = V_{eff,2} / u_2 d$					0.11	N/mm <sup>2</sup>	
<i>(Shear capacity enhancement by calculating <math>v_d</math> at 1.5d from "support" and comparing against unenhanced <math>v_c</math> as clause 3.7.7.6 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within 1.5d of the "support" as clause 3.7.7.4 BS8110;)</i>							
<b>Case <math>v_2 &lt; v_c</math></b>					<b>VALID</b>		
No links required.							
<b>Case <math>v_c &lt; v_2 &lt; 1.6v_c</math></b>					<b>N/A</b>		
$\Sigma A_{sv} \sin \alpha \geq \frac{(v - v_c)ud}{0.95f_{yv}}$					N/A	>=	N/A mm <sup>2</sup>
Note $\Sigma A_{sv} \sin \alpha > 0.4ud/0.95f_{yv}$							



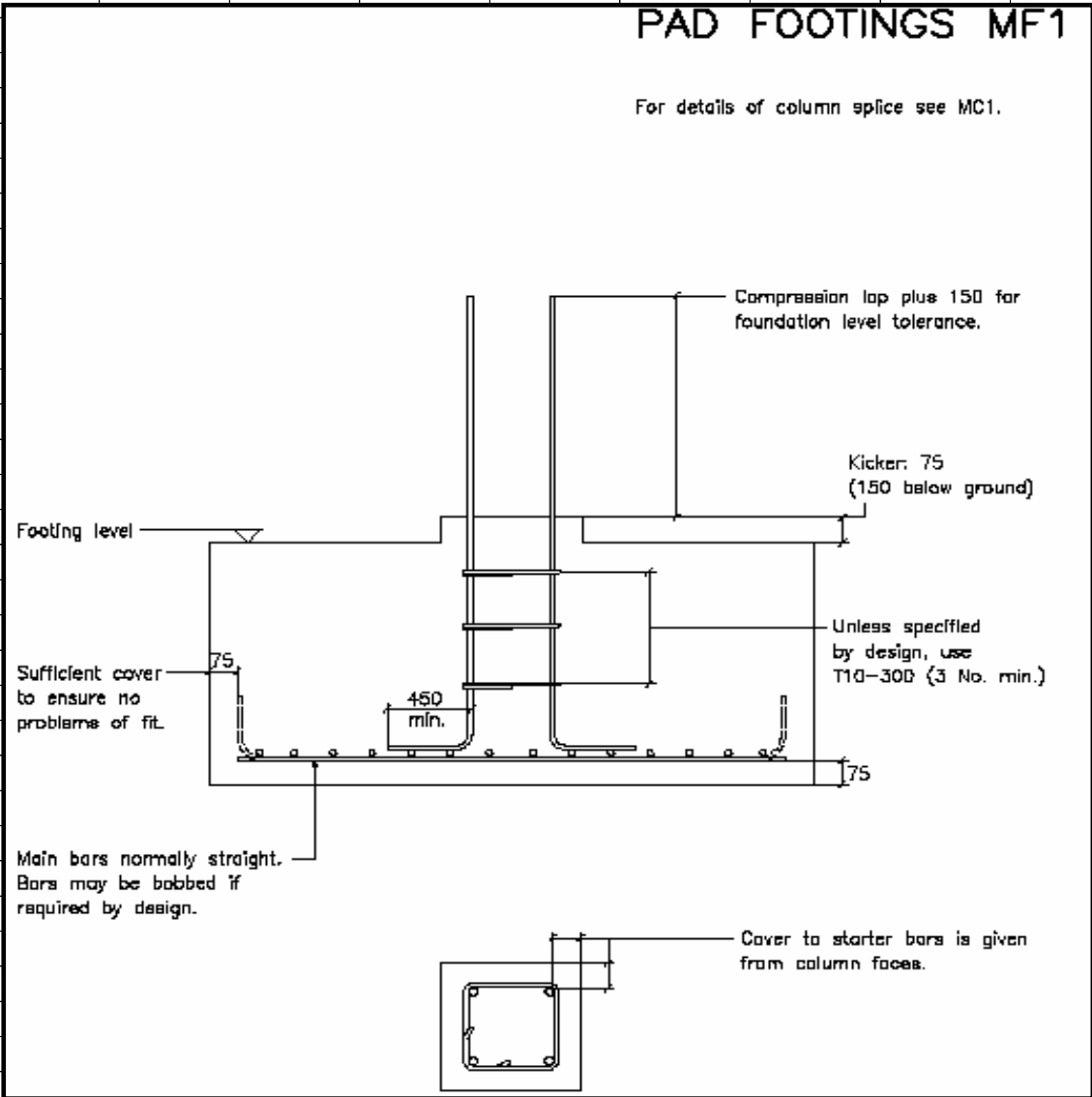


<b>CONSULTING ENGINEERS</b>		Engineering Calculation Sheet Consulting Engineers		Job No.	Sheet No.	Rev.
				jXXX	20	
				Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and			Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	XX	Date	21/11/2021	Chd.
<b>Shear Design for Bending in Plane of Length</b>						
Shear force at column base face, $V_{y,ult} = q_{w,ULS} \cdot B_{pad} \cdot [(L_{pad} - (h \text{ or } D))/2]$				20	kN	
Shear force at column base face per metre, $V_{y,ult}/B_{pad}$				34	kN/m	
Shear force at $1.0d_{y,s}$ from column base face, $V_y = q_{w,ULS} \cdot B_{pad} \cdot [(L_{pad} - (h \text{ or } D))/2]$				9	kN	
Shear force at $1.0d_{y,s}$ from column base face per metre, $V_y/B_{pad}$				15	kN/m	
<i>Note the above shear forces are for bending in plane of length;</i>						
Ultimate shear stress for bending in plane of length, $v_{ult,y} = (V_{y,ult}/B_{pad})/(1000 \cdot d_{y,s})$				0.24	N/mm <sup>2</sup>	
Ultimate shear stress for bending in plane of length utilisation				5%		OK
Design shear stress for bending in plane of length, $v_{d,y} = (V_y/B_{pad})/(1000 \cdot d_{y,s})$				0.11	N/mm <sup>2</sup>	
<i>(Shear capacity enhancement by calculating <math>v_d</math> at <math>d</math> from "support" and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within <math>2d</math> of the "support" as clause 3.4.5.8 BS8110;)</i>						
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$				754	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,y,s}/(1000 \cdot d_{y,s})$				0.52	%	
$v_{c,y} = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{y,s})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{y,s})^{1/4} > 0.67$				0.74	N/mm <sup>2</sup>	
<b>Check <math>v_{d,y} &lt; v_{c,y}</math> for no links</b>				VALID		
Concrete shear capacity $v_{c,y} \cdot (1000 \cdot d_{y,s})$				106	kN/m	
<b>Check <math>v_{c,y} &lt; v_{d,y} &lt; 0.4 + v_{c,y}</math> for nominal links</b>				N/A		
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000)/(0.95f_{yv})$ i.e.				0.92	mm <sup>2</sup> /mm/m	
Concrete and nominal links shear capacity $(0.4 + v_{c,y}) \cdot (1000 \cdot d_{y,s})$				164	kN/m	
<b>Check <math>v_{d,y} &gt; 0.4 + v_{c,y}</math> for design links</b>				N/A		
Provide shear links $A_{sv} / S > 1000 \cdot (v_{d,y} - v_{c,y}) / (0.95f_{yv})$ i.e. $A_{sv} / S >$				0.92	mm <sup>2</sup> /mm/m	
Concrete and design links shear capacity $(A_{sv,prov,y}/S_y) \cdot (0.95f_{yv}) \cdot d_{y,s}$				106	kN/m	
Area provided by all links per metre, $A_{sv,prov,y}$				0	mm <sup>2</sup> /m	
Tried $A_{sv,prov,y} / S_y$ value				0.00	mm <sup>2</sup> /mm/m	
Design shear resistance for bending in plane of length utilisation				14%		OK



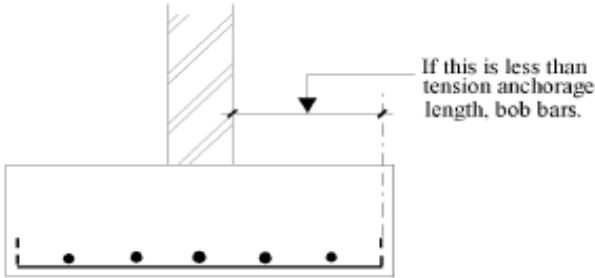
<b>CONSULTING ENGINEERS</b>	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	22	
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Job Title	Structure, Member Design - Geotechnics Pad, Strip and	Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	Date	Chd.
		XX	21/11/2021	

**Standard Pad Footing Foundation Reinforcement Details**

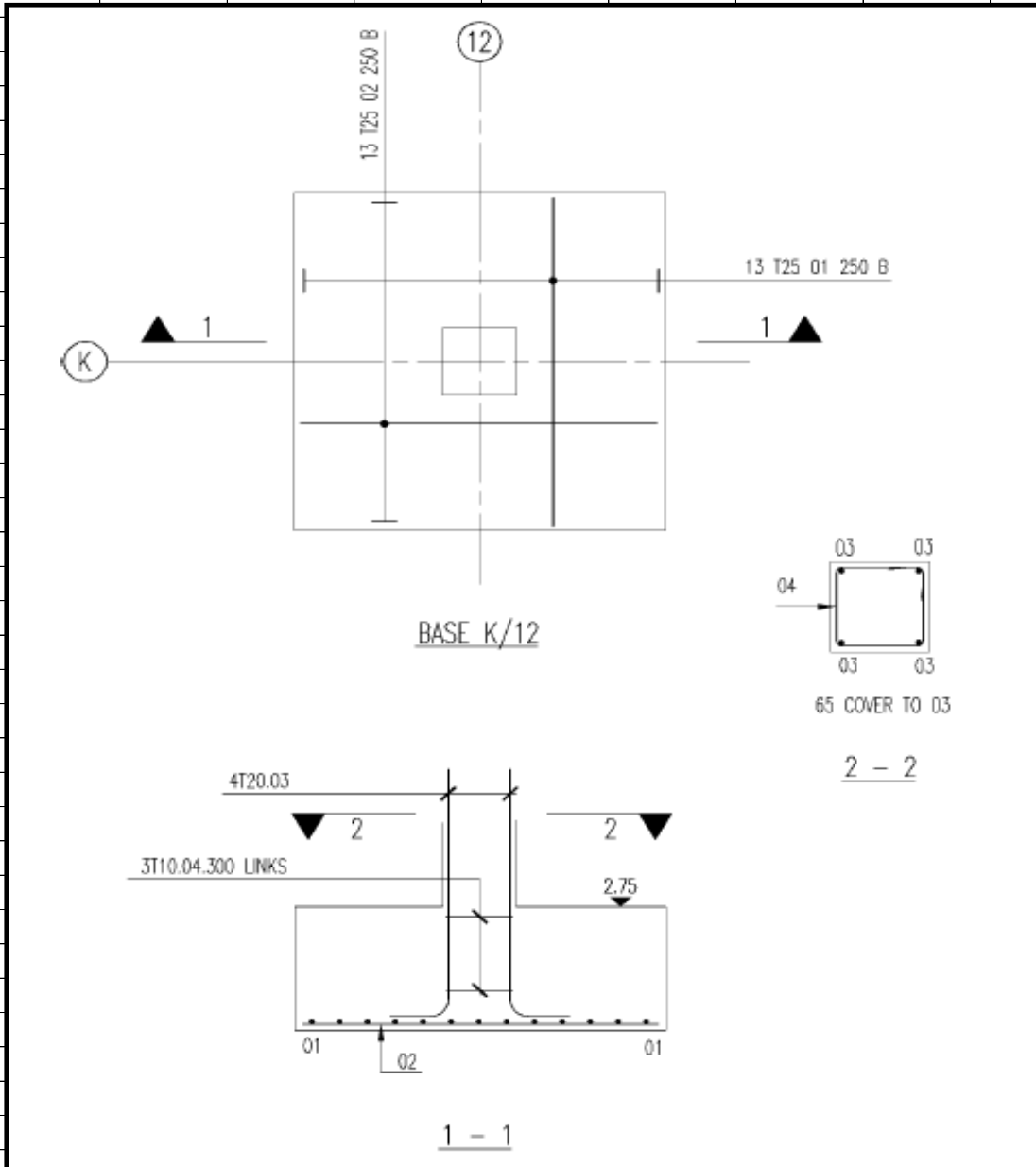


**2.2.5.1 Pad Footings and Column Strips**

Straight bars are normally used without curtailment, and should be detailed if nothing else is specified. However, an anchorage length should be provided from the face of the wall or column to the end of the bars. This may require bobs to be bent at the ends of bars.



Lap lengths provided (for nominal bars, etc.) should not be less than 15 times the bar size or 300mm, whichever is greater.

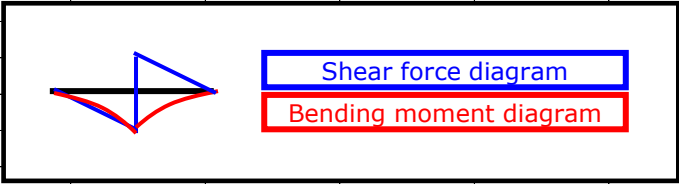






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		jXXX	24	
		Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and	Drg.		
	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Strip Footing Foundation Dimensions</b>				
Width, $B_{strip}$			2.500 m	
Thickness beneath base slab, $t_{1,strip}$			1.000 m	
Thickness of base slab, $t_{2,strip}$ (if no base slab, then enter 0.000m)			0.000 m	
Thickness of foundation, $T_{strip} = t_{1,strip} + t_{2,strip}$			N/A m	
Wall width, $b$			400 mm	
<i>Note where applicable, it is assumed that the wall is always interior and located in the centre of the strip footing <math>B_{strip}</math>;</i>				
<b>Strip Footing Foundation Reinforcement</b>				
Sagging steel reinforcement diameter, $\phi_s$			20 mm	
Sagging steel reinforcement pitch, $p_s$			200 mm	
Sagging steel area provided, $A_{s,prov,s} = (\pi \cdot \phi_s^2 / 4) / p_s$			N/A mm <sup>2</sup> /m	
Shear link diameter, $\phi_{link}$			10 mm	
Number of link legs per metre, $n_{link}$			4 /m	
Area provided by all links per metre, $A_{sv,prov} = n_{link} \cdot \pi \cdot \phi_{link}^2 / 4$			N/A mm <sup>2</sup> /m	
Pitch of links, $S$			150 mm	
Effective depth to sagging steel, $d_s = T_{strip} - cover_1 - \phi_{link} - \phi_s / 2$			N/A mm	
Estimated steel reinforcement quantity			N/A kg/m <sup>3</sup>	
<i>[ 7.850 . ( <math>A_{s,prov,s}</math> ) / <math>T_{strip}</math> ]; No curtailment; No laps; Links ignored; Distribution steel ignored;</i>				
<b>Strip Footing Foundation SLS Loading</b>				
SLS vertical (downward) load from wall and base slab (if suspended), $F_{wall,v}$			1000 kN/m	N/A
Eccentricity of $F_{wall,v}$ from centroid, $e$			0.100 m	
SLS horizontal load from wall, $F_{wall,h}$ (defined to add to $e$ eccentricity)			0 kN/m	
SLS moment from wall, $M_{wall}$ (defined to add to $e$ eccentricity)			0 kNm/m	
<i>Note <math>F_{wall,h}</math> and <math>M_{wall}</math> are defined to add to the corresponding eccentricity, thus enter positive values;</i>				
Strip footing (projection beneath base slab) weight, $F_{under,strip} = B_{strip} \cdot t_{1,strip} \cdot \rho_c$			N/A kN/m	
Additional soil (above footing) weight, $F_{above,soil} = B_{strip} \cdot \text{MAX}(0, D) \cdot \rho_c$		Exclude	N/A kN/m	
<i>Note additional soil above the footing is included for embedded footings whereby the top of the footing is below ground level and backfilled, for conservatism the saturated soil density is adopted, and <math>\rho_c \approx \gamma_{sat}</math>;</i>				
<i>Note that this has a stabilizing effect on footings subject to destabilizing moments, thus both inclusive and exclusive cases should be considered;</i>				
Water pressure at founding level, $u = \gamma_w \cdot \text{MAX}(D - z_{ur}, 0)$			N/A kPa	
Water uplift force at founding level, $F_{water} = u \cdot B_{strip}$			N/A kN/m	
Total foundation SLS vertical (downward) load, $F_{strip,v} = F_{wall,v} + F_{under,strip} + F_{above,soil} - F_{water}$			N/A kN/m	
Total foundation SLS effective vertical (downward) load, $F_{strip,v}' = F_{strip,v} - F_{water}$			N/A kN/m	
Total foundation SLS horizontal load, $F_{strip,h} = F_{wall,h}$			N/A kN/m	



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	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Strip Footing Foundation Reinforcement Design</b>				
<b>Gross ULS Pressure</b>				
Gross ULS pressure, $q_{w,ULS} = F_{wall,v,uls} / B_{strip}$			<b>N/A</b>	kPa
				
<b>Sagging Bending Moment Design</b>				
Moment at wall face per metre, $M = q_{w,ULS} \cdot [(B_{strip}-b)/2]^2 / 2$			<b>N/A</b>	kNm/m
Concrete moment capacity per metre, $M_u = 0.156f_{cu} \cdot 1000 \cdot d_s^2$			<b>N/A</b>	kNm/m
Bending stress, $[M/bd^2] = M / [(1000) \cdot d_s^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K = [M/bd^2] / f_{cu} \leq 0.156$			N/A	<b>N/A</b>
Lever arm, $z = d_s \cdot [0.5 + (0.25-K/0.9)^{0.5}] \leq 0.95d_s$			N/A	mm
Area of tension steel required, $A_s = M / [(0.95f_y) \cdot z]$			<b>N/A</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,s}$			N/A	mm <sup>2</sup> /m
Sagging bending moment utilisation = $A_s / A_{s,prov,s}$			<b>N/A</b>	<b>N/A</b>
% Min sag reinforcement ( $\geq 0.0024 \cdot 1000 \cdot T_{strip}$ G250; $\geq 0.0013 \cdot 1000 \cdot T_{stri}$ )			N/A	%
% Min sag reinforcement utilisation			<b>N/A</b>	<b>N/A</b>

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Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Shear Design</b>				
Shear force at wall face per metre, $V_{ult} = q_{w,ULS} \cdot [(B_{strip}-b)/2]$			<b>N/A</b>	kN/m
Shear force at $1.0d_s$ from wall face per metre, $V = q_{w,ULS} \cdot [(B_{strip}-b)/2-d_s]$			<b>N/A</b>	kN/m
Ultimate shear stress, $v_{ult}=V_{ult}/(1000.d_s)$ ( $< 0.8f_{cu}^{0.5}$ & $5N/mm^2$ )			<b>N/A</b>	$N/mm^2$
Ultimate shear stress utilisation			<b>N/A</b>	<b>N/A</b>
Design shear stress, $v_d=V/(1000.d_s)$			<b>N/A</b>	$N/mm^2$
<i>(Shear capacity enhancement by calculating <math>v_d</math> at <math>d</math> from "support" and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within <math>2d</math> of the "support" as clause 3.4.5.8 BS8110;)</i>				
Area of tensile steel reinforcement provided, $A_{s,prov,s}$			N/A	$mm^2/m$
$\rho_w = 100A_{s,prov,s}/(1000.d_s)$			N/A	%
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d_s)^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_s)^{1/4} > 0.67$			<b>N/A</b>	$N/mm^2$
<b>Check <math>v_d &lt; v_c</math> for no links</b>			<b>N/A</b>	
Concrete shear capacity $v_c.(1000.d_s)$			<b>N/A</b>	kN/m
<b>Check <math>v_c &lt; v_d &lt; 0.4 + v_c</math> for nominal links</b>			<b>N/A</b>	
Provide nominal links such that $A_{sv} / S > 0.4.(1000)/(0.95f_{yv})$ i.e.			<b>N/A</b>	$mm^2/mm/m$
Concrete and nominal links shear capacity $(0.4 + v_c).(1000.d_s)$			<b>N/A</b>	kN/m
<b>Check <math>v_d &gt; 0.4 + v_c</math> for design links</b>			<b>N/A</b>	
Provide shear links $A_{sv} / S > 1000.(v_d-v_c)/(0.95f_{yv})$ i.e. $A_{sv} / S >$			<b>N/A</b>	$mm^2/mm/m$
Concrete and design links shear capacity $(A_{sv,prov}/S).(0.95f_{yv}).d_s +$			<b>N/A</b>	kN/m
Area provided by all links per metre, $A_{sv,prov}$			N/A	$mm^2/m$
Tried $A_{sv,prov} / S$ value			N/A	$mm^2/mm/m$
Design shear resistance utilisation			<b>N/A</b>	<b>N/A</b>













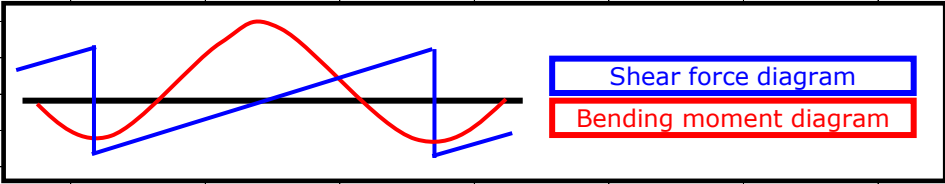






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		jXXX	35	
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Job Title	Structure, Member Design - Geotechnics Pad, Strip and	Drg.		
	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by	XX	Date
				21/11/2021
<b>Multi Column Footing Foundation Dimensions</b>				
<i>Note that the multi column footing is used when a more efficient use of a footing is required than a conventional pad footing. A pad footing is subject to sagging moments akin to a cantilever beam or slab whilst a multi column footing is subject to both sagging and hogging moments akin to a continuous beam or slab;</i>				
Width, $B_{multi}$ ( $\leq L_{multi}$ )			2.200	m
Length (internal span), $L_{multi}$ ( $>= B_{multi}$ )			3.500	m
Thickness beneath base slab, $t_{1,multi}$			0.800	m
Thickness of base slab, $t_{2,multi}$ (if no base slab, then enter 0.000m)			0.000	m
Thickness of foundation, $T_{multi} = t_{1,multi} + t_{2,multi}$			N/A	m
Column base section type (for punching shear only)		Rectangular		
Column base location (for punching shear only)		Interior		
Column base depth, h (rectangular) or diameter, D	Parallel to Edge		400	mm
Column base width, b (rectangular) or N/A (circular)	Perpendicular to Edge		400	mm
<i>Note where applicable, it is assumed that h is in same plane as <math>L_{multi}</math> and that the column base is always interior and located in the centre of the multi column footing <math>B_{multi}</math>;</i>				
<b>Multi Column Footing Foundation Reinforcement</b>				
Sagging steel reinforcement diameter in width, $\phi_{sx}$			20	mm
Sagging steel reinforcement pitch for resistance in width, $p_{sx}$			200	mm
Sagging steel area provided in width, $A_{s,prov,x,s} = (\pi \cdot \phi_{sx}^2 / 4) / p_{sx}$			N/A	mm <sup>2</sup> /m
Sagging steel reinforcement diameter in length, $\phi_{sy}$			20	mm
Sagging steel reinforcement pitch for resistance in length, $p_{sy}$			200	mm
Sagging steel area provided in length, $A_{s,prov,y,s} = (\pi \cdot \phi_{sy}^2 / 4) / p_{sy}$			N/A	mm <sup>2</sup> /m
Hogging steel reinforcement diameter in length, $\phi_{hy}$			16	mm
Hogging steel reinforcement pitch for resistance in length, $p_{hy}$			200	mm
Hogging steel area provided in length, $A_{s,prov,y,h} = (\pi \cdot \phi_{hy}^2 / 4) / p_{hy}$			N/A	mm <sup>2</sup> /m
Shear link diameter for first shear perimeter, $\phi_{link,2}$			None	mm
Number of link legs for first shear perimeter, $n_{l,2}$			30	
Area provided by all links for first shear perimeter, $A_{sv,prov,2} = n_{l,2} \cdot \pi \cdot \phi_{link,2}^2 / 4$			N/A	mm <sup>2</sup>
Shear link diameter for second shear perimeter, $\phi_{link,3}$			None	mm
Number of link legs for second shear perimeter, $n_{l,3}$			30	
Area provided by all links for second shear perimeter, $A_{sv,prov,3} = n_{l,3} \cdot \pi \cdot \phi_{link,3}^2 / 4$			N/A	mm <sup>2</sup>
Shear link diameter for bending in width, $\phi_{link,x} = \phi_{link,2}$			0	mm
Number of link legs per metre for bending in width, $n_{link,x}$			4	/m
Area provided by all links per metre for bending in width, $A_{sv,prov,x} = n_{link,x} \cdot \pi \cdot \phi_{link,x}^2 / 4$			N/A	mm <sup>2</sup> /m
Pitch of links for bending in width, $S_x$			150	mm
Shear link diameter for bending in length, $\phi_{link,y} = \phi_{link,2}$			0	mm
Number of link legs per metre for bending in length, $n_{link,y}$			4	/m
Area provided by all links per metre for bending in length, $A_{sv,prov,y} = n_{link,y} \cdot \pi \cdot \phi_{link,y}^2 / 4$			N/A	mm <sup>2</sup> /m
Pitch of links for bending in length, $S_y$			150	mm
Effective depth to sagging steel in width, $d_{x,s} = T_{multi} - cover_1 - MAX(\phi_{link,2}, \phi_{link,3})$			N/A	mm
Effective depth to sagging steel in length, $d_{y,s} = T_{multi} - cover_1 - MAX(\phi_{link,2}, \phi_{link,3})$			N/A	mm
Effective depth to hogging steel in length, $d_{y,h} = T_{multi} - cover_1 - \phi_{hy} / 2$			N/A	mm
<i>It is assumed that sagging steel in length is exterior to sagging steel in width;</i>				



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	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Multi Column Footing Foundation Reinforcement Design</b>				
<b>Gross ULS Pressure</b>				
Ignored;				
Gross ULS pressure, $q_{w,ULS} = F_{col,v,uls} / (B_{multi} \cdot L_{multi})$			<b>N/A</b>	kPa
				
<b>Sagging Bending Moment Design in Plane of Width</b>				
Moment at column base centreline, $M_x = q_{w,ULS} \cdot L_{multi} \cdot (B_{multi}/2)^2 / 2$			<b>N/A</b>	kNm
Moment at column base centreline per metre, $M_x/L_{multi}$			<b>N/A</b>	kNm/m
Concrete moment capacity per metre, $M_{u,x} = 0.156f_{cu} \cdot 1000 \cdot d_{x,s}^2$			<b>N/A</b>	kNm/m
Bending stress, $[M/bd^2]_x = (M_x/L_{multi}) / [(1000) \cdot d_{x,s}^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K_x = [M/bd^2]_x / f_{cu} \leq 0.156$			N/A	<b>N/A</b>
Lever arm, $z_x = d_{x,s} \cdot [0.5 + (0.25 - K_x/0.9)^{0.5}] \leq 0.95d_{x,s}$			N/A	mm
Area of tension steel required, $A_{s,x} = (M_x/L_{multi}) / [(0.95f_y) \cdot z_x]$			<b>N/A</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			N/A	mm <sup>2</sup> /m
Sagging bending moment in plane of width utilisation = $A_{s,x} / A_{s,prov,x,s}$			<b>N/A</b>	<b>N/A</b>
Requirement to concentrate 2/3 rebar within $1.5d_{x,s}$ from			N/A < N/A	<b>N/A</b>
[Yes if $L_{multi}/2 > 3/4(h \text{ or } D) + 9/4d_{x,s}$ ; No if not;]			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of width ( $\geq 0.0024 \cdot 1000 \cdot T_{multi}$ G250; $\geq$			N/A	%
% Min sag reinforcement in plane of width utilisation			<b>N/A</b>	<b>N/A</b>
<b>Sagging Bending Moment Design in Plane of Length</b>				
Moment at column base centreline, $M_y = 0.08 \cdot q_{w,ULS} \cdot B_{multi} \cdot L_{multi}^2$			<b>N/A</b>	kNm
Note moment coefficient based on internal span 0.08 instead of end span 0.11;				BS8110
Moment at column base centreline per metre, $M_y/B_{multi}$			<b>N/A</b>	kNm/m
Concrete moment capacity per metre, $M_{u,y} = 0.156f_{cu} \cdot 1000 \cdot d_{y,s}^2$			<b>N/A</b>	kNm/m
Bending stress, $[M/bd^2]_y = (M_y/B_{multi}) / [(1000) \cdot d_{y,s}^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K_y = [M/bd^2]_y / f_{cu} \leq 0.156$			N/A	<b>N/A</b>
Lever arm, $z_y = d_{y,s} \cdot [0.5 + (0.25 - K_y/0.9)^{0.5}] \leq 0.95d_{y,s}$			N/A	mm
Area of tension steel required, $A_{s,y} = (M_y/B_{multi}) / [(0.95f_y) \cdot z_y]$			<b>N/A</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$			N/A	mm <sup>2</sup> /m
Sagging bending moment in plane of length utilisation = $A_{s,y} / A_{s,prov,y,s}$			<b>N/A</b>	<b>N/A</b>
Requirement to concentrate 2/3 rebar within $1.5d_{y,s}$ from			N/A < N/A	<b>N/A</b>
[Yes if $B_{multi}/2 > 3/4(b \text{ or } D) + 9/4d_{y,s}$ ; No if not;]			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of length ( $\geq 0.0024 \cdot 1000 \cdot T_{multi}$ G250; $\geq$			N/A	%
% Min sag reinforcement in plane of length utilisation			<b>N/A</b>	<b>N/A</b>





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Structure, Member Design - Geotechnics Pad, Strip and Raft					Made by	XX	Date <b>21/11/2021</b> Chd.
<b>Punching Shear Design</b>							
ULS vertical (downward) load from column and base slab (if suspended), $F_{col}$					N/A	kN	
Area of column base section, $A_{c1} = b.h$ (rectangular) or $\pi D^2/4$ (circular)					N/A	mm <sup>2</sup>	
Average effective depth of both rebar layers, $d = (d_{x,s} + d_{y,s})/2$					N/A	mm	
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$					N/A	mm <sup>2</sup> /m	
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$					N/A	mm <sup>2</sup> /m	
Average area of tensile steel reinforcement provided, $A_{s,prov,s}$					N/A	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,s}/(1000.d)$					N/A	%	
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d)^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d)^{1/4} > 0.67$					N/A	N/mm <sup>2</sup>	
<b>Column Base Face Perimeter</b>							
Shear force at column base face, $V_1 = F_{col,v,uls} - q_{w,uls} \cdot A_{c1}$					N/A	kN	
Effective shear force, $V_{eff,1} = 1.00 \cdot V_1$					N/A	kN	
Note $V_{eff,1} = 1.00 \cdot V_1$ because no moment effects assumed;							
Column base face perimeter, $u_1$					N/A	mm	
				<i>Rectangular</i>	<i>Circular</i>		
Internal column:		$2.(b+h)$	N/A	$\pi.D$	N/A	mm	
Edge column:		$2b+h$ or $2h+b$	N/A	$3/4(\pi.D)$	N/A	mm	
Corner column:		$(b+h)$	N/A	$\pi.D/2$	N/A	mm	
Shear stress at column base face perimeter, $v_1 = V_{eff,1} / u_1 d$ ( $< 0.8f_{cu}^{0.5}$ & $5N/mm^2$ )					N/A	N/mm <sup>2</sup>	
Ultimate shear stress utilisation					N/A		N/A
<b>First Shear Perimeter</b>							
Shear force 1.5d from column base face, $V_2 = F_{col,v,uls} - q_{w,uls} \cdot A_{c2}$					N/A	kN	
				<i>Rectangular</i>	<i>Circular</i>		
Internal column:		$(b+3d).(h+3d)$	N/A	$(D+3d)^2$	N/A	m <sup>2</sup>	
Edge column:		$(b+1.5d).(h+3d)$ or $(h+1.5d).(b+3d)$	N/A	$d.(D+3d)$	N/A	m <sup>2</sup>	
Corner column:		$(b+1.5d).(h+1.5d)$	N/A	$(D+1.5d)^2$	N/A	m <sup>2</sup>	
Effective shear force, $V_{eff,2} = 1.00 \cdot V_2$					N/A	kN	
Note $V_{eff,2} = 1.00 \cdot V_2$ because no moment effects assumed;							
Column base first perimeter, $u_2$					N/A	mm	
				<i>Rectangular</i>	<i>Circular</i>		
Internal column:		$2.(b+h)+12d$	N/A	$4D+12d$	N/A	mm	
Edge column:		$2b+h+6d$ or $2h+b+6d$	N/A	$3D+6d$	N/A	mm	
Corner column:		$(b+h)+3d$	N/A	$2D+3d$	N/A	mm	
Shear stress at column base first perimeter, $v_2 = V_{eff,2} / u_2 d$					N/A	N/mm <sup>2</sup>	
<i>(Shear capacity enhancement by calculating <math>v_d</math> at 1.5d from "support" and comparing against unenhanced <math>v_c</math> as clause 3.7.7.6 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within 1.5d of the "support" as clause 3.7.7.4 BS8110;)</i>							
<b>Case <math>v_2 &lt; v_c</math></b>					N/A		
No links required.							
<b>Case <math>v_c &lt; v_2 &lt; 1.6v_c</math></b>					N/A		
$\Sigma A_{sv} \sin \alpha \geq \frac{(v - v_c)ud}{0.95f_{yv}}$					N/A	$\geq$	N/A mm <sup>2</sup>
Note $\Sigma A_{sv} \sin \alpha > 0.4ud/0.95f_{yv}$							



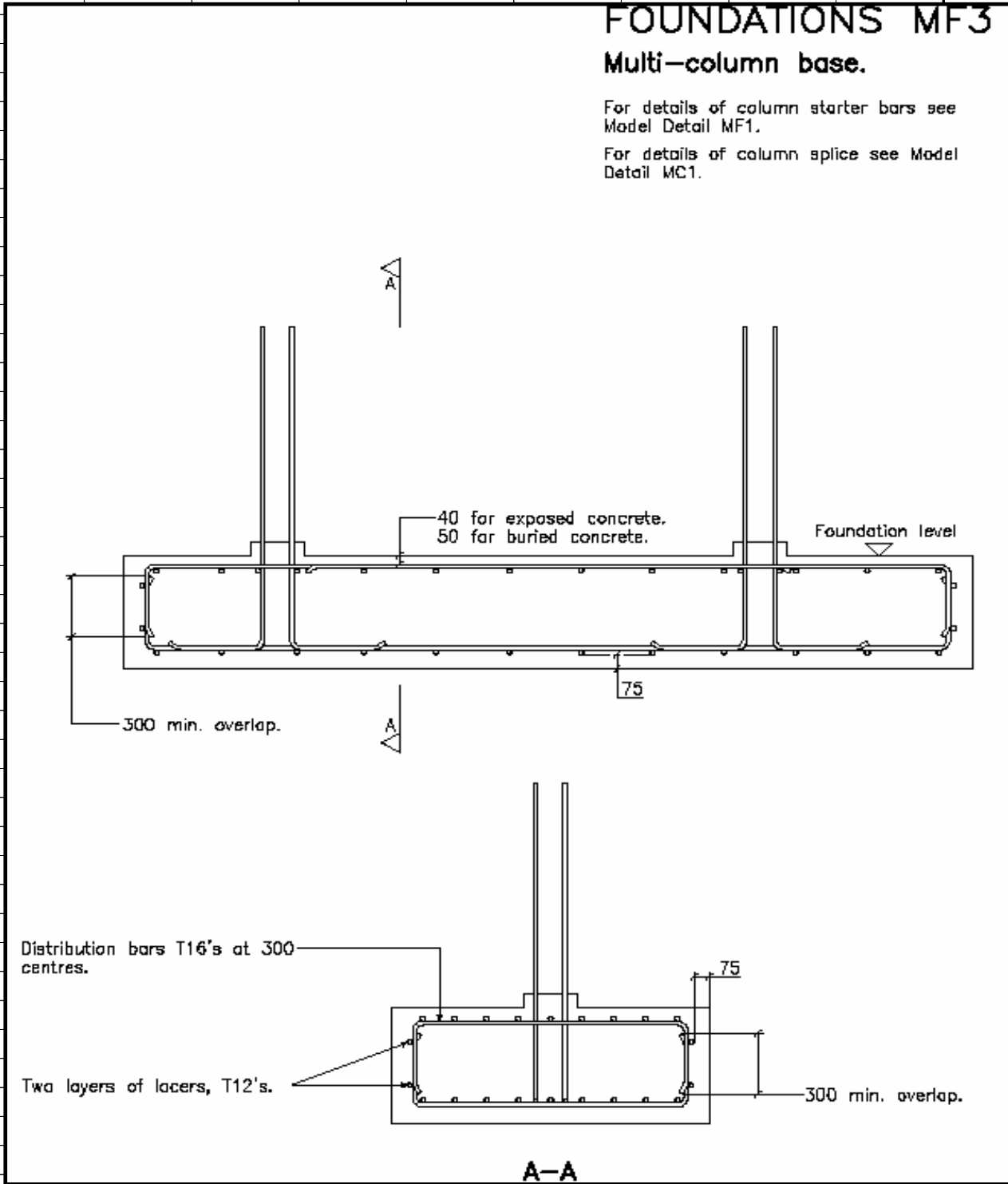


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					jXXX	42	
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Job Title					Drg.		
Structure, Member Design - Geotechnics Pad, Strip and Raft					Made by	XX	Date
						21/11/2021	Chd.
<b>Shear Design for Bending in Plane of Length</b>							
Shear force at column base centreline, $V_{y,ult} = q_{w,ULS} \cdot B_{multi} \cdot (0.55 \cdot L_{multi})$					N/A	kN	T.3.5
<i>Note shear coefficient based on internal span 0.55 instead of end span 0.6;</i>							BS8110
Shear force at column base centreline per metre, $V_{y,ult}/B_{multi}$					N/A	kN/m	
Shear force at $1.0d_{y,s}$ from column base centreline, $V_y = V_{y,ult} - q_{w,ULS} \cdot B_{multi}$					N/A	kN	
Shear force at $1.0d_{y,s}$ from column base centreline per metre, $V_y/B_{multi}$					N/A	kN/m	
<i>Note the above shear forces are for bending in plane of length;</i>							
Ultimate shear stress for bending in plane of length, $v_{ult,y} = (V_{y,ult}/B_{multi})/(1000 \cdot d_{y,s})$					N/A	N/mm <sup>2</sup>	
Ultimate shear stress for bending in plane of length utilisation					N/A		N/A
Design shear stress for bending in plane of length, $v_{d,y} = (V_y/B_{multi})/(1000 \cdot d_{y,s})$					N/A	N/mm <sup>2</sup>	
<i>(Shear capacity enhancement by calculating <math>v_d</math> at <math>d</math> from "support" and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within <math>2d</math> of the "support" as clause 3.4.5.8 BS8110;)</i>							
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$					N/A	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,y,s}/(1000 \cdot d_{y,s})$					N/A	%	
$v_{c,y} = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{y,s})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{y,s})^{1/4} > 0.67$					N/A	N/mm <sup>2</sup>	
<b>Check <math>v_{d,y} &lt; v_{c,y}</math> for no links</b>					N/A		
Concrete shear capacity $v_{c,y} \cdot (1000 \cdot d_{y,s})$					N/A	kN/m	
<b>Check <math>v_{c,y} &lt; v_{d,y} &lt; 0.4 + v_{c,y}</math> for nominal links</b>					N/A		
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000)/(0.95f_{yv})$ i.e.					N/A	mm <sup>2</sup> /mm/m	
Concrete and nominal links shear capacity $(0.4 + v_{c,y}) \cdot (1000 \cdot d_{y,s})$					N/A	kN/m	
<b>Check <math>v_{d,y} &gt; 0.4 + v_{c,y}</math> for design links</b>					N/A		
Provide shear links $A_{sv} / S > 1000 \cdot (v_{d,y} - v_{c,y}) / (0.95f_{yv})$ i.e. $A_{sv} / S >$					N/A	mm <sup>2</sup> /mm/m	
Concrete and design links shear capacity $(A_{sv,prov,y}/S_y) \cdot (0.95f_{yv}) \cdot d_{y,s}$					N/A	kN/m	
Area provided by all links per metre, $A_{sv,prov,y}$					N/A	mm <sup>2</sup> /m	
Tried $A_{sv,prov,y} / S_y$ value					N/A	mm <sup>2</sup> /mm/m	
Design shear resistance for bending in plane of length utilisation					N/A		N/A



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Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by	Date	Chd.
		XX	21/11/2021	

**Standard Multi Column Footing Foundation Reinforcement Details**



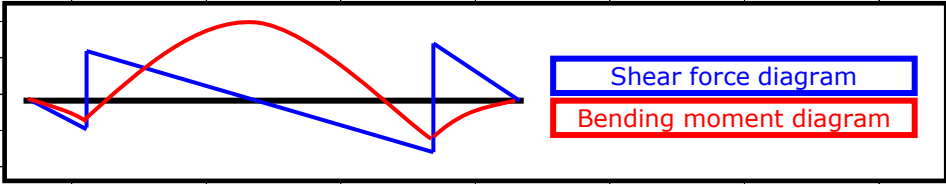






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		jXXX	46	
		Member/Location		
Job Title	Structure, Member Design - Geotechnics Pad, Strip and	Drg.		
	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by	XX	Date
				21/11/2021
<b>Combined Footing Foundation Dimensions</b>				
<p>Note that the combined footing is used when a more efficient use of a footing is required than a conventional pad footing. It is also used when a column is too close to the site boundary to allow the employment of a conventional pad footing with no eccentricity. A pad footing is subject to sagging moments akin to a cantilever beam or slab whilst a combined footing is subject to both sagging and hogging moments akin to a continuous beam or slab. A combined footing differs from a multi column footing in the fact that the column loads are not uniform, and thus require that the dimensions of the combined footing be such that the resultant load passes through the centroid of the base area;</p>				
Width, $B_{com}$ ( $\leq L_{com}$ )			2.300	m
Length, $L_{com}$ ( $> B_{com}$ )			4.600	m
Length internal span, $L_{com,3}$ ( $< L_{com}$ )			3.000	m
Centroid, $y_c = (F_{col,v,2} \cdot L_{com,3}) / (F_{col,v,1} + F_{col,v,2})$			N/A	m
Length external span, $L_{com,1} = L_{com} / 2 - y_c$ ( $> 0.000$ )			N/A	m
Length external span, $L_{com,2} = L_{com} / 2 - (L_{com,3} - y_c)$ ( $> 0.000$ )			N/A	m
<p>Note the combined footing is centred on the centroid, which is a function of the loads; Should the relative loads vary greatly, the effectiveness of the combined footing reduces;</p>				
Thickness beneath base slab, $t_{1,com}$			0.800	m
Thickness of base slab, $t_{2,com}$ (if no base slab, then enter 0.000m)			0.000	m
Thickness of foundation, $T_{com} = t_{1,com} + t_{2,com}$			N/A	m
Column base section type (for punching shear only)		Rectangular		
Column base location (for punching shear only)		Interior		
Column 1 base depth, $h_1$ (rectangular) or diameter, Parallel to Edge			300	mm
Column 1 base width, $b_1$ (rectangular) or N/A (circular), Perpendicular to Edge			300	mm
Column 2 base depth, $h_2$ (rectangular) or diameter, Parallel to Edge			400	mm
Column 2 base width, $b_2$ (rectangular) or N/A (circular), Perpendicular to Edge			400	mm
<p>Note where applicable, it is assumed that <math>h_1</math> and <math>h_2</math> are in same plane as <math>L_{com}</math> and that the column base is always interior and located in the centre of the combined footing <math>B_{com}</math>, although not <math>L_{com}</math>;</p>				
<b>Combined Footing Foundation Reinforcement</b>				
Sagging steel reinforcement diameter in width, $\phi_{sx}$			20	mm
Sagging steel reinforcement pitch for resistance in width, $p_{sx}$			200	mm
Sagging steel area provided in width, $A_{s,prov,x,s} = (\pi \cdot \phi_{sx}^2 / 4) / p_{sx}$			N/A	mm <sup>2</sup> /m
Sagging steel reinforcement diameter in length, $\phi_{sy}$			20	mm
Sagging steel reinforcement pitch for resistance in length, $p_{sy}$			200	mm
Sagging steel area provided in length, $A_{s,prov,y,s} = (\pi \cdot \phi_{sy}^2 / 4) / p_{sy}$			N/A	mm <sup>2</sup> /m
Hogging steel reinforcement diameter in length, $\phi_{hy}$			16	mm
Hogging steel reinforcement pitch for resistance in length, $p_{hy}$			200	mm
Hogging steel area provided in length, $A_{s,prov,y,h} = (\pi \cdot \phi_{hy}^2 / 4) / p_{hy}$			N/A	mm <sup>2</sup> /m



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	Structure, Member Design - Geotechnics Pad, Strip and Raft	Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Combined Footing Foundation Reinforcement Design</b>				
<b>Gross ULS Pressure</b>				
Gross ULS pressure, $q_{w,ULS} = (F_{col,v,1,uls} + F_{col,v,2,uls}) / (B_{com} \cdot L_{com})$			<b>N/A</b>	kPa
				
<b>Sagging Bending Moment Design in Plane of Width</b>				
Moment at column base centreline, $M_x = q_{w,ULS} \cdot L_{com} \cdot (B_{com}/2)^2 / 2$			<b>N/A</b>	kNm
Moment at column base centreline per metre, $M_x/L_{com}$			<b>N/A</b>	kNm/m
Concrete moment capacity per metre, $M_{u,x} = 0.156f_{cu} \cdot 1000 \cdot d_{x,s}^2$			<b>N/A</b>	kNm/m
Bending stress, $[M/bd^2]_x = (M_x/L_{com}) / [(1000) \cdot d_{x,s}^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K_x = [M/bd^2]_x / f_{cu} \leq 0.156$			N/A	<b>N/A</b>
Lever arm, $z_x = d_{x,s} \cdot [0.5 + (0.25 - K_x/0.9)^{0.5}] \leq 0.95d_{x,s}$			N/A	mm
Area of tension steel required, $A_{s,x} = (M_x/L_{com}) / [(0.95f_y) \cdot z_x]$			<b>N/A</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			N/A	mm <sup>2</sup> /m
Sagging bending moment in plane of width utilisation = $A_{s,x} / A_{s,prov,x,s}$			<b>N/A</b>	<b>N/A</b>
Requirement to concentrate 2/3 rebar within $1.5d_{x,s}$ from			N/A < N/A	<b>N/A</b>
[Yes if $\max(L_{com,1}, L_{com,2}, L_{com,3}/2) > 3/4 \min(h_1 \text{ or } D_1)$			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of width ( $\geq 0.0024 \cdot 1000 \cdot T_{com}$ G250; $\geq$			N/A	%
% Min sag reinforcement in plane of width utilisation			<b>N/A</b>	<b>N/A</b>
<b>Sagging Bending Moment Design in Plane of Length</b>				
Moment at column base face, $M_y = q_{w,ULS} \cdot B_{com} \cdot [\max(L_{com,1} - h_1/2, L_{com,2} - h_2/2, L_{com,3} - h_3/2)]$			<b>N/A</b>	kNm
Moment at column base face per metre, $M_y/B_{com}$			<b>N/A</b>	kNm/m
Concrete moment capacity per metre, $M_{u,y} = 0.156f_{cu} \cdot 1000 \cdot d_{y,s}^2$			<b>N/A</b>	kNm/m
Bending stress, $[M/bd^2]_y = (M_y/B_{com}) / [(1000) \cdot d_{y,s}^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K_y = [M/bd^2]_y / f_{cu} \leq 0.156$			N/A	<b>N/A</b>
Lever arm, $z_y = d_{y,s} \cdot [0.5 + (0.25 - K_y/0.9)^{0.5}] \leq 0.95d_{y,s}$			N/A	mm
Area of tension steel required, $A_{s,y} = (M_y/B_{com}) / [(0.95f_y) \cdot z_y]$			<b>N/A</b>	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$			N/A	mm <sup>2</sup> /m
Sagging bending moment in plane of length utilisation = $A_{s,y} / A_{s,prov,y,s}$			<b>N/A</b>	<b>N/A</b>
Requirement to concentrate 2/3 rebar within $1.5d_{y,s}$ from			N/A < N/A	<b>N/A</b>
[Yes if $B_{com}/2 > 3/4 \min(b_1 \text{ or } D_1, b_2 \text{ or } D_2) + 9/4 d_{y,s}$ ;			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of length ( $\geq 0.0024 \cdot 1000 \cdot T_{com}$ G250; $\geq$			N/A	%
% Min sag reinforcement in plane of length utilisation			<b>N/A</b>	<b>N/A</b>



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				Member/Location				
Job Title	Structure, Member Design - Geotechnics Pad, Strip and				Drg.			
Structure, Member Design - Geotechnics Pad, Strip and Raft				Made by	XX	Date	21/11/2021	Chd.
<b>Punching Shear Design</b>								
Critical column 1 or 2 i.e. $\text{MAX}(F_{\text{col},v,1,\text{uls}}/(b_1 \cdot h_1), F_{\text{col},v,2,\text{uls}}/(b_2 \cdot h_2))$ or $\text{MAX}(F_{\text{col}}$					N/A			
ULS vertical (downward) load from relevant column and base slab (if suspended)					N/A	kN		
Relevant column base depth, h (rectangular) or diameter, D (circular)					N/A	mm		
Relevant column base width, b (rectangular) or N/A (circular)					N/A	mm		
Area of column base section, $A_{c1} = b \cdot h$ (rectangular) or $\pi D^2/4$ (circular)					N/A	mm <sup>2</sup>		
Average effective depth of both rebar layers, $d = (d_{x,s} + d_{y,s})/2$					N/A	mm		
Area of tensile steel reinforcement provided, $A_{s,\text{prov},x,s}$					N/A	mm <sup>2</sup> /m		
Area of tensile steel reinforcement provided, $A_{s,\text{prov},y,s}$					N/A	mm <sup>2</sup> /m		
Average area of tensile steel reinforcement provided, $A_{s,\text{prov},s}$					N/A	mm <sup>2</sup> /m		
$\rho_w = 100A_{s,\text{prov},s}/(1000 \cdot d)$					N/A	%		
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d)^{1/4}; \rho_w < 3; f_{cu} < 40; (400/d)^{1/4} > 0.67$					N/A	N/mm <sup>2</sup>		
<b>Column Base Face Perimeter</b>								
Shear force at column base face, $V_1 = F_{\text{col},v,\text{uls}} - q_{w,\text{ULS}} \cdot A_{c1}$					N/A	kN		
Effective shear force, $V_{\text{eff},1} = 1.00 \cdot V_1$					N/A	kN		
<i>Note <math>V_{\text{eff},1} = 1.00 \cdot V_1</math> because no moment effects assumed;</i>								
Column base face perimeter, $u_1$					N/A	mm		
				<i>Rectangular</i>	<i>Circular</i>			
<i>Internal column:</i>				$2 \cdot (b+h)$	N/A	$\pi \cdot D$	N/A	mm
<i>Edge column:</i>				$2b+h$ or $2h+b$	N/A	$3/4(\pi \cdot D)$	N/A	mm
<i>Corner column:</i>				$(b+h)$	N/A	$\pi \cdot D/2$	N/A	mm
Shear stress at column base face perimeter, $v_1 = V_{\text{eff},1} / u_1 d$ ( $< 0.8f_{cu}^{0.5}$ & $5\text{N/mm}^2$ )					N/A	N/mm <sup>2</sup>		
Ultimate shear stress utilisation					N/A		N/A	
<b>First Shear Perimeter</b>								
Shear force 1.5d from column base face, $V_2 = F_{\text{col},v,\text{uls}} - q_{w,\text{ULS}} \cdot A_{c2}$					N/A	kN		
				<i>Rectangular</i>	<i>Circular</i>			
<i>Internal column:</i>				$(b+3d) \cdot (h+3d)$	N/A	$(D+3d)^2$	N/A	m <sup>2</sup>
<i>Edge column:</i>				$(b+1.5d) \cdot (h+3d)$ or $(h+1.5d) \cdot (b+3d)$	N/A	$d \cdot (D+3d)$	N/A	m <sup>2</sup>
<i>Corner column:</i>				$(b+1.5d) \cdot (h+1.5d)$	N/A	$(D+1.5d)^2$	N/A	m <sup>2</sup>
Effective shear force, $V_{\text{eff},2} = 1.00 \cdot V_2$					N/A	kN		
<i>Note <math>V_{\text{eff},2} = 1.00 \cdot V_2</math> because no moment effects assumed;</i>								
Column base first perimeter, $u_2$					N/A	mm		
				<i>Rectangular</i>	<i>Circular</i>			
<i>Internal column:</i>				$2 \cdot (b+h) + 12d$	N/A	$4D + 12d$	N/A	mm
<i>Edge column:</i>				$2b+h+6d$ or $2h+b+6d$	N/A	$3D+6d$	N/A	mm
<i>Corner column:</i>				$(b+h)+3d$	N/A	$2D+3d$	N/A	mm
Shear stress at column base first perimeter, $v_2 = V_{\text{eff},2} / u_2 d$					N/A	N/mm <sup>2</sup>		
<i>(Shear capacity enhancement by calculating <math>v_d</math> at 1.5d from "support" and comparing against unenhanced <math>v_c</math> as clause 3.7.7.6 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within 1.5d of the "support" as clause 3.7.7.4 BS8110;)</i>								
<b>Case <math>v_2 &lt; v_c</math></b>					N/A			
No links required.								
<b>Case <math>v_c &lt; v_2 &lt; 1.6v_c</math></b>					N/A			
$\Sigma A_{sv} \sin \alpha \geq \frac{(v - v_c) u d}{0.95 f_{yv}}$					N/A	$\geq$	N/A	mm <sup>2</sup>
Note $\Sigma A_{sv} \sin \alpha > 0.4 u d / 0.95 f_{yv}$								



<b>CONSULTING ENGINEERS</b>	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
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Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Shear Design for Bending in Plane of Width</b>				
Shear force at column base centreline, $V_{x,ult} = q_{w,ULS} \cdot L_{com} \cdot B_{com}/2$			<b>N/A</b>	kN
Shear force at column base centreline per metre, $V_{x,ult}/L_{com}$			<b>N/A</b>	kN/m
Shear force at $1.0d_{x,s}$ from column base centreline, $V_x = q_{w,ULS} \cdot L_{com} \cdot (B_{com}/2 - 1.0d_{x,s})$			<b>N/A</b>	kN
Shear force at $1.0d_{x,s}$ from column base centreline per metre, $V_x/L_{com}$			<b>N/A</b>	kN/m
<i>Note the above shear forces are for bending in plane of width;</i>				
Ultimate shear stress for bending in plane of width, $v_{ult,x} = (V_{x,ult}/L_{com})/(1000 \cdot d_{x,s})$			<b>N/A</b>	N/mm <sup>2</sup>
Ultimate shear stress for bending in plane of width utilisation			<b>N/A</b>	<b>N/A</b>
Design shear stress for bending in plane of width, $v_{d,x} = (V_x/L_{com})/(1000 \cdot d_{x,s})$			<b>N/A</b>	N/mm <sup>2</sup>
<i>(Shear capacity enhancement by calculating <math>v_d</math> at <math>d</math> from "support" and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within <math>2d</math> of the "support" as clause 3.4.5.8 BS8110;)</i>				
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			N/A	mm <sup>2</sup> /m
$\rho_w = 100A_{s,prov,x,s}/(1000 \cdot d_{x,s})$			N/A	%
$v_{c,x} = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d_{x,s})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{x,s})^{1/4} > 0.67$			<b>N/A</b>	N/mm <sup>2</sup>
<b>Check <math>v_{d,x} &lt; v_{c,x}</math> for no links</b>			<b>N/A</b>	
Concrete shear capacity $v_{c,x} \cdot (1000 \cdot d_{x,s})$			<b>N/A</b>	kN/m
<b>Check <math>v_{c,x} &lt; v_{d,x} &lt; 0.4 + v_{c,x}</math> for nominal links</b>			<b>N/A</b>	
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000)/(0.95f_{yv})$ i.e.			<b>N/A</b>	mm <sup>2</sup> /mm/m
Concrete and nominal links shear capacity $(0.4 + v_{c,x}) \cdot (1000 \cdot d_{x,s})$			<b>N/A</b>	kN/m
<b>Check <math>v_{d,x} &gt; 0.4 + v_{c,x}</math> for design links</b>			<b>N/A</b>	
Provide shear links $A_{sv} / S > 1000 \cdot (v_{d,x} - v_{c,x})/(0.95f_{yv})$ i.e. $A_{sv} / S >$			<b>N/A</b>	mm <sup>2</sup> /mm/m
Concrete and design links shear capacity $(A_{sv,prov,x}/S_x) \cdot (0.95f_{yv}) \cdot d_{x,s}$			<b>N/A</b>	kN/m
Area provided by all links per metre, $A_{sv,prov,x}$			N/A	mm <sup>2</sup> /m
Tried $A_{sv,prov,x} / S_x$ value			N/A	mm <sup>2</sup> /mm/m
Design shear resistance for bending in plane of width utilisation			<b>N/A</b>	<b>N/A</b>



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		jXXX	53	
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Structure, Member Design - Geotechnics Pad, Strip and Raft		Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Shear Design for Bending in Plane of Length</b>				
Shear force at column 1 base left face, $V_{y,1} = q_{w,ULS} \cdot B_{com} \cdot (L_{com,1} - h_1/2)$			N/A	kN
Shear force at column 1 base right face, $V_{y,2} = F_{col,v,1,uls} - q_{w,ULS} \cdot B_{com} \cdot (L_{com,1} - h_1/2)$			N/A	kN
Shear force at column 2 base left face, $V_{y,3} = F_{col,v,2,uls} - q_{w,ULS} \cdot B_{com} \cdot (L_{com,2} - h_2/2)$			N/A	kN
Shear force at column 2 base right face, $V_{y,4} = q_{w,ULS} \cdot B_{com} \cdot (L_{com,2} - h_2/2)$			N/A	kN
Shear force at critical column base face, $V_{y,ult} = \text{MAX}(V_{y,1}, V_{y,2}, V_{y,3}, V_{y,4})$			N/A	kN
Shear force at critical column base face per metre, $V_{y,ult}/B_{com}$			N/A	kN/m
Shear force at $1.0d_{y,s}$ from critical column base face, $V_y = V_{y,ult} - q_{w,ULS} \cdot B_{com}$			N/A	kN
Shear force at $1.0d_{y,s}$ from critical column base face per metre, $V_y/B_{com}$			N/A	kN/m
<i>Note the above shear forces are for bending in plane of length;</i>				
Ultimate shear stress for bending in plane of length, $v_{ult,y} = (V_{y,ult}/B_{com})/(1000 \cdot d_{y,s})$			N/A	N/mm <sup>2</sup>
Ultimate shear stress for bending in plane of length utilisation			N/A	N/A
Design shear stress in plane of length, $v_{d,y} = (V_y/B_{com})/(1000 \cdot d_{y,s})$			N/A	N/mm <sup>2</sup>
<i>(Shear capacity enhancement by calculating <math>v_d</math> at <math>d</math> from "support" and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within <math>2d</math> of the "support" as clause 3.4.5.8 BS8110;)</i>				
Area of tensile steel reinforcement provided, $A_{s,prov,y,s}$			N/A	mm <sup>2</sup> /m
$\rho_w = 100A_{s,prov,y,s}/(1000 \cdot d_{y,s})$			N/A	%
$v_{c,y} = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{y,s})^{1/4}; \rho_w < 3; f_{cu} < 40; (400/d_{y,s})^{1/4} > 0.67$			N/A	N/mm <sup>2</sup>
<b>Check <math>v_{d,y} &lt; v_{c,y}</math> for no links</b>			N/A	
Concrete shear capacity $v_{c,y} \cdot (1000 \cdot d_{y,s})$			N/A	kN/m
<b>Check <math>v_{c,y} &lt; v_{d,y} &lt; 0.4 + v_{c,y}</math> for nominal links</b>			N/A	
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000)/(0.95f_{yv})$ i.e.			N/A	mm <sup>2</sup> /mm/m
Concrete and nominal links shear capacity $(0.4 + v_{c,y}) \cdot (1000 \cdot d_{y,s})$			N/A	kN/m
<b>Check <math>v_{d,y} &gt; 0.4 + v_{c,y}</math> for design links</b>			N/A	
Provide shear links $A_{sv} / S > 1000 \cdot (v_{d,y} - v_{c,y})/(0.95f_{yv})$ i.e. $A_{sv} / S >$			N/A	mm <sup>2</sup> /mm/m
Concrete and design links shear capacity $(A_{sv,prov,y}/S_y) \cdot (0.95f_{yv}) \cdot d_{y,s}$			N/A	kN/m
Area provided by all links per metre, $A_{sv,prov,y}$			N/A	mm <sup>2</sup> /m
Tried $A_{sv,prov,y} / S_y$ value			N/A	mm <sup>2</sup> /mm/m
Design shear resistance for bending in plane of length utilisation			N/A	N/A









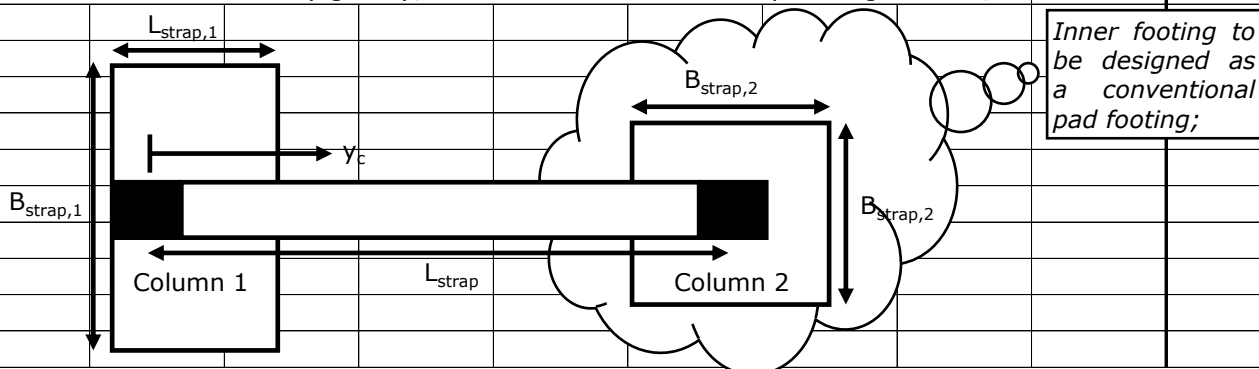
<b>CONSULTING ENGINEERS</b>	Engineering Calculation Sheet Consulting Engineers	Job No.	Sheet No.	Rev.
		jXXX	57	
		Member/Location		
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**Strap Footing Foundation Dimensions**

Note that the strap footing is used when a column is too close to the site boundary to allow the employment of a conventional pad footing with no eccentricity. The strap beam effectively restrains the overturning force due to the eccentric load on the outer footing. A strap footing differs from a combined footing in the fact that the proximity of the outer footing to the boundary is even more dramatic;

Width and length of inner footing, $B_{strap,2}$	2.000	m
Length of outer footing, $L_{strap,1}$	1.700	m
Length internal span, $L_{strap}$	3.000	m
Centroid, $y_c = (F_{col,v,2} \cdot L_{strap}) / (F_{col,v,1} + F_{col,v,2})$	N/A	m
Width of outer footing, $B_{strap,1} = (B_{strap,2}^2 \cdot L_{strap} - y_c \cdot B_{strap,2}^2) / (y_c \cdot L_{strap,1} - L_{strap,1} \cdot (L_{strap} - y_c))$	N/A	m

Note the strap footing is centred on the centroid, which is a function of the loads; Should the relative loads vary greatly, the effectiveness of the strap footing reduces;



Note the subsequent design concerns the design of the outer footing since the inner footing can be designed conventionally as a pad footing with the loads  $F_{col,v,2}$  and dimensions  $B_{strap,2}$ ,  $t_{1,strap}$  and  $t_{2,strap}$  defined herein;

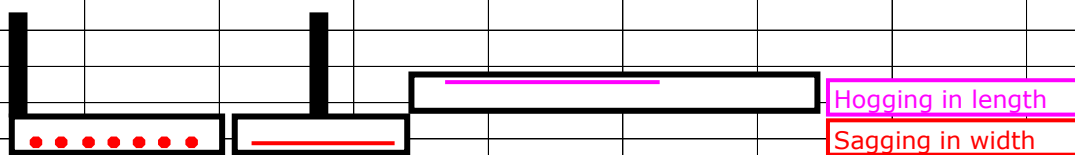
Thickness beneath base slab, $t_{1,strap}$	0.800	m
Thickness of base slab, $t_{2,strap}$ (if no base slab, then enter 0.000m)	0.000	m
Thickness of foundation, $T_{strap} = t_{1,strap} + t_{2,strap}$	N/A	m
Column base section type (for punching shear only)	Rectangular	
Column base location (for punching shear only)	Edge for Span in Width Direction	
Column 1 base depth, h (rectangular) or diameter, $D$	Perpendicular to Edge	300 mm
Column 1 base width, b (rectangular) or N/A (circular)	Parallel to Edge	300 mm

Note where applicable, it is assumed that h is in same plane as  $L_{strap,1}$  and that the column base is always interior and located in the centre of the strap footing  $B_{strap,1}$ , although not  $L_{strap,1}$ ;

Depth of beam, $h_{beam}$	0.800	m
Width of beam, $b_{beam}$	0.300	m

Note that the strap beam must not bear on the soil, compressible void former to be specified;

**Strap Footing Foundation Reinforcement**



Sagging steel reinforcement diameter in width of outer footing, $\phi_{sx}$	20	mm
Sagging steel reinforcement pitch for resistance in width of outer footing, $p_{sx}$	200	mm
Sagging steel area provided in width of outer footing, $A_{s,prov,x,s} = (\pi \cdot \phi_{sx}^2 / 4) / p_{sx}$	N/A	mm <sup>2</sup> /m
Hogging steel reinforcement diameter in beam, $\phi_{hy}$	16	mm
Hogging steel reinforcement number in beam, $n_{hy}$	5	
Hogging steel area provided in beam, $A_{s,prov,y,h} = n_{hy} \cdot \pi \cdot \phi_{hy}^2 / 4$	N/A	mm <sup>2</sup>

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Shear link diameter for first shear perimeter of outer footing, $\phi_{link,2}$					None	▼	mm
Number of link legs for first shear perimeter of outer footing, $n_{l,2}$							30
Area provided by all links for first shear perimeter of outer footing, $A_{sv,prov,2}$							N/A mm <sup>2</sup>
Shear link diameter for second shear perimeter of outer footing, $\phi_{link,3}$					None	▼	mm
Number of link legs for second shear perimeter of outer footing, $n_{l,3}$							30
Area provided by all links for second shear perimeter of outer footing, $A_{sv,prov,3}$							N/A mm <sup>2</sup>
Shear link diameter for bending in width of outer footing, $\phi_{link,x} = \phi_{link,2}$							0 mm
Number of link legs per metre for bending in width of outer footing, $n_{link,x}$							4 /m
Area provided by all links per metre for bending in width of outer footing, $A_{sv}$							N/A mm <sup>2</sup> /m
Pitch of links for bending in width of outer footing, $S_x$							150 mm
Shear link diameter in beam, $\phi_{link,y}$					12	▼	mm
Number of links in a cross section in beam, i.e. number of legs, $n_{link,y}$							2
Area provided by all links in a cross-section in beam, $A_{sv,prov,y} = \pi \cdot \phi_{link,y}^2 / 4 \cdot n_{link,y}$							N/A mm <sup>2</sup>
Pitch of links in beam, $S_y$							150 mm
Effective depth to sagging steel in width of outer footing, $d_{x,s} = T_{strap} - cover_1$							N/A mm
Effective depth to hogging steel in beam, $d_{y,h} = h_{beam} - cover_1 - \phi_{link,y} - \phi_{hy}/2$							N/A mm
Estimated steel reinforcement quantity							N/A kg/m <sup>3</sup>
[ 7.850 . ( A <sub>s,prov,x,s</sub> ) / T <sub>strap</sub> + 7850 . ( A <sub>s,prov,y,h</sub> ) / b <sub>beam</sub> h <sub>beam</sub> ]; No curtailment; No laps; Links ignored; Distr							
<b>Strap Footing Foundation SLS Loading</b>							
SLS vertical (downward) load from column 1 and base slab (if suspended), $F_{col,v,1}$							650 kN
SLS vertical (downward) load from column 2 and base slab (if suspended), $F_{col,v,2}$							1000 kN
Strap footing (projection beneath base slab) weight of outer footing, $F_{under,strap,1}$							N/A kN
Additional soil (above footing) weight, $F_{above,soil,1} = B_{strap,1} \cdot L_{strap,1} \cdot \gamma_{soil}$ Exclude					▼		N/A kN
<i>Note additional soil above the footing is included for embedded footings whereby the top of the footing is below ground level and backfilled, for conservatism the saturated soil density is adopted, and <math>\rho_c \approx \gamma_{sat}</math>;</i>							
Strap footing (projection beneath base slab) weight of inner footing, $F_{under,strap,2}$							N/A kN
Additional soil (above footing) weight, $F_{above,soil,2} = B_{strap,2} \cdot L_{strap,2} \cdot \gamma_{soil}$ Exclude					▼		N/A kN
<i>Note additional soil above the footing is included for embedded footings whereby the top of the footing is below ground level and backfilled, for conservatism the saturated soil density is adopted, and <math>\rho_c \approx \gamma_{sat}</math>;</i>							
Strap beam weight, $F_{beam,strap} = b_{beam} \cdot h_{beam} \cdot \rho_c \cdot L_{strap}$							N/A kN
Total foundation SLS vertical (downward) load of outer footing, $F_{strap,v,1}$							N/A kN
<i>Note <math>F_{strap,v,1} = [F_{col,v,1} \cdot L_{strap} + F_{beam,strap} \cdot L_{strap}/2 + (F_{under,strap,1} + F_{above,soil,1}) \cdot (L_{strap} + h/2 - L_{strap,1}/2)] / (L_{strap} + h/2 - L_{strap,1}/2)</math>;</i>							
<i>Note the value of <math>F_{strap,v,1}</math> is calculated by taking moments about the inner footing and solving for the reaction beneath the outer footing. This is essentially the sls reaction beneath the outer footing;</i>							
Total foundation SLS vertical (downward) load of inner footing, $F_{strap,v,2}$							N/A kN
<i>Note <math>F_{strap,v,2} = F_{col,v,1} + F_{col,v,2} + F_{beam,strap} + F_{under,strap,1} + F_{above,soil,1} + F_{under,strap,2} + F_{above,soil,2} - F_{strap,v,1}</math>;</i>							
<i>Note the value of <math>F_{strap,v,2}</math> is calculated by resolving vertical loads; <math>F_{strap,v,2}</math> will be less than <math>F_{col,v,2}</math>;</i>							
<i>This is essentially the sls reaction beneath the inner footing and must not be negative;</i>							
Gross working pressure under outer footing, $q_{w,1} = F_{strap,v,1} / (B_{strap,1} \cdot L_{strap,1})$							N/A kPa
Gross working pressure under inner footing, $q_{w,2} = F_{strap,v,2} / B_{strap,2}$							N/A kPa
<b>Strap Footing Foundation ULS Loading</b>							
ULS vertical (downward) load from column 1 and base slab (if suspended), $F_{col,v,1}$							N/A kN
ULS vertical (downward) load from column 2 and base slab (if suspended), $F_{col,v,2}$							N/A kN

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		jXXX	59	
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		XX	21/11/2021	
<b>Strap Footing Foundation Reinforcement Design</b>				
<b>Gross ULS Pressure</b>				
Total foundation ULS vertical (downward) load of outer footing, $F_{strap,v,1,uls}$			N/A	kN
Note $F_{strap,v,1,uls} = [F_{col,v,1,uls} \cdot L_{strap} + 1.4F_{beam,strap} \cdot L_{strap}/2] / (L_{strap} + h/2 - L_{strap,1}/2)$ ;				
Note the value of $F_{strap,v,1,uls}$ is calculated by taking moments about the inner footing and solving for the reaction beneath the outer footing. This is essentially the uls reaction beneath the outer footing;				
Gross ULS pressure under outer footing, $q_{w,ULS,1} = F_{strap,v,1,uls} / (B_{strap,1} \cdot L_{strap,1})$			N/A	kPa
Total foundation ULS vertical (downward) load of inner footing, $F_{strap,v,2,uls}$			N/A	kN
Note $F_{strap,v,2,uls} = F_{col,v,1,uls} + F_{col,v,2,uls} + 1.4F_{beam,strap} - F_{strap,v,1,uls}$ ;				
Note the value of $F_{strap,v,2,uls}$ is calculated by resolving vertical loads; $F_{strap,v,2,uls}$ will be less than $F_{col,v,2,uls}$ ;				
This is essentially the uls reaction beneath the inner footing and must not be negative;				
Gross ULS pressure under inner footing, $q_{w,ULS,2} = F_{strap,v,2,uls} / B_{strap,2}$			N/A	kPa
<b>Sagging Bending Moment Design in Plane of Width of Outer Footing</b>				
Moment at column base face, $M_x = q_{w,ULS,1} \cdot L_{strap,1} \cdot [(B_{strap,1} - (b \text{ or } D))/2]^2 / 2$			N/A	kNm
Moment at column base face per metre, $M_x/L_{strap,1}$			N/A	kNm/m
Concrete moment capacity per metre, $M_{u,x} = 0.156f_{cu} \cdot 1000 \cdot d_{x,s}^2$			N/A	kNm/m
Bending stress, $[M/bd^2]_x = (M_x/L_{strap,1}) / [(1000) \cdot d_{x,s}^2]$			N/A	N/mm <sup>2</sup>
Bending stress ratio, $K_x = [M/bd^2]_x / f_{cu} \leq 0.156$			N/A	N/A
Lever arm, $z_x = d_{x,s} \cdot [0.5 + (0.25 - K_x/0.9)^{0.5}] \leq 0.95d_{x,s}$			N/A	mm
Area of tension steel required, $A_{s,x} = (M_x/L_{strap,1}) / [(0.95f_y) \cdot z_x]$			N/A	mm <sup>2</sup> /m
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			N/A	mm <sup>2</sup> /m
Sagging bending moment in plane of width of outer footing utilisation = $A_{s,x} / A_{s,prov,x,s}$			N/A	N/A
Requirement to concentrate 2/3 rebar within $1.5d_{x,s}$ from column face			N/A < N/A	N/A
[Yes if $(L_{strap,1} - (h \text{ or } D))/2 > 3/4(h \text{ or } D) + 9/4d_{x,s}$ ; No if otherwise]			mm	mm
Note that should the above requirement be applicable, it is not automatically reflected in the detailing considerations and as such should be specifically reconsidered;				
% Min sag reinforcement in plane of width of outer footing ( $\geq 0.0024 \cdot 1000$ )			N/A	%
% Min sag reinforcement in plane of width of outer footing utilisation			N/A	N/A





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Structure, Member Design - Geotechnics Pad, Strip and Raft			Made by <b>XX</b>	Date <b>21/11/2021</b>	Chd.
<b>Punching Shear Design</b>					
ULS vertical (downward) load from column and base slab (if suspended), $F_{col}$			<b>N/A</b>	kN	
Area of column base section, $A_{c1} = b.h$ (rectangular) or $\pi D^2/4$ (circular)			N/A	mm <sup>2</sup>	
Average effective depth of rebar layer, $d = d_{x,s}$			N/A	mm	
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			N/A	mm <sup>2</sup> /m	
Average area of tensile steel reinforcement provided, $A_{s,prov,s}$			N/A	mm <sup>2</sup> /m	
$\rho_w = 100A_{s,prov,s}/(1000.d)$			N/A	%	
$v_c = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3}(400/d)^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d)^{1/4} > 0.67$			<b>N/A</b>	N/mm <sup>2</sup>	
<b>Column Base Face Perimeter</b>					
Shear force at column base face, $V_1 = F_{col,v,1,uls} - q_{w,ULS,1} \cdot A_{c1}$			N/A	kN	
Effective shear force, $V_{eff,1} = 1.00 \cdot V_1$			N/A	kN	
Note $V_{eff,1} = 1.00 \cdot V_1$ because no moment effects assumed;					
Column base face perimeter, $u_1$			N/A	mm	
			<i>Rectangular</i>	<i>Circular</i>	
Internal column:			$2.(b+h)$	N/A	$\pi.D$
Edge column:			$2b+h$ or $2h+b$	N/A	$3/4(\pi.D)$
Corner column:			$(b+h)$	N/A	$\pi.D/2$
Shear stress at column base face perimeter, $v_1 = V_{eff,1} / u_1 d$ ( $< 0.8f_{cu}^{0.5}$ & $5N/mm^2$ )			<b>N/A</b>	N/mm <sup>2</sup>	
Ultimate shear stress utilisation			<b>N/A</b>		<b>N/A</b>
<b>First Shear Perimeter</b>					
Shear force 1.5d from column base face, $V_2 = F_{col,v,1,uls} - q_{w,ULS,1} \cdot A_{c2}$			N/A	kN	
			<i>Rectangular</i>	<i>Circular</i>	
Internal column:			$(b+3d).(h+3d)$	N/A	$(D+3d)^2$
Edge column:			$(b+1.5d).(h+3d)$ or $(h+1.5d).(b+3d)$	N/A	$d).(D+3d)$
Corner column:			$(b+1.5d).(h+1.5d)$	N/A	$(D+1.5d)^2$
Effective shear force, $V_{eff,2} = 1.00 \cdot V_2$			N/A	kN	
Note $V_{eff,2} = 1.00 \cdot V_2$ because no moment effects assumed;					
Column base first perimeter, $u_2$			N/A	mm	
			<i>Rectangular</i>	<i>Circular</i>	
Internal column:			$2.(b+h)+12d$	N/A	$4D+12d$
Edge column:			$2b+h+6d$ or $2h+b+6d$	N/A	$3D+6d$
Corner column:			$(b+h)+3d$	N/A	$2D+3d$
Shear stress at column base first perimeter, $v_2 = V_{eff,2} / u_2 d$			<b>N/A</b>	N/mm <sup>2</sup>	
(Shear capacity enhancement by calculating $v_d$ at 1.5d from "support" and comparing against unenhanced $v_c$ as clause 3.7.7.6 BS8110 employed <b>instead of</b> calculating $v_d$ at "support" and comparing against enhanced $v_c$ within 1.5d of the "support" as clause 3.7.7.4 BS8110;)					
<b>Case <math>v_2 &lt; v_c</math></b>				<b>N/A</b>	
No links required.					
<b>Case <math>v_c &lt; v_2 &lt; 1.6v_c</math></b>				<b>N/A</b>	
$\Sigma A_{sv} \sin \alpha \geq \frac{(v - v_c)ud}{0.95f_{yv}}$			N/A	$\geq$	N/A
Note $\Sigma A_{sv} \sin \alpha > 0.4ud/0.95f_{yv}$					



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<b>Shear Design for Bending in Plane of Width of Outer Footing</b>				
Shear force at column base face, $V_{x,ult} = q_{w,ULS,1} \cdot L_{strap,1} \cdot [(B_{strap,1} - (b \text{ or } D)) / 2]$			<b>N/A</b>	kN
Shear force at column base face per metre, $V_{x,ult} / L_{strap,1}$			<b>N/A</b>	kN/m
Shear force at $1.0d_{x,s}$ from column base face, $V_x = q_{w,ULS,1} \cdot L_{strap,1} \cdot [(B_{strap,1} - (b \text{ or } D)) / 2]$			<b>N/A</b>	kN
Shear force at $1.0d_{x,s}$ from column base face per metre, $V_x / L_{strap,1}$			<b>N/A</b>	kN/m
<i>Note the above shear forces are for bending in plane of width of outer footing;</i>				
Ultimate shear stress for bending in plane of width, $v_{ult,x} = (V_{x,ult} / L_{strap,1}) / (1000 \cdot d_{x,s})$			<b>N/A</b>	N/mm <sup>2</sup>
Ultimate shear stress for bending in plane of width utilisation			<b>N/A</b>	<b>N/A</b>
Design shear stress for bending in plane of width, $v_{d,x} = (V_x / L_{strap,1}) / (1000 \cdot d_{x,s})$			<b>N/A</b>	N/mm <sup>2</sup>
<i>(Shear capacity enhancement by calculating <math>v_d</math> at <math>d</math> from "support" and comparing against unenhanced <math>v_c</math> as clause 3.4.5.10 BS8110 employed <b>instead of</b> calculating <math>v_d</math> at "support" and comparing against enhanced <math>v_c</math> within <math>2d</math> of the "support" as clause 3.4.5.8 BS8110;)</i>				
Area of tensile steel reinforcement provided, $A_{s,prov,x,s}$			N/A	mm <sup>2</sup> /m
$\rho_w = 100A_{s,prov,x,s} / (1000 \cdot d_{x,s})$			N/A	%
$v_{c,x} = (0.79/1.25)(\rho_w f_{cu}/25)^{1/3} (400/d_{x,s})^{1/4}$ ; $\rho_w < 3$ ; $f_{cu} < 40$ ; $(400/d_{x,s})^{1/4} > 0.67$			<b>N/A</b>	N/mm <sup>2</sup>
<b>Check <math>v_{d,x} &lt; v_{c,x}</math> for no links</b>			<b>N/A</b>	
Concrete shear capacity $v_{c,x} \cdot (1000 \cdot d_{x,s})$			<b>N/A</b>	kN/m
<b>Check <math>v_{c,x} &lt; v_{d,x} &lt; 0.4 + v_{c,x}</math> for nominal links</b>			<b>N/A</b>	
Provide nominal links such that $A_{sv} / S > 0.4 \cdot (1000) / (0.95f_{yv})$ i.e.			<b>N/A</b>	mm <sup>2</sup> /mm/m
Concrete and nominal links shear capacity $(0.4 + v_{c,x}) \cdot (1000 \cdot d_{x,s})$			<b>N/A</b>	kN/m
<b>Check <math>v_{d,x} &gt; 0.4 + v_{c,x}</math> for design links</b>			<b>N/A</b>	
Provide shear links $A_{sv} / S > 1000 \cdot (v_{d,x} - v_{c,x}) / (0.95f_{yv})$ i.e. $A_{sv} / S >$			<b>N/A</b>	mm <sup>2</sup> /mm/m
Concrete and design links shear capacity $(A_{sv,prov,x} / S_x) \cdot (0.95f_{yv}) \cdot d_{x,s}$			<b>N/A</b>	kN/m
Area provided by all links per metre, $A_{sv,prov,x}$			N/A	mm <sup>2</sup> /m
Tried $A_{sv,prov,x} / S_x$ value			N/A	mm <sup>2</sup> /mm/m
Design shear resistance for bending in plane of width of outer footing utilisation			<b>N/A</b>	<b>N/A</b>



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<b>Detailing Requirements</b>				
All detailing requirements met ?			<b>N/A</b>	
Max sagging steel reinforcement pitch in plane of width of outer footing ( $<3d$ )			N/A mm	<b>N/A</b>
Max hogging steel reinforcement pitch in beam ( $<3d_{y,hr} <750\text{mm}$ )			N/A mm	<b>N/A</b>
<div style="border: 1px solid black; padding: 5px; width: fit-content; margin: auto;"> Maximum spacing:    0.5% Ast or less - 300mm                                Between 0.5% and 1.0% - 225mm                                1.0% Ast or greater - 175mm </div>				
Max sagging steel reinforcement pitch in plane of width of outer footing			N/A mm	<b>N/A</b>
Max hogging steel reinforcement pitch in beam			N/A mm	<b>N/A</b>
Min sagging steel reinforcement pitch in plane of width of outer footing ( $>10d$ )			N/A mm	<b>N/A</b>
Min hogging steel reinforcement pitch in beam ( $>100\text{mm} + \phi_{sy}$ )			N/A mm	<b>N/A</b>
<i>Note an allowance has been made for laps in the min pitch by increasing the criteria by the bar diameter.</i>				
Sagging steel reinforcement diameter in plane of width of outer footing, $\phi_{sx}$ ( $\geq 16\text{mm}$ )			N/A mm	<b>N/A</b>
Hogging steel reinforcement diameter in beam, $\phi_{sy}$ ( $\geq 16\text{mm}$ )			N/A mm	<b>N/A</b>
% Max sagging reinforcement in plane of width of outer footing ( $\leq 0.04 \cdot 10$ )			N/A %	<b>N/A</b>
% Max hogging reinforcement in beam ( $\leq 0.04 \cdot b_{beam} \cdot h_{beam}$ )			N/A %	<b>N/A</b>
Min link diameter, $\phi_{link,y}$ ( $\geq 8\text{mm}$ )			N/A mm	<b>N/A</b>
Link pitch, $S_y$ ( $\leq 0.75d_{y,hr} \leq 300\text{mm}$ , $\geq \text{MAX}(100\text{mm}, 50 + 12.5n_{link,y})$ )			N/A mm	<b>N/A</b>
$A_{sv,prov,y} / (b_{beam} \cdot S_y)$ ( $>0.10\%$ G460; $>0.17\%$ G250)			N/A %	<b>N/A</b>
<i>Note that only single layer of reinforcement assumed for beams in calculation of pitch;</i>				



































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**Building Regulations Minimum Dimensions**

**Minimum Width**

Table 10 Minimum width of strip footings		Total load of load-bearing walling not more than (kN/linear metre)						
Type of Ground (including engineered fill)	Condition of ground	Field test Applicable	Minimum width of strip foundation (mm)					
			20	30	40	50	60	70
I Rock	Not inferior to sandstone, limestone or firm chalk	Requires at least a pneumatic or other mechanically operated pick for excavation	In each case equal to the width of wall					
II Gravel or Sand	Medium dense	Requires pick for excavation. Wooden peg 50mm square in cross section hard to drive beyond 150mm	250	300	400	500	600	650
III Clay Sandy Clay	Stiff Stiff	Can be indented slightly by thumb	250	300	400	500	600	650
IV Clay Sandy Clay	Firm Firm	Thumb makes impression easily	300	350	450	600	750	850
V Sand Silty sand Clayey sand	Loose Loose Loose	Can be excavated with a spade. Wooden peg 50mm square in cross section can be easily driven	400	600	Note Foundations on soil types V and V1 do not fall within the provisions of this section if the total load exceeds 30 kN/m.			
VI Silt Clay Sandy clay Clay or silt	Soft Soft Soft Soft	Finger pushed in up to 10mm	450	650				
VII Silt Clay Sandy clay Clay or silt	Very soft Very soft Very soft Very soft	Finger easily pushed in up to 25mm	Refer to specialist advice					

**Stepped Foundations**

**Diagram 22 Elevation of stepped foundation**

See para 2E2d and e

foundations should unite at each change in level

minimum overlap L = twice height of step, or thickness of foundation or 300mm, whichever is greater

S should not be greater than T

(For trench fill foundations, minimum overlap L = twice height of step, or 1 metre, whichever is greater)

d. foundations stepped on elevation should overlap by twice the height of the step, by the thickness of the foundation, or 300mm, whichever is greater (see Diagram 22).

For trench fill foundations the overlap should be twice the height of step or 1 metre, whichever is greater.

e. steps in foundations should not be of greater height than the thickness of the foundation (see Diagram 22).

**Piers and Chimneys**

**Diagram 23 Piers and chimneys**

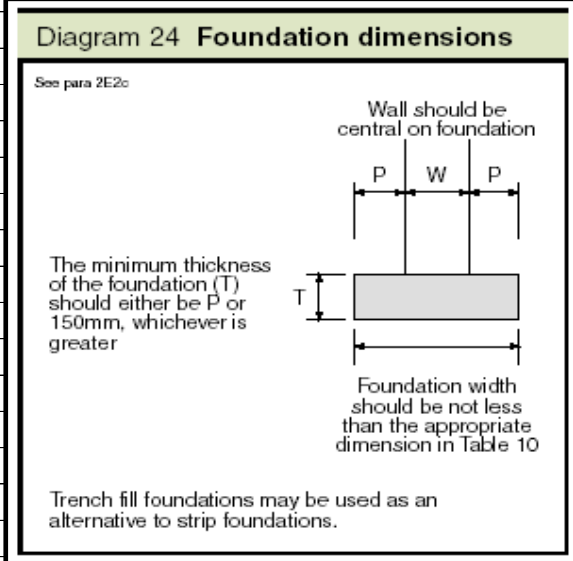
See para 2E2f

projection X should not be less than P

f. foundation of piers buttresses and chimneys should project as indicated in Diagram 23 and the projection X should never be less than the value of P where there is no local thickening of the wall.

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**Minimum Thickness**



c. minimum thickness T of concrete foundation should be 150mm or P, whichever is the greater where P is derived using Table 10 and Diagram 24. Trench fill foundations may be used as an acceptable alternative to strip foundations.

**Foundations—Basic Sizing**

Basic Sizing ~ the size of a foundation is basically dependent on two factors -

1. Load being transmitted.
2. Bearing capacity of subsoil under proposed foundation.

Bearing capacities for different types of subsoils may be obtained from tables such as those in BS 8004: Code of practice for foundations and BS 8103: Structural design of low rise buildings, or from soil investigation results.

Typical Examples ~

safe bearing capacity of compact gravel subsoil = 100 kN/m<sup>2</sup>

$$W = \frac{\text{load}}{\text{bearing capacity}} = \frac{50}{100} = 500\text{mm minimum}$$

safe bearing capacity of clay subsoil = 80 kN/m<sup>2</sup>

$$W = \frac{\text{load}}{\text{bearing capacity}} = \frac{50}{80} = 625\text{mm minimum}$$

The above widths may not provide adequate working space within the excavation and can be increased to give required space. Minimum width for a limited range of strip foundations can be taken direct from Table 12 in Approved Document A.

column load = 450 kN

square base

bearing capacity of subsoil 150 kN/m<sup>2</sup>

$$\text{area of base} = \frac{\text{load}}{\text{bc}} = \frac{450}{150} = 3\text{ m}^2 \therefore \text{side} = \sqrt{3} = 1.732 \text{ min.}$$

column load = 575 kN

square base

bearing capacity of subsoil 85 kN/m<sup>2</sup>

$$\text{area of base} = \frac{\text{load}}{\text{bc}} = \frac{575}{85} = 6.765\text{ m}^2 \therefore \text{side} = \sqrt{6.765} = 2.6 \text{ min.}$$

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**Minimum Depth (Frost Heave in Granular or Cohesive Soils)**

Minimum depth is **450mm** to avoid **frost heave**, but this is often exceeded due to other

**Minimum Depth (Volume Change in Cohesive Soils Without Trees)**

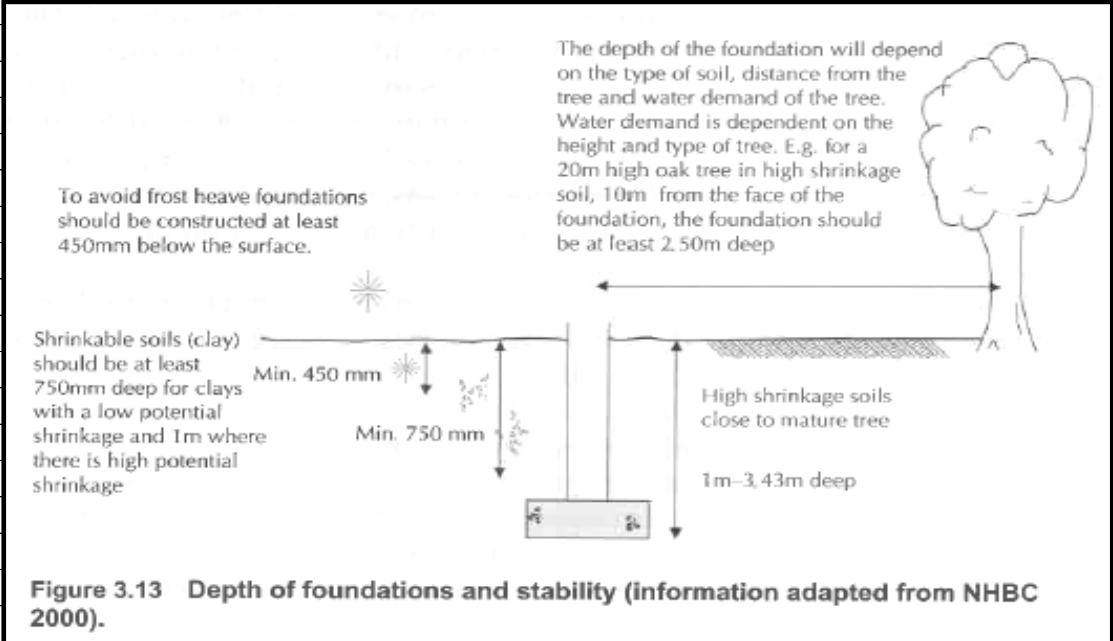
This is applicable to **cohesive soils only, not granular soils.**

For there to be no influence from trees, the following **minimum distance** must be satisfied (NHBC, 2002):-

- Low water demand trees = 0.2 x mature height
- Moderate water demand trees = 0.5 x mature height
- High water demand trees = 1.25 x mature height

Minimum depth to avoid **seasonal volume changes** due to wetting and drying of expandable and shrinkable clays are as follows (NHBC, 2002):-

- Low plasticity index (10-20%) = **750mm**
- Medium plasticity index (10-40%) = **900mm**
- High plasticity index (>40%) = **1000mm**





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**Minimum Depth (Volume Change in Cohesive Soils With Trees)**

**Water demand and mature height of selected UK trees**

The following common British trees are classified as having high, moderate or low water demand. Where the tree cannot be identified, assume high water demand.

Water demand	Broad leaved trees				Conifers		Broad leaf orchard trees		
	Species	Mature height* m	Species	Mature height* m	Species	Mature Height* m	Species	Mature height* m	
<b>High</b>	Elm	18-24	Poplar	25-28	Cypress	18-20			
	Eucalyptus	18	Willow	16-24					
	Oak	16-24							
<b>Moderate</b>	Acacia false	18	Laburnum	12	Cedar	20	Apple	9	
	Alder	18	Lime	22	Douglas fir	20	Cherry	15	
	Ash	23	Maple	8-18	Pine	20	Pear	12	
	Bay laurel	10	Mountain ash	11	Spruce	18	Plum	10	
	Blackthorn	8	Plane	26	Wellingtonia	30			
	Cherry	9-17	Sycamore	22	Yew	12			
	Hawthorn	10	Tree of heaven	20					
	Honey locust	14	Walnut	18					
	Hornbeam	17	Whitebeam	12					
	Horse chestnut	20							
	<b>Low</b>	Beech	20	Magnolia	9				
		Birch	14	Mulberry	9				
		Holly	12						

\* For range of heights within species, see the full NHBC source table for full details.

**Source:** NHBC (2002). The information may change at any time and revisions should be checked with NHBC.

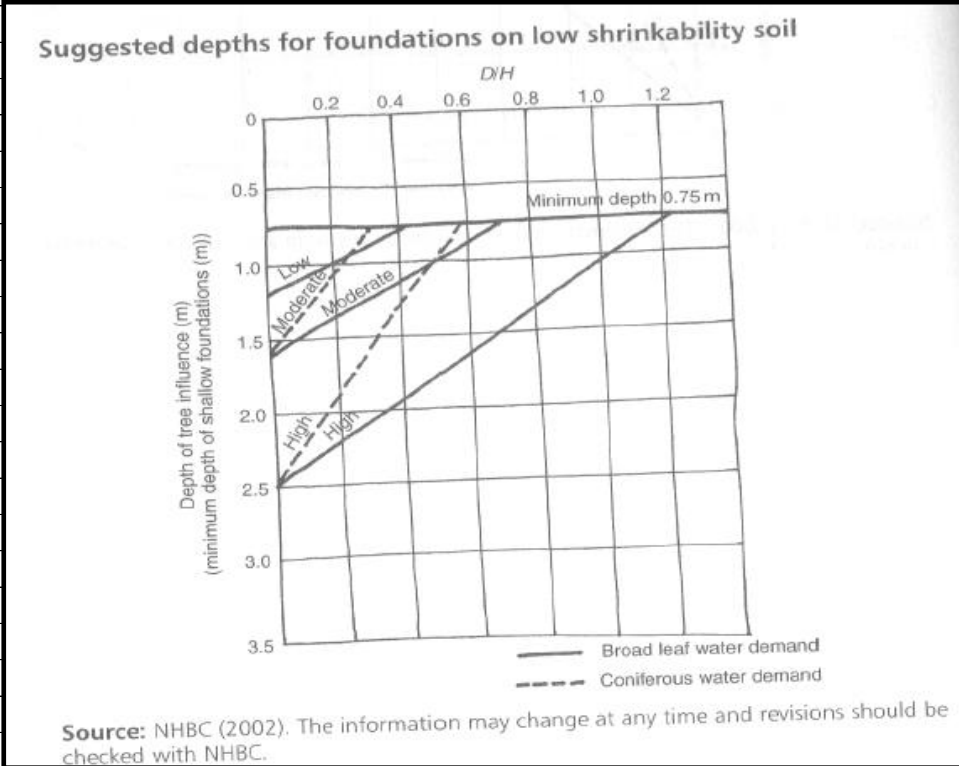
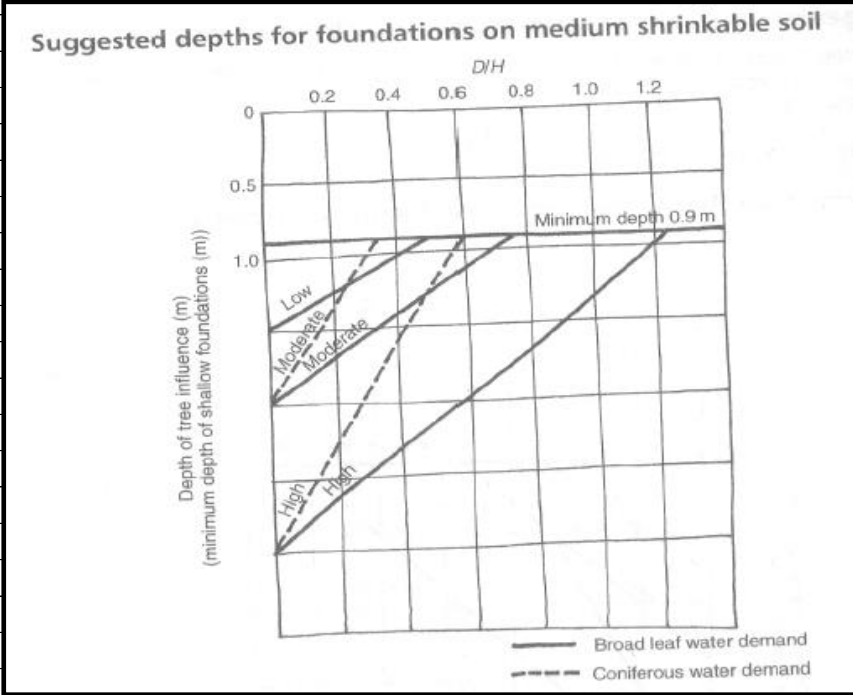
**Suggested depths for foundations on cohesive soil**

If  $D$  is the distance between the tree and the foundation, and  $H$  is the mature height of the tree, the following three charts (based on soil shrinkability) will estimate the required foundation depth for different water demand classifications. The full NHBC document allows for a reduction in the foundation depth for climatic reasons, for every 50 miles from the South-East of England.

**Suggested depths for foundations on highly shrinkable soil**

**Source:** NHBC (2002). The information may change at any time and revisions should be checked with NHBC.

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**How to determine foundation depth (m) adjacent to trees in shrinkable soils**

Species	Maximum mature height (m)	Exclusion zone 1 (m)	Exclusion zone 2 (m)
<b>High water demand trees</b>			
Elm, Willow	24	24.0	30.0
Eucalyptus	18	18.0	22.5
Hawthorn	10	10.0	12.5
Oak, Cypress	20	20.0	25.0
Poplar	28	28.0	35.0
<b>Moderate water demand trees</b>			
Acacia, Alder, Monkey puzzle, Spruce	18	9.0	13.5
Apple, Bay laurel, Plum	10	5.0	7.5
Ash	23	11.5	17.3
Beech, Cedar, Douglas fir, Larch, Pine	20	10.0	15.0
Blackthorn	8	4.0	6.0
Cherry, Pear, Yew	12	6.0	9.0
Chestnut	24	12.0	18.0
Lime, Sycamore	22	11.0	16.5
Mountain ash	11	5.5	8.3
Plane	26	13.0	19.5
Wellingtonia	30	15.0	22.5
<b>Low water demand trees</b>			
Birch	14	2.8	7.0
Elder	10	2.0	5.0
Fig, Hazel	8	1.6	4.0
Holly, Laburnum	12	2.4	6.0
Hornbeam	17	3.4	8.5
Magnolia, Mulberry	9	1.8	4.5

<b>Foundation depths</b>			
Modified Plasticity Index	Volume change potential	Outside exclusion zone 1	Outside exclusion zone 2
40% and greater	High	1.50	1.00
20% to less than 40%	Medium	1.25	0.90
10% to less than 20%	Low	1.00	0.75

- Notes**
- Determine whether a particular species of tree is outside exclusion zone 1 or 2.
  - Determine the foundation depth from the lower part of the table for the particular soil conditions and the appropriate exclusion zone.
  - Where the tree(s) are inside exclusion zone 1 refer to NHBC guidelines <sup>[5]</sup> on which this table is based.

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**Scheme Design (Cohesive Soils)**

$q_{allowable} \approx 14.2N$

**Spread footing on clay**  
 $q_{allowable} = 2C_u$  Spread footing on undrained cohesive soil ( $\gamma_f = 2.5$ )

a) Cohesive soils (clays)  
 Strip footing  $q_{safe} = \frac{5C_u}{F.O.S}$   
 Square footing  $q_{safe} = \frac{6C_u}{F.O.S}$   
 Where  $q_{safe}$  = Safe Bearing Pressure  
 $C_u$  = Undrained Shear Strength  
 F.O.S. = Factor of Safety (usually taken as 3.0)

**5.7 Simple foundations on cohesive soils**

In cohesive soils, the allowable bearing pressure can be determined from shear tests. The following equations may be used; they incorporate a factor of safety against failure of 3, which is the value normally adopted.

a) *Strip foundations.* The allowable bearing pressure,  $q_b$  (in  $kN/m^2$ ), is given by the expression:

$q_b = 1.7c$

where

$c$  is the undrained shear strength (in  $kN/m^2$ ).

b) *Square foundations.* The allowable bearing pressure,  $q_b$  (in  $kN/m^2$ ), is given by the expression:

$q_b = 2c$

where

$c$  is the undrained shear strength (in  $kN/m^2$ ).

It is important to note that the allowable bearing pressures derived from these expressions are not linked to any particular values of settlement.

**Foundations in cohesive soils at a minimum depth of 1m below ground level**

Description	Cohesive strength ( $kN/m^2$ or $kgf/cm^2$ x 100)	Presumed bearing value ( $kN/m^2$ or $kgf/cm^2$ x 100) for foundation of width		
		1m	2m	4m
Hard boulder clays, hard fissured clays (e.g. deeper London and Gault clays)	>300	800	600	400
Very stiff boulder clay, very stiff 'blue' London Clay	150-300	400-800	300-500	150-250
Stiff fissured clays (e.g. stiff 'blue' and brown London clay), stiff weathered boulder clay	75-150	200-400	150-250	75-125
Firm normally consolidated clays (at depth), fluvio-glacial and lake clays, upper weathered 'brown' London clay	40-75	100-200	75-100	50-75
Soft normally consolidated alluvial clays (e.g. marine, river and estuarine clays)	20-40	50-100	25-50	Negligible

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**Scheme Design (Non Cohesive Soils)**

**Spread footing on gravel**

$q_{allowable} = 10N$  Pad footing on dry soil ( $\gamma_f = 3$ )  
 $q_{allowable} = 7N$  Strip footing on dry soil ( $\gamma_f = 3$ )  
 $q_{wet\ allowable} = q_{allowable}/2$  Spread foundation at or below the water table  
Where N is the SPT value.

b) Cohesionless soils (sands and gravels)

$q_{safe} = 10 N$   
Where  $q_{safe}$  = safe bearing pressure  
N = SPT values ('N' blows)

**Foundations in non-cohesive soils at a minimum depth of 0.75m below ground level**

Description of soil	N-value in standard penetration test	Presumed bearing value (kN/m <sup>2</sup> or kgf/cm <sup>2</sup> x 100) for foundation of width		
		1m	2m	4m
Very dense sands and gravels	>50	600	500	400
Dense sands and gravels	30-50	350-600	300-500	250-400
Medium-dense sands and gravels	10-30	150-350	100-300	100-250
Loose sands and gravels	5-10	50-150	50-100	50-100

The allowable bearing pressure is defined as that causing 25mm settlement under the foundation width.

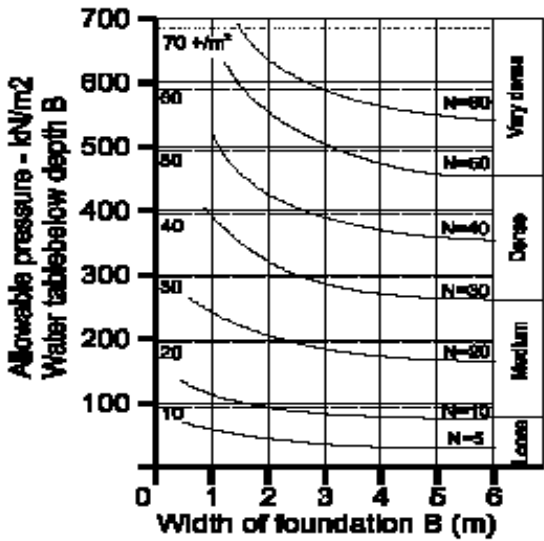
If the water table is within a depth equal to the width of the foundation and the depth of the foundation is small in relation to its width, the settlements will be doubled.  
If settlements must not exceed 25mm, the allowable bearing values should be halved.

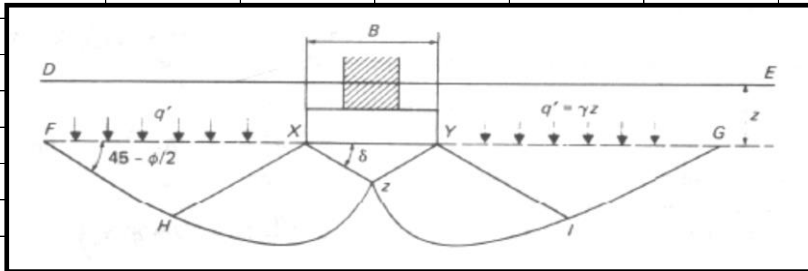
**Chart for estimating allowable bearing pressure for foundations in sands**

SPT 'N' values are shown as belows per 300mm

If the water table is within a depth equal to the width of the foundation and the depth of the foundation is small in relation to its width, the settlements will be doubled.

If settlements must not exceed 25mm, the allowable bearing values should be halved.





**Quick estimate design methods for shallow foundations**

**General equation for allowable bearing capacity after Brinch Hansen**

Factor of safety against bearing capacity failure,  $\gamma_f = 2.0$  to  $3.0$ ,  $q'_o$  is the effective overburden pressure,  $\gamma$  is the unit weight of the soil,  $B$  is the width of the foundation,  $c$  is the cohesion (for the drained or undrained case under consideration) and  $N_c$ ,  $N_q$  and  $N_\gamma$  are shallow bearing capacity factors.

Strip footings:  $q_{allowable} = \frac{cN_c + q'_o N_q + 0.5\gamma B N_\gamma}{\gamma_f}$

Pad footings:  $q_{allowable} = \frac{1.3cN_c + q'_o N_q + 0.4\gamma B N_\gamma}{\gamma_f}$

Approximate values for the bearing capacity factors  $N_c$ ,  $N_q$  and  $N_\gamma$  are set out below in relation to  $\phi$ .

Internal angle of shear $\phi$	Bearing capacity factors*		
	$N_c$	$N_q$	$N_\gamma$
0	5.0	1.0	0.0
5	6.5	1.5	0.0
10	8.5	2.5	0.0
15	11.0	4.0	1.4
20	15.5	6.5	3.5
25	21.0	10.5	8.0
30	30.0	18.5	17.0
35	45.0	34.0	40.0
40	75.0	65.0	98.0

\* Values from charts by Brinch Hansen (1961).



